ESPAN140 PERFORMANCE ASSESSMENT:

V-65 JESUP SOUTH BRIDGE (BUCHANAN COUNTY, IOWA)

A technical report submitted to the Steel Market Development Institute, a business unit of the American Iron and Steel Institute

Gregory K. Michaelson, Ph.D.

Marshall University

Karl E. Barth, Ph.D.

West Virginia University

Michael G. Barker, Ph.D.

University of Wyoming

Bryan R. Gallion

West Virginia University

Daniel R. Snyder

Steel Market Development Institute

December 2015

Keywords: steel bridge, experimental testing, finite element analysis, eSPAN140

EXECUTIVE SUMMARY

ESPAN140 PERFORMANCE ASSESSMENT: V-65 JESUP SOUTH BRIDGE (BUCHANAN COUNTY, IOWA)

The Short Span Steel Bridge Alliance (SSSBA) is a group of bridge and culvert industry leaders (including steel manufacturers, fabricators, service centers, coaters, researchers, and representatives of related associations and government organizations) who have joined together to provide educational information on the design and construction of short span steel bridges in installations up to 140 feet in length. Arguably, one of the crowning achievements of SSSBA is the development and implementation of a series of short-span steel bridge design standards. eSPAN140 is a complimentary web-based design tool which provides customized steel solutions for bridges up to 140 feet.

Working with the authors and with members of SSSBA, the Secondary Roads Department of Buchanan County, Iowa, headed by Brian Keierlieber, P.E., agreed to be the first owner agency to utilize eSPAN140 to design and construct a short span steel bridge, specifically the new V-65 Jesup South Bridge in Jesup, Iowa. Various members of SSSBA volunteered time, materials, and expertise to assist in delivering the first documented short-span bridge designed using eSPAN140. In addition, the demonstration served significant research objectives: data collected from field investigations during deck casting as well as during live load testing will serve as analytical benchmarks for future analytical studies in short-span steel bridge behavior.

The scope of this report is to discuss the development of eSPAN140 and its associated design standards along with how eSPAN140 was utilized during its first documented application, the V-65 Jesup South Bridge. In addition, a comprehensive overview of the experimental and analytical testing program is provided, along with a presentation of testing results. As discussed in the report, it is clear that eSPAN140 is quite capable of producing efficient and economical solutions in the short-span range. For this project, eSPAN140 provided all the necessary parameters for county engineers to refine and synthesize an effective short-span steel bridge design.

TABLE OF CONTENTS

EXECUTIVE SUMMARY	ii
TABLE OF CONTENTS	iii
LIST OF TABLES	vii
LIST OF FIGURES	viii
CHAPTER 1: INTRODUCTION	1
1.1 BACKGROUND / OVERVIEW	1
1.2 REPORT SCOPE & OBJECTIVES	1
1.3 Organization	2
CHAPTER 2: OVERVIEW OF ESPAN140 DEVELOPMENT	3
2.1 Introduction	3
2.3 GOALS OF STEEL BRIDGE STANDARD DEVELOPMENT	3
2.3 BRIEF OVERVIEW OF ALTERNATIVE STANDARD STEEL BRIDGE DESIGNS	4
2.4 GIRDER DESIGN PROCEDURE	5
2.4.1 Rolled Beam Designs	5
2.4.2 Plate Girder Designs	5
2.4.3 Common Design Parameters	<i>7</i>
2.5 RESULTS OF GIRDER DESIGNS	8
2.5.1 Results of Rolled Beam Designs	9
2.5.2 Results of Plate Girder Designs	11
2.6 COMPARISONS WITH OTHER STANDARDS	12
2.7 eSPAN140: Interactive Web-Based Design Tool	14
2.8 CONCLUSIONS	19
CHAPTER 3: DESIGN OF NEW V-65 JESUP SOUTH BRIDGE	20
3.1 Introduction	20
3.2 MOTIVATION FOR BRIDGE REPLACEMENT	20
3.3 COMPARISON OF PRODUCED BRIDGE DESIGNS	22
3.4 CONCLUSIONS	23
Cuapara A. Dagrapay Magyang	24

4.1 Introduction	24
4.2 EXPERIMENTAL TESTING EQUIPMENT	24
4.2.1 STS-WiFi Data Acquisition System	24
4.2.2 BDI Strain Transducers	26
4.3.4 Load Truck & Wheel Scales	26
4.3 FINITE ELEMENT MODELING TECHNIQUES	28
4.3.1 Material Definitions	28
4.3.2 Element Selections	29
4.3.3 Mesh Discretization	29
4.3.4 Boundary Conditions and Multiple-Point Constraints	30
4.3.5 Application of Construction Loading	30
4.3.6 Application of Live Loading	30
4.4 DATA REDUCTION METHODS	32
4.4.1 Computation of Lateral Flange Bending Stresses (Construction Loading)	32
4.4.2 Computation of Bending Moment & Live Load Distribution Factors (Live Loading)	33
4.5 CONCLUSIONS	35
CHAPTER 5: FIELD TESTING OF V-65 JESUP SOUTH BRIDGE	36
5.1 Introduction	36
5.2 ASSESSMENT OF CONSTRUCTION BEHAVIOR	36
5.2.1 Motivation	36
5.2.2 Instrumentation Plan	37
5.2.3 Deck Placement	40
5.2.4 Finite Element Modeling	41
5.3 ASSESSMENT OF IN-SERVICE PERFORMANCE	42
5.3.1 Motivation	43
5.3.2 Instrumentation Plan	43
5.3.3 Live Load Placement	45
5.3.4 Finite Element Modeling	47
5.4 CONCLUSION	49
CHAPTER 6: SUMMARY & CONCLUDING REMARKS	50
6.1 Project Summary	50
6.2 RECOMMENDATIONS FOR CONTINUED WORK	

References	51
Appendix A: eSPAN140 Output	55
Appendix B: V-65 Jesup South Bridge Plans	89
Appendix C: AASHTO Design Calculations	110
Section C1: Design Parameters	111
C1.1 Introduction	111
C1.2 Bridge Layout	111
C1.3 DESIGN PARAMETERS	112
C1.3.1 Loads & Load Combinations	112
C1.3.2 Limit States Evaluated	114
C1.3.2.1 Cross-Section Proportion Limits (Article 6.10.2)	114
C1.3.2.2 Constructibility (Article 6.10.3)	115
C1.3.2.3 Service Limit State (Article 6.10.4)	117
C1.3.2.4 Fatigue Limit State (Article 6.10.5)	118
C1.3.2.5 Strength Limit State (Article 6.10.6)	118
C1.4 COMMON PARAMETERS & CALCULATIONS	118
C1.4.1 Section Properties	119
C1.4.2 Multiple Presence Factors & Live Load Distribution Factors	119
C1.4.2.1 Lever Rule Analysis	122
C1.4.2.2 Special Analysis (Article C4.6.2.2.2d)	123
C1.4.2.3 Distribution Factor for Live Load Deflection (Article 2.5.2.6.2)	125
C1.4.3 Nominal Fatigue Resistance	126
C1.5 SUMMARY	127
Section C2: Design Assessment	128
C2.1 Introduction	128
C2.2 GIRDER GEOMETRY	128
C2.2.1 Section Properties	129
C2.2.2 Cross-Section Proportion Limits	130
C2.3 DEAD LOADS	131
C2.3.1 Component and Attachment Dead Load (DC)	131
C2 3 2 Wearing Surface Dead Load (DW)	132

C2.4 STRUCTURAL ANALYSIS	133
C2.4.1 Live Load Distribution Factors (Article 4.6.2.2)	133
C2.4.1.1 General Live Load Distribution Factors	133
C2.4.1.2 Fatigue Live Load Distribution Factors	134
C2.4.1.3 Live Load Distribution Factor Summary	135
C2.5 ANALYSIS RESULTS	135
C2.6 LIMIT STATE EVALUATIONS	141
C2.6.1 Constructibility	141
C2.6.1.1 Compression Flange Resistance	141
C2.6.1.2 Major Axis and Lateral Flange Bending Stresses	146
C2.6.1.3 Limit State Evaluation	151
C2.6.2 Service Limit State	152
C2.6.2.1 Elastic Deformations	153
C2.6.2.2 Permanent Deformations	153
C2.6.3 Fatigue Limit State	154
C2.6.4 Strength Limit State	155
C2.6.4.1 Flexure	155
C2.6.4.2 Shear	158
C2.6.4.3 Ductility	160
C2.7 DEDECOMANCE SHMMADV	160

LIST OF TABLES

Table 2.1: Lightest Weight Rolled Beam Designs	10
Table 2.2: Limited Depth Rolled Beam Designs	11
Table 3.1: Comparison of Bridge Design Parameters	22
Table 5.1: Data Obtained from Deck Placement	41
Table 5.2: Experimental Bending Moments Obtained from Live Load Placement (ft-kip)	
Table C1.1: Multiple Presence Factors	19
Table C1.2: Girder Eccentricities	24

LIST OF FIGURES

Figure 2.1: Typical Plate Girder Elevation	6
Figure 2.2: Typical Interior Plate Girder Cross-Section	7
Figure 2.3: Typical Bridge Cross-Section	7
Figure 2.4: Comparison of Design Alternative (9'-0" Girder Spacing)	9
Figure 2.5: Plate Girder Weights	12
Figure 2.6: Comparison with AISI Standard Designs for a 9'-0" Girder Spacing	13
Figure 2.7: Comparison with OklaDOT Standard Designs for an 11'-10" Girder Spacing	13
Figure 2.8: Comparison with TxDOT Standard Designs for an 8'-8" Girder Spacing	14
Figure 2.9: eSPAN140 Typical Data Input Window	15
Figure 2.10: eSPAN140 Range of Solutions	15
Figure 2.11: eSPAN140 Bridge Cross-Section View	17
Figure 3.1: Old Jesup South Bridge, Constructed in 1947 (Case Study)	20
Figure 3.2: Newly-Completed Jesup South Bridge, Constructed in 2013 (Case Study)	21
Figure 4.1: STS WiFi Wireless Base Station (BDI)	25
Figure 4.2: STS WiFi 4-Channel Node (BDI)	25
Figure 4.3: BDI Strain Transducer	26
Figure 4.4: Tri-Axle Load Truck	27
Figure 4.5: Wheel Load Weigher (Intercomp)	27
Figure 4.6: Schematic of Nodal Distribution of Point Loads (Michaelson, 2010)	31
Figure 4.7: Schematic of Nodal Distribution of Point Loads (Galindez, 2009)	32
Figure 4.8: Total Girder Moment and Discretized Components (Michaelson, 2010)	33
Figure 5.1: Gage Locations along Girder Cross-Section	38
Figure 5.2: Longitudinal Placement of Strain Gages	38
Figure 5.3: Bottom Flange Gage Locations (10' from Abutment Face)	39
Figure 5.4: Web Gage Locations (10' from Abutment Face, Exterior Gages Visible)	39
Figure 5.5: Placement of Concrete Deck	40

Figure 5.6: Finite Element Modeling Results of Construction Loading	41
Figure 5.7: Results from Construction Loading Assessment	42
Figure 5.8: Gage Locations along Bridge Cross-Section (Looking North)	44
Figure 5.9: Gage Locations (1' from South Diaphragm)	44
Figure 5.10: Tri-Axle Load Truck	45
Figure 5.11: Truck Dimensions and Wheel Loads	45
Figure 5.12: Live Load Truck Placements (Looking North)	46
Figure 5.13: Finite Element Modeling Results of Live Loading	48
Figure 5.14: Results from Live Loading Assessment	49
Figure C1.1: V-65 Jesup South Bridge Cross Section	111
Figure C1.2: Lever Rule Truck Placement	123
Figure C1.3: Special Analysis Truck Placement	124

CHAPTER 1: INTRODUCTION

1.1 BACKGROUND / OVERVIEW

The Short Span Steel Bridge Alliance (SSSBA) is a group of bridge and culvert industry leaders (including steel manufacturers, fabricators, service centers, coaters, researchers, and representatives of related associations and government organizations) who have joined together to provide educational information on the design and construction of short span steel bridges in installations up to 140 feet in length. Arguably, one of the crowning achievements of SSSBA is the development and implementation of a series of short-span steel bridge design standards. eSPAN140 is a complimentary web-based design tool which provides customized steel solutions for bridges up to 140 feet.

Working with the authors and with members of SSSBA, the Secondary Roads Department of Buchanan County, Iowa, headed by Brian Keierlieber, P.E., agreed to be the first owner agency to utilize eSPAN140 to design and construct a short span steel bridge, specifically the new V-65 Jesup South Bridge in Jesup, Iowa. Various members of SSSBA volunteered time, materials, and expertise to assist in delivering the first documented short-span bridge designed using eSPAN140. In addition, the demonstration served significant research objectives: data collected from field investigations during deck casting as well as during live load testing will serve as analytical benchmarks for future analytical studies in short-span steel bridge behavior.

1.2 REPORT SCOPE & OBJECTIVES

The scope of this report is to:

- Discuss the development of eSPAN140 and its associated design standards
- Provide an overview of the design of the V-65 Jesup South Bridge
- Describe the research methods and field tests conducted on the V-65 Jesup South Bridge

1.3 ORGANIZATION

A brief overview of the organization of this report is as follows:

• Chapter 2

 This chapter provides an overview of the development of eSPAN140, detailing the design methodologies employed as well as the user interface within the web-based design tool.

• Chapter 3

 This chapter briefly summarizes the design of the new V-65 Jesup South Bridge and outlines a comparison between eSPAN140 output and actual design parameters.

• Chapter 4

The experimental and analytical methods used for this research is discussed in this chapter. Specifically, the chapter focuses on the testing program and instrumentation as well as finite element modeling and data reduction techniques.

• Chapter 5

 This chapter provides a summary of the two field investigations performed on the V-65 Jesup South Bridge as well as an evaluation of experimentallyobtained test data using finite element analyses.

• Chapter 6

 This chapter provides a summary of the scope of work conducted for this study and highlights the key findings.

CHAPTER 2: OVERVIEW OF ESPAN140 DEVELOPMENT

2.1 Introduction

There are a large number of bridges in the United States that are considered structurally deficient or functionally obsolete. In response to the deteriorating infrastructure, the Federal Highway Association (FHWA) has introduced an initiative titled Highways for LIFE in an effort to help in reducing these issues. This FHWA focus area promotes the development of bridge design and construction that leads to **L**ong-lasting bridges that are **I**nnovative, have **F**ast construction times, and are economically **E**fficient. This research, performed in conjunction with the Short Span Steel Bridge Alliance (SSSBA) of the American Iron and Steel Institute (AISI), has taken these principles into account and has looked into methods of increasing the efficiency of steel girder bridge design through the use of stockpiled common steel plate sizes and a limited suite of rolled steel girders.

This chapter will summarize the efforts of Bridge Technology Center researchers over several years to develop (in conjunction with SSSBA) a series of economical steel solutions for use in the short span bridge market. Specifically, the types of girders designed along with design assumptions and standardization principles will be discussed. In addition, an overview of eSPAN140, the chief online resource for the dissemination of these standards, is provided.

2.3 GOALS OF STEEL BRIDGE STANDARD DEVELOPMENT

The goal of this effort was to develop a set of standardized designs that increase the design efficiency of short-span steel bridge designs. The standardized designs were developed based on optimized girder designs, which employ different bridge parameters and design approaches. There are four major sets of bridge designs in this work: "limited depth" rolled beam sections, "lightest weight" rolled beam sections, homogeneous plate girder sections, and hybrid plate girder sections. From the optimized rolled girder designs, limited suites of rolled steel girder sections were selected to investigate the efficiency of using stockpiled girder sections

for short span steel bridges. Also, the benefits of stockpiling common steel plate sizes were investigated in the design of steel plate girders.

The scope of this work was to develop optimized steel girder designs for bridges with spans between 40 and 140 feet. The girders designed to make up this wide range of bridge spans were designed for all spans between 40 and 140 feet in 5 foot increments. To develop a wide variety of steel girders that encompass the different bridge design parameters and practices of practicing bridge engineers, four different girder spacings and four different girder design approaches were investigated. Based on the designs developed for the different bridge spans, girder spacings, and design approaches, an analysis of efficiency gained from using stockpiled common steel plate sizes and available rolled sections was performed.

2.3 Brief Overview of Alternative Standard Steel Bridge Designs

In these design efforts, other sets of state bridge design standards were investigated for comparative purposes:

- Oklahoma had one set of steel girder designs for bridges with span lengths between 30 and 100 feet, roadway width of 40 feet and a girder spacing of 11 ft. 10 in.
- Texas has three sets of standard girder designs with bridge span lengths between 30 and 120 feet. Each of these sets has a different overall roadway width and girder spacing: 24 foot roadway width with 7 ft. 4 in. spacing, 28 foot roadway width with 8 ft. 8 in. spacing and 30 foot roadway width with 7 ft. spacing.
- Virginia had a large design aid package of pre-designed steel girder bridges that have become outdated. This design package considered a wide variety of bridge span lengths, girder spacings, roadway widths, and bridge skew angles.
- In addition, AISI published a series of standard designs for short-span steel bridges in 1994. These standards served as a benchmark for comparisons with the suite of girders designed in this study.

For a more in-depth review of previously published steel bridge standards, the reader is referred to Nagy (2008).

2.4 GIRDER DESIGN PROCEDURE

The short-span steel girders in this effort were designed in accordance with the 5th Edition of the AASHTO LRFD Bridge Design Specifications (AASHTO, 2010) and evaluated using Version 6.5 of MDX's Line Girder Rating Software (MDX Software, 2009), a popular steel girder design and rating package used by many state DOTs in the United States.

2.4.1 Rolled Beam Designs

The rolled beam sections were designed using two different design approaches, termed "limited depth" and "lightest weight". The "limited depth" rolled girder sections were designed to meet a target L/D (Length/Depth) ratio of 25. Wide-flange sections of the given depth were evaluated until the most economic section for the given span length and girder spacing was found. The "lightest weight" rolled girder sections were developed in the same manner, however without the restriction on the L/D ratio.

2.4.2 Plate Girder Designs

The plate girder sections were designed using two different material configurations: homogeneous and hybrid. For both material configurations target L/D ratios were used to determine the depth of the web plate. Web thickness was determined to optimize web stiffener requirements. The compression and tension flanges were selected to create the trial section to begin the evaluation process. Based on the evaluation of the section, dimensions of the flange plates were modified to find a girder section that was both adequate and economical.

In designing the steel plate girder sections, a limited selection of common steel plate dimensions were used to take advantage of stockpiling materials. In addition, to account for flame cutting/torching of plates, all plate depths/widths selected for design were reduced by 1/4 inch during design. The following dimensions were employed for the steel plates:

• Web plates:

o Depths: 24 in., 32 in., 40 in., 46 in., 48 in., and 54 in.

o Thicknesses: all web plates are 1/2 in. thick.

• Flange plates:

o Widths: 12 in., 14 in., 16 in., 18 in., and 20 in.

o Thicknesses: 3/4 in., 1 in., 1 1/2 in., and 2 in.

A typical girder elevation is shown in Figure 2.1, where L is the span length, C represents the cross-brace spacing and the lengths of the bottom flange transitions are presented. Interior girders were designed for the girder spacing arrangements of 6 feet, 7 feet -6 inches, 9 feet and 10 feet -6 inches. In the designs, it was assumed that there were 5 girders in the bridge system and that the bridge deck consisted of 3 lanes. The typical interior girder cross-section layout is shown in Figure 2.2, and the typical bridge cross-section layout is shown in Figure 2.3. Full composite action between the designed steel girder sections and the concrete slab was assumed to be created through the use of headed shear studs.

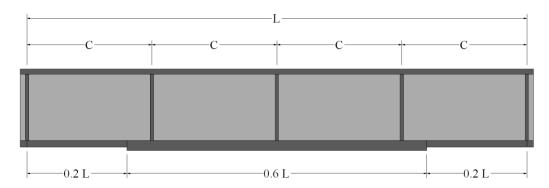


Figure 2.1: Typical Plate Girder Elevation

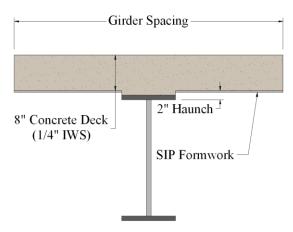


Figure 2.2: Typical Interior Plate Girder Cross-Section

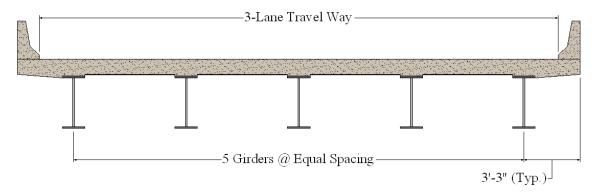


Figure 2.3: Typical Bridge Cross-Section

2.4.3 Common Design Parameters

The rolled beam sections and the homogeneous plate girder sections in these designs employ 50-ksi steel. The hybrid steel plate girder sections have 50-ksi steel in the compression flange and web plates and 70-ksi steel in the tension flange plate. For all girder sections, excluding the rolled beam sections of the "lightest weight" suite of girders, an L/D (Length/Depth) ratio of 25 was assumed. The depth in this ratio includes the entire depth of the bridge superstructure (i.e. bridge deck depth plus the concrete haunch thickness plus the girder depth). The concrete haunch is defined as the distance from the bottom of the compression flange to the bottom of the concrete deck.

The following parameters were assumed for each bridge girder design:

Steel stay-in-place (SIP) formwork unit weight: 15 psf

• Future wearing surface: 25 psf

Concrete barriers: 305 lbs/ft.

Miscellaneous steel weight increase: 5%

• Compressive strength of concrete: 4,000 psi

• Concrete unit weight: 150 pcf

• Steel unit weight: 490 pcf

• Concrete haunch thickness: 2 in

• Concrete deck thickness: 8.25 in (including a 0.25 in sacrificial wearing surface)

• Constant flange width

• Constant web height

2.5 RESULTS OF GIRDER DESIGNS

Figure 2.4 shows a comparison of the design results of the four previously mentioned design methods (homogeneous plate, hybrid plate, limited depth rolled, and lightest weight rolled) for a 9 ft. girder spacing. As shown, in the higher span ranges, the economy of rolled beam solution is diminished. This is due to the discrete number of rolled beams available; in the higher span ranges, the discrete range of rolled beams causes the weight of the girders to increase whereas, for plate girders, the sizes of the individual plates can be tailored to meet a given span requirement. Therefore, in the final set of solutions selected, rolled beam solutions are only provided for span lengths from 40 feet to 100 feet. For plate girder solutions, homogeneous girders are provided for span lengths from 60 feet to 140 feet and hybrid girders are provided for span lengths from 80 feet to 140 feet. These limitation ranges were selected by the members of the SSSBA technical working group (a group of fabricators, engineers, plate producers, service centers, and researchers within SSSBA) to deliver the most economical solutions possible from the suite of designed girders.

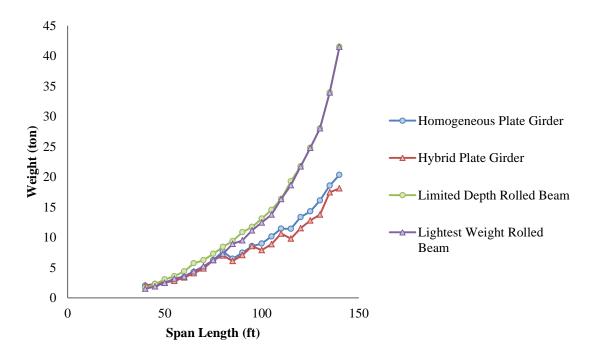


Figure 2.4: Comparison of Design Alternative (9'-0" Girder Spacing)

2.5.1 Results of Rolled Beam Designs

Tables 2.1 and 2.2 show the selected rolled beam sections for the lightest weight and limited depth configurations, respectively. The tables provide a selected rolled shape for each 5 foot increment in span lengths between 40 and 100 feet for each of the girder spacings employed. Additionally, the right hand column provides a section selected to meet the requirements for a given span length for all girder spacings. For example, for a 50 ft. span length, the W30×108 in Table 2.1 would be satisfactory for all girder spacings from 6 feet to 10.5 feet. Ongoing efforts are focused on collaboration with steel mills to provide more rapid availability of these sections, thus better insuring the success of time-sensitive projects. It should also be noted, for example, that at the 50 foot span range with a 6 foot girder spacing, a W27×84 could be employed, whereas the section that fits all girder spacings in the 50 ft. span is a W30×108, or a per foot weight difference of 24 pounds.

Table 2.1: Lightest Weight Rolled Beam Designs

T £4	Girder Spacing			Selected	
L, ft	6'-0"	7'-6"	9'-0"	10'-6"	Section
40	W21×62	W21×73	W24×76	W24×84	W24×84
45	W24×68	W21×101	W27×84	W30×90	W30×90
50	W27×84	W21×111	W30×99	W30×108	W30×108
55	W30×90	W24×117	W30×116	W33×118	W33×118
60	W30×108	W27×129	W33×118	W36×135	W36×135
65	W33×118	W30×132	W36×135	W40×149	W40×149
70	W33×130	W30×148	W40×149	W40×167	W40×167
75	W36×135	W36×150	W40×167	W36×182	W36×210
80	W40×149	W36×160	W36×182	W36×210	W36×210
85	W40×167	W36×182	W36×210	W36×231	W36×247
90	W40×183	W40×183	W40×211	W36×247	W36×247
95	W40×211	W40×199	W40×235	W40×249	W44×262
100	W44×230	W40×211	W40×249	W44×262	W44×262

Table 2.2: Limited Depth Rolled Beam Designs

I ft	Girder Spacing			Selected	
L, ft	6'-0"	7'-6"	9'-0"	10'-6"	Section
40	W21×62	W21×73	W21×83	W21×93	W21×93
45	W21×83	W21×101	W21×101	W21×111	W21×111
50	W21×111	W21×111	W21×122	W21×132	W21×132
55	W24×117	W24×117	W24×131	W24×146	W24×146
60	W24×162	W27×129	W24×146	W24×162	W24×162
65	W24×192	W30×132	W24×176	W24×192	W24×192
70	W27×194	W30×148	W27×178	W27×194	W27×194
75	W27×217	W36×150	W27×194	W27×217	W27×217
80	W30×211	W36×160	W30×211	W30×235	W30×235
85	W33×221	W36×182	W33×221	W33×241	W33×241
90	W33×241	W40×183	W33×241	W33×291	W33×291
95	W36×247	W40×199	W36×247	W36×282	W36×282
100	W36×282	W40×211	W36×262	W36×302	W36×302

2.5.2 Results of Plate Girder Designs

Previous design studies (Morgan, 2010) have shown that the use of a reduced readily available set of plate sizes, as opposed to the use of the exhaustive set of possible plates, has a minimal impact on final girder weight. For specific dimensions of the selected plate girders the reader is referred to Nagy (2008). A plot of the final weight versus span length for both the hybrid and homogeneous sections for each of the girder spacings is provided in Figure 2.5. Several key observations can be made from this figure:

- There is little difference, particularly in the shorter span ranges, in total girder weight as a function of girder spacing.
- In the shorter span ranges there is little benefit provided by the use of hybrid configurations. This is due to the fact that many of the sections start to be controlled

as a function of minimum allowable plate dimensions as opposed to various design limit states.

• For the longer span lengths (particularly for the wider girder spacings) the hybrid girder configuration does provide some weight benefit.

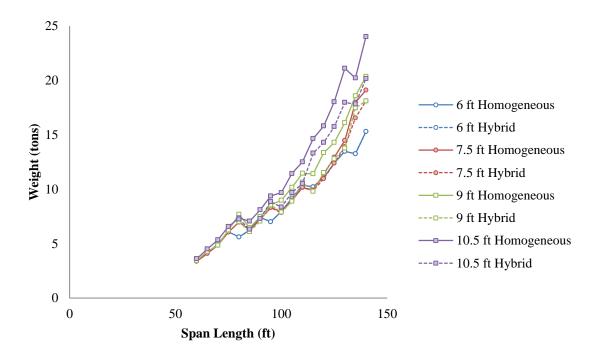


Figure 2.5: Plate Girder Weights

2.6 COMPARISONS WITH OTHER STANDARDS

Figures 2.6 through 2.8 detail comparisons with the standard designs developed in this study with those from the standards discussed earlier. It should be noted that, since these standard designs incorporate rolled beam solutions, the comparisons in these figures are for rolled beams only. As shown, the proposed solutions are competitive with other standardized steel bridge designs.

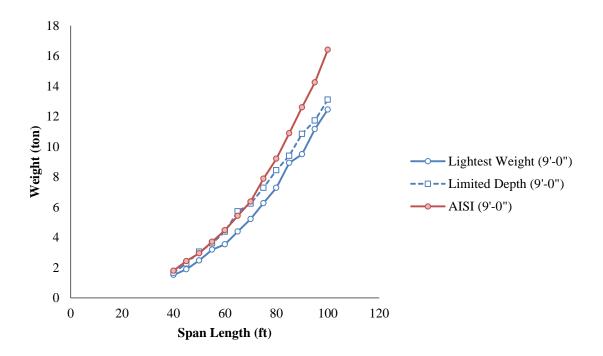


Figure 2.6: Comparison with AISI Standard Designs for a 9'-0" Girder Spacing

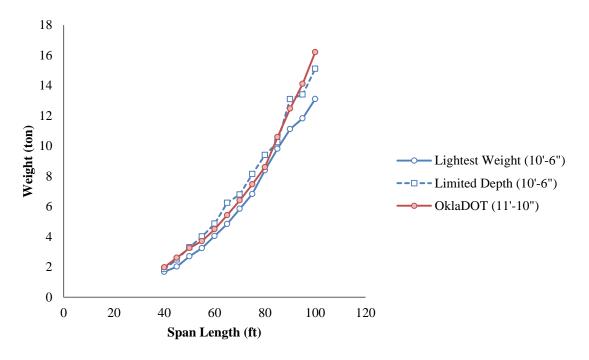


Figure 2.7: Comparison with OklaDOT Standard Designs for an 11'-10" Girder Spacing

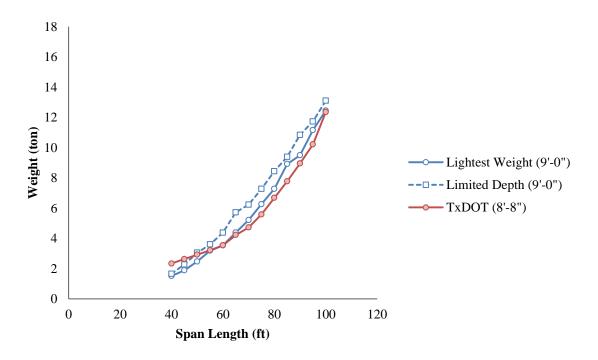


Figure 2.8: Comparison with TxDOT Standard Designs for an 8'-8" Girder Spacing

2.7 ESPAN140: INTERACTIVE WEB-BASED DESIGN TOOL

In order to ease the process of steel girder selection and provide state DOTs and owners with a more efficient means of conducting preliminary designs of short-span steel bridges, the authors, along with the SSSBA technical working group, the Steel Market Development Institute (SMDI), the National Association of County Engineers (NACE) Structures Committee, FHWA, and the AASHTO T-14 Technical Committee for Structural Steel Design, have developed eSPAN140, an interactive web-based design tool. eSPAN140 is a free, easy-to-use application which generates a customized Solutions Book (in .pdf format) for a given set of bridge parameters, complete with girder dimensions, cross-section information, and associated details.

To begin to use eSPAN140, all the user has to do is go to http://www.eSPAN140.com/ and create a free user's account. Once an account is created, the user will have the ability to edit/review/duplicate previous projects as well as to share previously-generated Solutions Books with colleagues.

To begin a new project, the user logs into his/her eSPAN140 account. There, the user will find a list of all of the previous projects the user has completed, along with a "Start New Project" button. Clicking this button will open up eSPAN140's data entry screen, where the user inputs various parameters necessary to define a given project. Figure 2.9 shows a typical data input screen in eSPAN140. In addition, eSPAN140 will display Figure 2.10, which defines the range of solutions available in eSPAN140. It should be noted that eSPAN140 will also generate corrugated steel plate solutions along with a series of fabricator and manufacturer solutions.

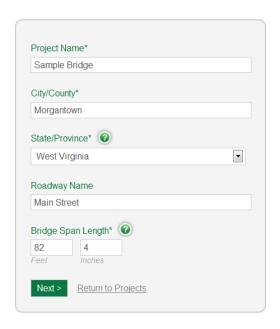


Figure 2.9: eSPAN140 Typical Data Input Window



Figure 2.10: eSPAN140 Range of Solutions

A project is defined in three steps. The first step is where the user defines general project information. Specifically, the user must input the following parameters:

- Project Name
- City/County
- State/Province
- Roadway Name
- Span Length
 - O It should be noted that eSPAN140 will round the span length value to the next highest 5 foot increment (U.S.C.S. units are listed since these are the units that eSPAN140 employs) and report the girder solution for this rounded value. For example, if the user specifies a span length of 82 feet and 4 inches, eSPAN140 will generate a Solutions Book containing designs for a span length of 85 feet.
 - o It should also be noted that, if the user specifies a span length longer than 140 feet, the generated Solutions Book will not include steel girder designs since the girder designs are only valid for span lengths up to 140 feet.

After this, the user advances to step two, where details regarding the bridge cross-section are input. These details are described graphically in Figure 2.11. Specifically, the user must input the following parameters:

- Number of Striped Traffic Lanes
- Roadway Width
- Individual Parapet Width
- Individual Deck Overhang Width

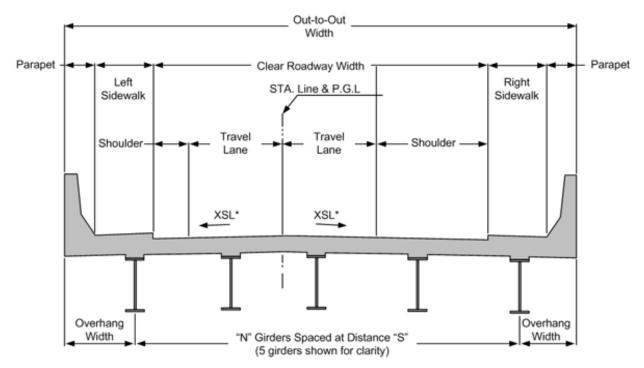


Figure 2.11: eSPAN140 Bridge Cross-Section View

In addition, the user can specify whether sidewalks are present; the user simply has to indicate the number of sidewalks and their individual widths. Once these cross-sectional parameters are defined, the user has to input three last parameters:

- Skew Angle
 - o It should be noted that, if the user specifies a skew angle larger than 20°, the generated Solutions Book will not include steel girder designs since the girder designs are only valid for skew angles up to 20°.
- Average Daily Traffic, selected from the following:
 - o "1 − 500"
 - o "501 − 2000"
 - o "Over 2000"
- Design Speed, selected from the following (it should be noted that U.S.C.S. units are listed since these list entries are taken directly from eSPAN140):
 - \circ "0 45 mph"
 - o "46+ mph"

- o "Don't know"
- "Not applicable"

The user then advances to step three, where the user inputs data related to corrugated steel plate solutions. Specifically, the user has to input the waterway area and height of cover, or the distance from the top of the corrugated steel plate to the bottom of the layer of pavement.

After these three steps, eSPAN140 will generate a customized Solutions Book (in .pdf form). To generate a girder design, eSPAN140 will calculate the out-to-out width between exterior girders (using data input for the cross-section) and then iterate even spaces between exterior girders in order to generate a valid design (i.e. a design with a girder spacing less than 10'-6" as this is the maximum girder spacing employed in the standards) with the fewest number of girder lines. eSPAN140 then reports the details and dimensions for the girder designed for the next highest girder spacing. For example, if eSPAN140 calculates an interior girder spacing of 8'-10", it will report girder designs for a girder spacing of 9'-0".

In addition to the details regarding girder sizes, all of the details necessary to fabricate and erect a short-span steel bridge superstructure are included in the eSPAN140-generated Solutions Book. These include:

- Cambers (both for steel dead weight and total dead weight)
- Stiffener sizes and spacings
- Shear stud layouts
- Individual girder weight
- Girder fabrication details, including weld sizes
- Diaphragm sizes and details
- Framing plan
- Typical cross-section details
- Rebar layout for deck design
- Elastomeric bearing pad details and steel plate sizes
- Customized manufacturer solutions and contact information for SSSBA members

The Solutions Book also provides contact information for The Bridge Technology Center. The Bridge Technology Center is a complimentary resource available for questions specific to standard design and detail solutions of short-span steel bridges. It is a resource provided by West Virginia University, the University of Wyoming, and Marshall University.

2.8 CONCLUSIONS

The efforts of the authors in conjunction with the AISI Short Span Steel Bridge Alliance have great promise for improved economy and competitiveness of steel alternatives in the short-span bridge market. This work has provided an overview of the objectives and design process employed for the development of standard plate girder and rolled beam designs for span lengths between 40 and 140 feet. With preselected members and details, the design process may be expedited, and a more streamlined process for shop drawing review may be created, thus eliminating many weeks in the timeline of a given bridge project.

CHAPTER 3: DESIGN OF NEW V-65 JESUP SOUTH BRIDGE

3.1 Introduction

The following chapter discusses the design of the new V-65 Jesup South Bridge in Buchanan County, Iowa. Specifically, a discussion of the previous structure, along with a comparison of eSPAN140 output and as-built conditions is provided.

3.2 MOTIVATION FOR BRIDGE REPLACEMENT

The old Jesup South Bridge, located on Buchanan County V65 (located at approximately 42°23'17" N, 92°03'21" W and shown in Figure 3.1), carried traffic (over 2000 ADT) on one of the busiest roads in Buchanan County, Iowa. With a sufficiency rating of 49, this bridge was a prime candidate for replacement. County engineers sought to replace the existing 22-foot-wide bridge with a modern 40-foot-wide bridge with galvanized steel rolled beams and galvanized rebar.



Figure 3.1: Old Jesup South Bridge, Constructed in 1947 (Case Study)

The newer Jesup South Bridge design, as shown in Figure 3.2, includes a 63-foot span, with two striped traffic lanes, that is supported by five girders. The beams were delivered to the bridge construction site and set on October 2, 2013. The completed Jesup South Bridge opened to traffic on November 19, 2013.



Figure 3.2: Newly-Completed Jesup South Bridge, Constructed in 2013 (Case Study)

The authors acknowledge the support of the following organizations who contributed to the construction of the V-65 Jesup South Bridge:

- AZZ Galvanizing Services (Galvanizing)
- BlueArc Stud Welding (Shear Studs)
- D-MAC Industries (Steel Bridge Form)
- Gerdau-Memphis (Reinforcing Steel: Rebar)
- Nucor Fastener/Ziegler Bolt & Part Co. (Fasteners)
- Nucor-Yamato Steel Company (Rolled Beams)
- Skyline Steel (H-Piles)
- St. Louis Screw & Bolt (Shear Studs)
- U.S. Bridge (Fabrication Railing Materials, Steel Detailing)

3.3 COMPARISON OF PRODUCED BRIDGE DESIGNS

Utilizing eSPAN140, county engineers were able to generate a Customized Steel Bridge Solutions Book containing all necessary information to fabricate and construct the new Jesup South Bridge. A comparison of relevant eSPAN140 output and final design parameters is presented in Table 3.1.

Table 3.1: Comparison of Bridge Design Parameters

eSPAN140	Iowa DOT	
39'-5" 40'-0"		
8'-8.4"	8'-8.5"	
2'-7.2"	2'-7''	
Elastomeric Bearings (Traditional Abutment)	Rocker Bearings (Integral Abutment)	
W40×149 (Selected Sections)	W36×135 (Lightest Weight Sections, S=9')	
Even (e.g. 21'-21'-21')	21.5'-20'-21.5'	
PL5×1/2	PL5×1/2	
Total Camber 1.983" (Location Found) (eSPAN140 .pdf)		
3 studs per row (Variable Spacing)	2 studs per row (Constant 11" Spacing)	
8.25"	8.50"	
#6 Rebar #6 Reb (18" Spacing) (9" Spaci (8" Spacing) (8.75" Spaci (18" Spacing) (9" Spaci (8" Spacing) (8.75" Spaci		
	39'-5" 8'-8.4" 2'-7.2" Elastomeric Bearings (Traditional Abutment) W40×149 (Selected Sections) Even (e.g. 21'-21'-21') PL5×1/2 1.983" (eSPAN140.pdf) 3 studs per row (Variable Spacing) 8.25" #6 Rebar (18" Spacing) (8" Spacing)	

In regards to the data presented in Table 3.1:

- Parameters describing the bridge's cross-section show no major deviation in dimensions or details.
- Since Buchanan County engineers decided to employ an integral abutment in lieu of a traditional abutment with elastomeric bearings, it was decided that a small S-shape was to be used as a rocker bearing.
 - Due to this decision, the diaphragm spacing was slightly altered to account for the clear span length between the faces of each abutment.
- In lieu of using the all girder spacing envelope section reported by eSPAN140,
 Buchanan County engineers elected to use the lightest weight girder option for a 9 ft. girder spacing.
 - Utilizing a different girder resulted in different dead loads and different section properties, thereby slightly altering applied cambers.
 - In addition, due to altered loads and section properties, a revised shear stud layout was employed (an independent design check, conducted by the authors, validated this design).
- Buchanan County engineers also elected to utilize a deck reinforcement pattern that incorporated a slightly larger amount of steel reinforcement.

3.4 CONCLUSIONS

The preceding chapter discusses the design of the new V-65 Jesup South Bridge in Buchanan County, Iowa. Using eSPAN140 as a valid preliminary design, the Buchanan County engineers applied their local customization practices to develop the final design to be constructed. The remaining chapters of this report will discuss the research program conducted by the authors on the behavior of this bridge under construction and live loading conditions.

CHAPTER 4: RESEARCH METHODS

4.1 Introduction

Contained in this chapter is an overview of the experimental and analytical methods used to assess the V-65 Jesup South Bridge. Specifically, an overview of the testing equipment and finite element modeling techniques used to validate physical test data is discussed.

4.2 EXPERIMENTAL TESTING EQUIPMENT

The following section contains an overview of the equipment used to perform field investigations of the V-65 Jesup South Bridge.

4.2.1 STS-WiFi Data Acquisition System

Strains were collected and recorded by a suite of wireless instruments, devices, and software from Bridge Diagnostics, Incorporated (BDI). The BDI wireless system can accommodate several different types of instruments and incorporates 4-channel nodes and a wireless base station. Each instrument generally comes equipped with BDI's "Intelliducer" chip that allows it to identify itself within the software. This eliminates confusion during post-processing when trying to distinguish between data collected by various gages. The instruments used during this field test were BDI strain transducers (see Sections 4.2.2).

The wireless base station shown in Figure 4.1 is used to monitor real-time wireless broadband signals that are transmitted over several hundred feet from the 4-channel nodes (shown in Figure 4.2). The nodes also monitor and power the instruments when online. The base station is capable of taking readings at 500 samples per second (500 Hz) and has an expandable channel capacity ranging from 4 to 128 channels (in multiples of four).



Figure 4.1: STS WiFi Wireless Base Station (BDI)



Figure 4.2: STS WiFi 4-Channel Node (BDI)

This test system saves significant time during testing because it requires no wiring between the base station and the instruments. The nodes and base station are powered by rechargeable 9.6V Makita Ni-MH batteries that can last up to six hours under continuous use. The BDI software also has a standby function that allows users to put all or some of the nodes into a hibernation mode for a given amount of time. This allows users to run tests all day on a single battery charge without having to spend valuable time retrieving the nodes to replace batteries.

4.2.2 BDI Strain Transducers

The strain gages selected for the field test were BDI's re-usable strain transducers (Figure 4.3). They are ideal for field-testing because they require minimal surface preparation and take very little time to install. The gages have a temperature range of -60°F to +250°F and connect to the nodes with military style quick connect plugs requiring no solder. Each gage has a range of ±2000 µE with an accuracy of ±2 percent. Reusable mounting studs are glued to the bridge with an instant adhesive and mounted with a jig to ensure proper stud spacing. The jig also reduces the risk of damaging the gages while tightening the nuts. The mounting studs fit through two holes on either end of the gage and are tightened with two 7/16-in. nuts. The recommended adhesive is Loctite 410 Black Toughened Adhesive. The gage locations are first marked using black permanent markers and then prepped with a hand grinder to remove galvanization and any corrosion present. The adhesive is then applied to the bottom of the transducer tabs and pressed against the member at the marked locations and held in place for approximately one minute until secure.



Figure 4.3: BDI Strain Transducer

4.3.4 Load Truck & Wheel Scales

A tri-axle dump truck was used to simulate live loading during in-service testing. The truck was loaded with shale for additional weight to induce various structural behaviors (see Figure 4.4). The truck was weighed with Intercomp Wheel Load Weigher scales on the day of the test (see Figure 4.5).



Figure 4.4: Tri-Axle Load Truck



Figure 4.5: Wheel Load Weigher (Intercomp)

4.3 FINITE ELEMENT MODELING TECHNIQUES

Abaqus 6.10-1/CAE (Dassault Systèmes, 2014) was used for the modeling and analysis of the V-65 Jesup South Bridge in this project. The appropriate elements, mesh densities, and other associated model parameters (boundary conditions, material definitions, etc.) were adapted from previous research to achieve accurate results (Galindez, 2009). Loads applied are representative of typical construction sequences, including overhangs, formwork, screed/rail, walkway, and the finishing machine.

A parametric algorithm was formulated in MATLAB that develops finite element meshes using input parameters defined by a user. Using the appropriate input data, the algorithm calculates loads, assigns node and element information associated with the bridge's geometry, and generates a .inp file necessary for analysis in ABAQUS. Once the .inp file is generated and analyzed using ABAQUS/Standard, the algorithm post-processes the results of the finite element analysis and computes the bridge response (including primary and lateral flange bending) from finite element analysis as well as the associated AASHTO approximations.

4.3.1 Material Definitions

The incorporation of nonlinear behavior would create difficulties in predicting live load distribution and behavior during construction since strain values would be somewhat unpredictable once stresses breached the yield point. Therefore, all materials were only modeled as linear, elastic, isotropic mediums. It should also be noted that the maximum stress values for both the steel and concrete in all of the models once analyzed were found to be well below the yield stress for steel or the compressive strength of concrete, respectively, indicating that the modeling of the materials as linear elastic mediums was sound. This conclusion has also been made by other researchers. Eom and Nowak (2001) concluded, after testing 17 steel I-girder bridges in Michigan, that the observed response of these bridges under the application of live load was linear throughout their study.

Specifically, the following material properties were employed:

• For reinforced concrete, which was taken to have a compressive strength of 4.0 ksi, according to the previsions of AASHTO LRFD Section 5.4.2.4, the modulus of

- elasticity of concrete was determined to be 3640 ksi. Also, according to AASHTO LRFD Section 5.4.2.5, Poisson's ratio was taken to be 0.2.
- For steel, which was taken to have a yield strength of 50 ksi, according to the previsions of AASHTO LRFD Section 6.4.1, the modulus of elasticity of steel was taken to be 29000 ksi. Also, Poisson's ratio was taken to be 0.3.

4.3.2 Element Selections

Element selection for the finite element models included a 4-node, doubly-curved, finite-membrane-strain, general-purpose shell with reduced integration (known in the Abaqus/Standard User's Manual as an S4R element) and a 2-node linear beam in space (known in the Abaqus/Standard User's Manual as a B31 element). S4R elements were used to simulate the concrete deck, the girder webs, and the girder flanges; B31 elements were used to simulate the diaphragm members. To model the composite action between both the girders and the deck, node-to-node multiple point constraints were used such that the degrees of freedom between nodes were restrained (these constraints are known in the Abaqus/Standard User's Manual as an MPC Beam).

4.3.3 Mesh Discretization

AASHTO LRFD Section 4.6.3.3 describes certain guidelines that should be adhered to with modeling beam-slab bridges. For example, the aspect ratio of finite elements should not exceed 5.0. Also, for finite element analyses involving plate and beam elements, it is preferable to maintain the relative vertical distances between various elements.

The mesh discretization for the finite element models was designed both to attain accurate results as well as to adhere with AASHTO LRFD specifications. For the bridges modeled in this study, mesh discretization of the girders consisted of six elements along the flanges and eight elements along the web. For the deck, the mesh was discretized such that elements were approximately 8 to 10 inches long transversely. As for discretization along the longitudinal axis, all elements were discretized to be one foot long, i.e. one element per foot of

span length. This scheme of discretization ensured that all of the AASHTO specifications were

met as well as that the results that were attained were accurate.

4.3.4 Boundary Conditions and Multiple-Point Constraints

Boundary conditions on the models represented common "hinge-roller" conditions. Also,

as is common with bridge construction, the girder ends were also restrained from lateral

movement as well. These boundary conditions were placed on the nodes along the edges of the

bottom flange of each girder.

4.3.5 Application of Construction Loading

Loads were applied to the model's construction loading to mimic the stresses acting on

the girders during a deck casting sequence. These loads consist of permanent dead loads and

construction loads. The permanent loads consisted of the self-weight of the structural member

system; whereas additional construction loads consisted of the following loads, taken from

NSBA (2012):

• Overhang Brackets: 50 lbs each on 3 ft spacing

• Formworks: 10 lb/ft²

• Screed Rail: 85 lb/ft²

• Railing: 25 lb/ft²

• Walkway: 50 lb/ft²

4.3.6 Application of Live Loading

Once the load truck placement position was determined for the experimental testing (see

Section 5.3.3), the wheel point loads on the elements were linearly distributed to the neighboring

nodes. A schematic of this loading is shown in Figure 4.6. Also, Equations 4.1 through 4.4

describe the nodal loads shown in Figure 4.6.

30

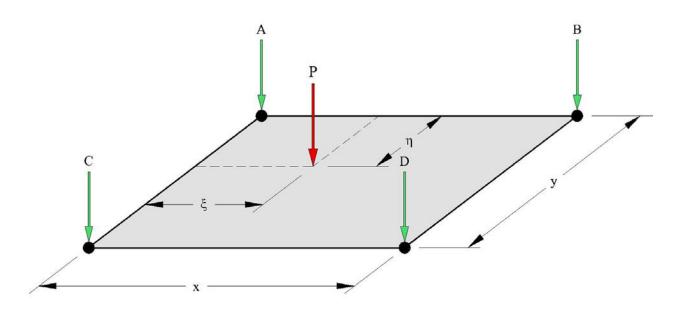


Figure 4.6: Schematic of Nodal Distribution of Point Loads (Michaelson, 2010)

$$A = P\left(1 - \frac{\xi}{x}\right)\left(1 - \frac{\eta}{y}\right)$$
Eq. 4.1
$$B = P\left(\frac{\xi}{x}\right)\left(1 - \frac{\eta}{y}\right)$$
Eq. 4.2
$$C = P\left(1 - \frac{\xi}{x}\right)\left(\frac{\eta}{y}\right)$$
Eq. 4.3
$$D = P\left(\frac{\xi}{x}\right)\left(\frac{\eta}{y}\right)$$
Eq. 4.4

According to AASHTO LRFD Section 4.6.3.3.1, nodal loads shall be statically equivalent to the actual loads being applied. It can be easily shown that the equations corresponding to Figure 4.6, once summed, will equal the applied point load.

4.4 DATA REDUCTION METHODS

Using data from both the physical field tests of the V-65 Jesup South Bridge as well the analysis of finite element models simulating the experiments, a series of standardized bridge responses were assessed. This section describes the methods behind the calculation of those responses.

4.4.1 Computation of Lateral Flange Bending Stresses (Construction Loading)

Galindez (2009) proposed a simplified method for isolating the lateral flange bending stresses present in steel I-girder bridges. This method utilizes stresses measured on either side of the flange (i.e. f_1 and f_2) to compute both major-axis bending stress (f_{bu}) and lateral flange bending stress (f_{ℓ}). The plan view of the bottom flange in Figure 4.7 and Equations 4.5 through 4.6 illustrate these calculations.

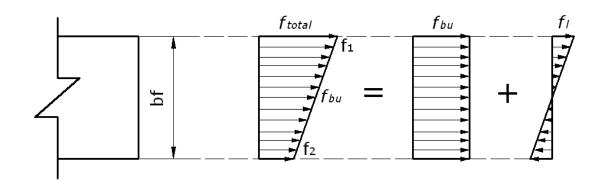


Figure 4.7: Schematic of Nodal Distribution of Point Loads (Galindez, 2009)

$$f_{bu} = \frac{f_1 + f_2}{2}$$
 Eq. 4.5

$$f_{\ell} = f_{\text{total}} - f_{bu}$$
 Eq. 4.6

4.4.2 Computation of Bending Moment & Live Load Distribution Factors (Live Loading)

In order to calculate the bending moment in the girder, the relationship shown in Figure 4.8 and in Equation 4.7 was employed. This relationship is adopted from bridge field testing research by Barker et al. (1999). The total moment in the girder is separated into a pure steel girder couple, M_L , a pure concrete deck couple, M_U , and a couple moment between the two that represents the composite action, M_A .

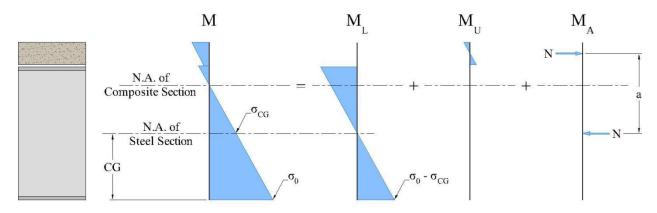


Figure 4.8: Total Girder Moment and Discretized Components (Michaelson, 2010)

$$M = M_L + M_U + M_A$$
 Eq. 4.7

To adequately represent the stress profile of the composite section, three bending stress quantities were measured: 1) at the bottom of the bottom flange, 2) at a quarter of the web depth, and 3) at half of the web depth. For the finite element analysis, the linear profile of stress along the depth of the girder can be determined. Knowing the stress profile from either experimental tests or finite element analysis, Barker et al. (1999) presents the moment components with Equations 4.8 through 4.10:

$$M_L = (\sigma_0 - \sigma_{CG}) S_{\text{steel}}$$
 Eq. 4.8

$$M_U = \left(\frac{EI_{\text{slab}}}{EI_{\text{steel}}}\right) M_L$$
 Eq. 4.9

$$M_A = \sigma_{CG} A_{\text{steel}} \left(d_{\text{steel}} - CG + \text{haunch} + \frac{t_{\text{slab}}}{2} \right)$$
 Eq. 4.10

For these equations:

- $S_{\text{steel}} = \text{section modulus of the steel girder}$
- EI_{slab} = flexural stiffness of the concrete slab
- EI_{steel} = flexural stiffness of the steel girder
- $A_{\text{steel}} = \text{cross-sectional}$ area of the steel girder
- $d_{\text{steel}} = \text{depth of the steel girder}$
- haunch = distance between steel girder and concrete slab
- $t_{\rm slab}$ = thickness of concrete slab

When calculating distribution factors, as demonstrated by Michaelson (2010), the simplest approach is to divide the moment in the beam in question by the sum of the moments in all the beams for a given bridge. This method will be referred to hereafter as the Stallings/Yoo method, as it is presented in their research (Stallings & Yoo, 1993), and is presented in Equation 4.11, where M_i is the bending moment in the ith girder and N_b is the number of girders.

$$DF_i = \frac{M_i}{\sum_{i=1}^{N_b} M_j}$$
 Eq. 4.11

4.5 CONCLUSIONS

The preceding chapter outlined the experimental and analytical techniques used for this research project. Specifically, details such as equipment selection and finite element modeling parameters were discussed. These techniques were used to collect and assess data from field tests of the V-65 Jesup South Bridge, discussed in Chapter 5.

CHAPTER 5: FIELD TESTING OF V-65 JESUP SOUTH BRIDGE

5.1 Introduction

In addition to assisting with design efforts, the Bridge Technology Center (led by the authors), in conjunction with SSSBA, conducted field testing and finite element modeling stress monitoring of the V-65 Jesup South demonstration bridge. The following chapter details two separate field tests performed on the V-65 Jesup South Bridge. The first test focused on monitoring the behavior of the structure during placement of the concrete deck. The second test focuses on assessing the structures in-service performance using vehicular live loading.

5.2 ASSESSMENT OF CONSTRUCTION BEHAVIOR

Described in this section is an overview of the field test performed on the structure on October 24, 2013. The focus of the field test was to assess the structure's performance during the placement of the concrete deck.

5.2.1 Motivation

Lateral flange bending (LFB) is a torsional effect in flanges of an I-section that is caused by lateral loading on the flange and results from cross-section warping. Since the St. Venant torsional stiffness for an open cross-section is low, torsional loads are resisted by the development of LFB stresses in the girder flanges. AASHTO LRFD Specifications use a fixed-end moment approximation to account for LFB in the design phase, as described in Equations 5.1 and 5.2, where L_b is the distance between diaphragms, w_ℓ is the distributed load acting along L_b , F_ℓ is the concentrated load acting along L_b , and M_ℓ is the LFB moment resulting from these applied loads.

$$M_{\ell} = \frac{F_{\ell} L_b^2}{12}$$
 Eq. 5.1

$$M_{\ell} = \frac{P_{\ell}L_b}{8}$$
 Eq. 5.2

Previous studies (Galindez, 2009; Jackson, 2013) have shown that the AASHTO approximation for lateral flange bending can significantly overestimate these stresses during deck placement. However, these studies are largely analytical in nature. Due to a lack of experimental data to validate these studies, the focus of this research effort is to assess LFB stresses during the deck placement of a typical simply-supported steel I-girder bridge.

5.2.2 Instrumentation Plan

The first field test of the V-65 Jesup South Bridge consisted of two days of preparation and one day of physical testing. During the first two days on location, the main task was to measure and mark out the locations for each strain gage to be placed on the W36×135 girders along with adhering reusable tabs to the girders at the gage locations. This also included the necessary surface preparation required to adhere the aforementioned reusable tabs (i.e. grinding away galvanizing and surface roughness). The third day consisted of installing the strain indicators onto the reusable tabs, collecting strain data during the placement of the concrete deck, and removing instrumentation after deck placement was complete.

In total, 14 independent gage locations were chosen for physical investigation. Gages were placed along the western exterior girder between the southern abutment and the first diaphragm location. Specifically, seven gages were placed along a cross-section 10 feet from the face of the southern abutment and seven gages were placed 1 foot south of the first diaphragm location. This was chosen as it was the locations determined by analytical studies to generate the largest magnitudes of LFB stresses present during deck casting while simultaneously eliminating stress concentrations at connection regions.

For each cross-section, three gages were placed along the bottom flange (one at the center and one at each end), two gages were placed along the web (one on either side) at a distance d/4

from the bottom flange, where d is the girder depth, and two gages were placed along the web (one on either side) at a distance d/4 from the top flange. This instrumentation pattern was chosen to measure both major-axis bending as well as lateral flange bending stresses while providing redundant data readings for all critical values. All gages were oriented to measure stress along the girder's longitudinal axes. Instrumentation locations are shown in Figures 5.1 through 5.4.

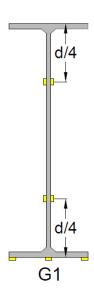


Figure 5.1: Gage Locations along Girder Cross-Section

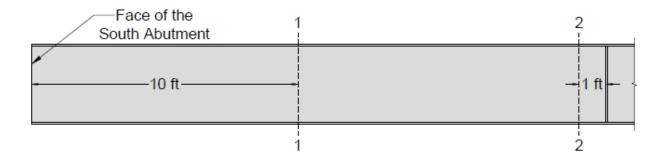


Figure 5.2: Longitudinal Placement of Strain Gages

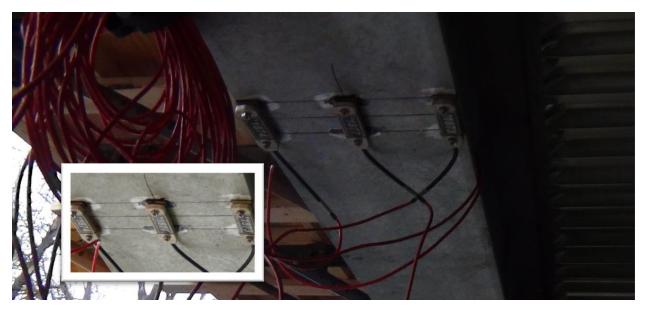


Figure 5.3: Bottom Flange Gage Locations (10' from Abutment Face)



Figure 5.4: Web Gage Locations (10' from Abutment Face, Exterior Gages Visible)

5.2.3 Deck Placement

Deck placement began on the north abutment and proceeded south along the span. A concrete conveyor truck was used to transport concrete (delivered to the southern end of the span) to the northern end during deck placement. During a placement, a crew of approximately 12 county workers utilized a Morrison Super Screed Rail, bull floats, concrete vibrators, and other tools to assist in properly placing the concrete deck (Figure 5.5).



Figure 5.5: Placement of Concrete Deck

During data collection, initial readings were taken before deck placement was started and after deck placement was completed. The difference between these readings indicate the change in stress/strain caused by the placement of the concrete deck. Utilizing the data reduction methods discussed in Chapter 4, the reduced readings in Table 5.1 were obtained. Cross sections referred to in Table 5.1 are described in Figure 5.2. Note that due to the instrumentation plan selected, both major axis bending and lateral flange bending readings were obtained.

Table 5.1: Data Obtained from Deck Placement

Cross Section	Major-Axis Bending Stress	Lateral Flange Bending Stress				
Section 1-1	+ 4.99 ksi	+ 1.80 ksi				
Section 2-2	+ 8.97 ksi	- 2.20 ksi				

5.2.4 Finite Element Modeling

Using the finite element modeling techniques discussed in Chapter 4, a finite element model simulating the construction loading of the V-65 Jesup South Bridge was created and analyzed. Figure 5.6 illustrates the results of the analysis (specifically longitudinal bending stress) on the exterior girder that was instrumented. Note the variation present in the stress contours along the flanges; this indicates the presence of lateral flange bending.

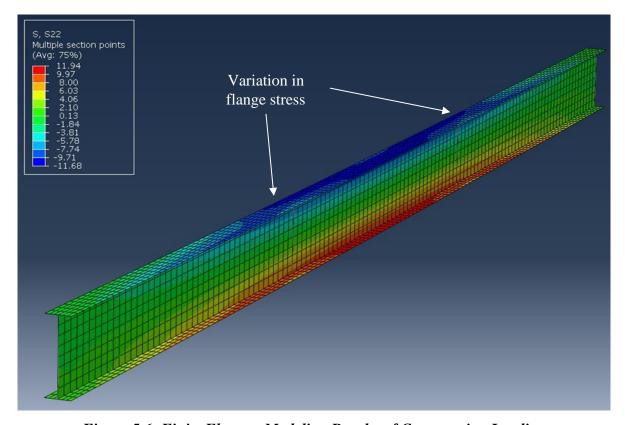


Figure 5.6: Finite Element Modeling Results of Construction Loading

Utilizing the data reduction methods discussed in Chapter 4, a comparison of the experimentally-obtained data from the field test along with the results of the aforementioned finite element model are plotted in Figure 5.7. In addition, the AASHTO LRFD approximation for LFB is plotted. As shown, experimentally-obtained data and finite element results correlate quite well. In addition, the comparison of AASHTO and finite element LFB stresses reiterates the need for improved approximations for lateral flange bending effects in steel I-girders.

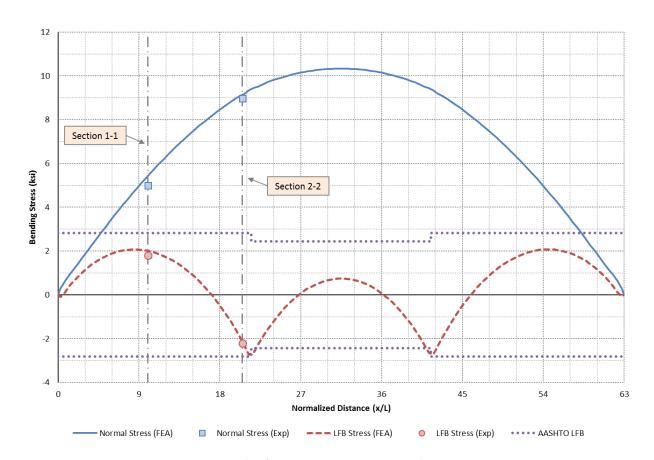


Figure 5.7: Results from Construction Loading Assessment

5.3 ASSESSMENT OF IN-SERVICE PERFORMANCE

Described in this section is an overview of the field test performed on the structure on July 16, 2014. The focus of the field test was to assess the structure's performance during its inservice state (i.e. under vehicular live load).

5.3.1 Motivation

In lieu of a complex three-dimensional analysis, live load distribution factors are commonly employed by bridge engineers to simplify the analysis of a bridge system. Specifically, instead of looking at the bridge system as a whole, these factors allow for a designer or analyst to consider bridge girders individually by determining the maximum number of trucks that may act on a given girder. The development of the relatively new distribution factors for beam-and-slab bridges incorporated in AASHTO LRFD Specifications are primarily the result of NCHRP Report 12-26 (Nutt, Schamber, & Zokaie, 1988). This report, however, does not take into account the different live load responses of interior and exterior girders. Numerous research studies have shown that the distribution of live load in a bridge system differs between interior girders and exterior girders. In addition, there is little research on the live load distribution to exterior girders on steel I-girder bridges with integral-cast abutments. Therefore, the focus of this research effort is to assess live load distribution characteristics of a typical simply-supported steel I-girder bridge with an integral abutment.

5.3.2 Instrumentation Plan

The second field test of the V-65 Jesup South Bridge consisted of two days of preparation and one day of physical testing. During the first two days on location, the main task was to measure and mark out the locations for each strain gage to be placed on the W36×135 girders along with adhering reusable tabs to the girders at the gage locations. This also included the necessary surface preparation required to adhere the aforementioned reusable tabs (i.e. grinding away galvanizing and surface roughness). The third day consisted of installing the strain indicators onto the reusable tabs, collecting strain data during live load testing, and removing instrumentation after the live load tests were complete.

In total, 15 independent gage locations were chosen for physical investigation. Gages were placed along each girder 1 foot south of the first diaphragm location from the southern abutment. This was chosen since it used tab locations from the previous field test. Specifically, three gages were placed along each girder: one gage along the center of the bottom flange, one along the web at a distance d/4 from the bottom flange, where d is the girder depth, and one gage

along the web at a distance d/2 from the bottom flange. This instrumentation pattern was chosen to measure major-axis bending in all of the girders while providing redundant data readings for all critical values. All gages were oriented to measure stress along the girder's longitudinal axes. Instrumentation locations are shown in Figures 5.8 and 5.9.

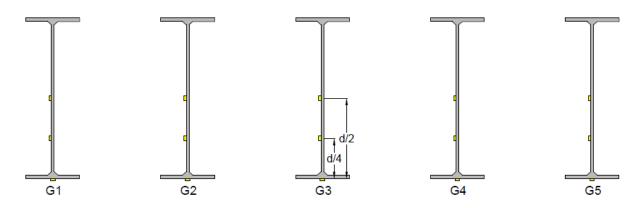


Figure 5.8: Gage Locations along Bridge Cross-Section (Looking North)



Figure 5.9: Gage Locations (1' from South Diaphragm)

5.3.3 Live Load Placement

The live load used for testing was a tri-axle dump truck made available by the Buchanan County Secondary Roads Department. The truck was weighed and measured with wheel-load scales and a tape measure. The truck is shown in Figure 5.10, and dimensions and wheel weights are shown in Figure 5.11.



Figure 5.10: Tri-Axle Load Truck

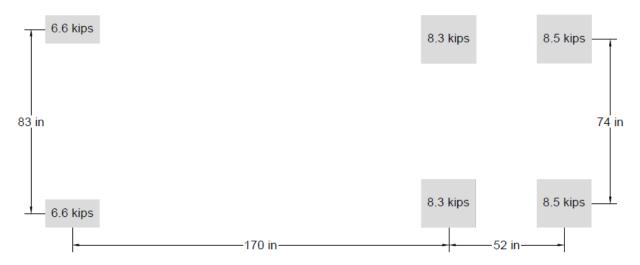


Figure 5.11: Truck Dimensions and Wheel Loads

The truck placements used during physical testing were intended to generate the maximum response in each girder with the fewest number of runs while also exploiting symmetry (since the bridge has no skew angle). By taking advantage of symmetry, it was determined that only five truck runs needed to be completed. Those truck runs are detailed in Figure 5.12.

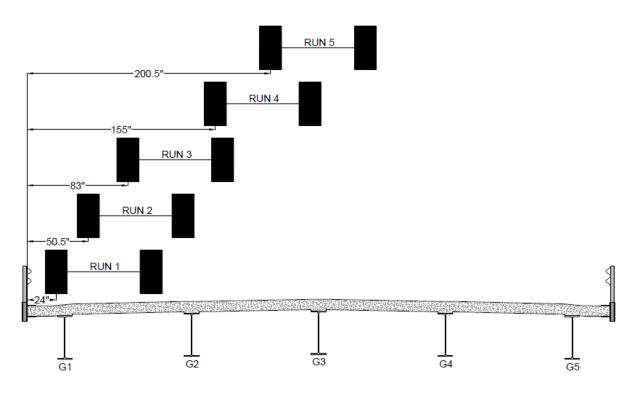


Figure 5.12: Live Load Truck Placements (Looking North)

For each truck run, the truck was driven at a crawl speed, and then stopped with the center axle resting at a given cross-section. The resulting racking and induced vibrations were allowed to settle to obtain a "pseudo-static" reading from each gage. This is desirable both from a design standpoint (current design methods use static analyses to obtain live load envelopes) and from a modeling standpoint (the proposed modeling technique assumed static behavior). For each run, the truck was stopped at two locations:

- 19 feet from the southern abutment (to maximize bending moment at the gage locations).
- Midspan (to generate maximum bending moment in the girders)

During data collection, initial readings were taken before truck placement was started and after each truck placement was completed. The difference between these readings indicate the change in stress/strain caused by the placement of the vehicular live load. Utilizing the data reduction methods discussed in Chapter 4, the reduced readings in Table 5.2 were obtained. Truck runs referred to in Table 5.2 are described in Figure 5.12. Note that, due to the loading plan selected, both moments with the truck at the gage location and at midspan were obtained.

Table 5.2: Experimental Bending Moments Obtained from Live Load Placement (ft-kip)

Truck Run	Truck Location	M_{G1}	M_{G2}	M_{G3}	M_{G4}	M_{G5}
Run 1	L = 19 ft	129.4	88.3	30.5	12.4	8.5
Kun 1	Midspan	71.7	50.2	24.1	9.7	13.3
D.v. 2	L = 19 ft	104.0	101.2	37.8	13.8	19.8
Run 2	Midspan	62.0	48.1	26.1	10.8	16.8
D 2	L = 19 ft	77.2	105.1	47.7	16.1	20.2
Run 3	Midspan	50.8	48.5	26.8	11.6	67.0
D 4	L = 19 ft	35.6	85.2	79.7	31.7	36.6
Run 4	Midspan	29.2	47.0	32.0	20.7	37.8
Run 5	L = 19 ft	18.0	58.7	84.5	50.6	49.7
	Midspan	15.4	40.5	32.0	23.9	48.5

5.3.4 Finite Element Modeling

Using the finite element modeling techniques discussed in Chapter 4, a finite element model simulating the live loading of the V-65 Jesup South Bridge was created and analyzed. Figure 5.13 illustrates the model used to simulate live loading on the structure.

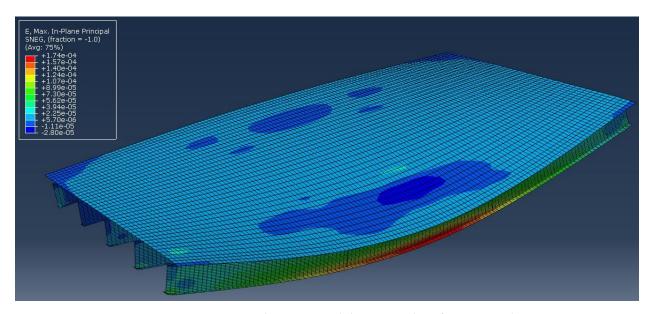


Figure 5.13: Finite Element Modeling Results of Live Loading

Utilizing the data reduction methods discussed in Chapter 4, a comparison of the experimentally-obtained data from the field test along with the results of the aforementioned finite element model are plotted in Figure 5.14. Specifically, a comparison of experimentally-computed distribution factors and those reduced from finite element analyses are plotted. As shown, there is good correlation between the experimental and analytical results.

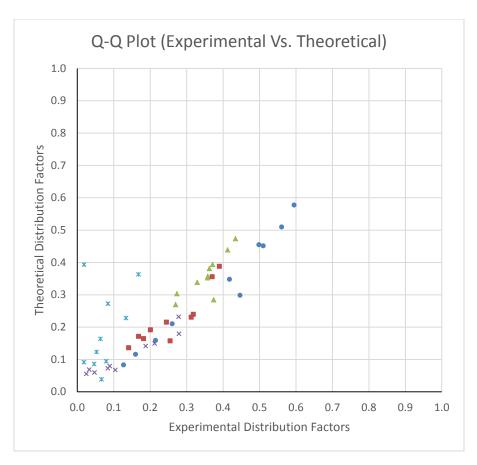


Figure 5.14: Results from Live Loading Assessment

5.4 CONCLUSION

The contents of this chapter have detailed two separate field tests conducted on the V-65 Jesup South Bridge. The accuracy of this data has been benchmarked against analytical investigations using methods discussed in Chapter 4. The results of these assessments show that the data generated from the field tests is quite accurate and will prove invaluable in future analytical studies on short-span steel bridge behavior.

CHAPTER 6: SUMMARY & CONCLUDING REMARKS

6.1 Project Summary

The scope of this report was to discuss the development of eSPAN140 and its associated design standards along with how eSPAN140 was utilized during its first documented application, the V-65 Jesup South Bridge. As discussed in the report, it is clear that eSPAN140 is quite capable of producing efficient and economical solutions in the short-span range. For this project, eSPAN140 provided all the necessary parameters for county engineers to refine and synthesize an effective short-span steel bridge design.

6.2 RECOMMENDATIONS FOR CONTINUED WORK

The authors recommend the following tasks for future work:

- Deliver presentations summarizing this project at technical meetings and conferences, including SSSBA semiannual meetings, state/county engineering conferences, and other appropriate venues.
- Utilize experimental data obtained in this research to conduct future analytical studies in various aspects of short-span steel bridge behavior, such as:
 - o Lateral flange bending in steel I-girder bridges
 - o Live load distribution in steel I-girder bridges
 - o Etc.

REFERENCES

- AASHTO (2010). American Association of State Highway and Transportation Officials.

 <u>AASHTO LRFD Bridge Design Specifications, Fifth Edition</u>. AASHTO, Washington, DC, 2010.
- Barker, M. G., Imhoff, C. M., McDaniel, W. T., and Frederick, T. L. (1999). "Field Testing and Load Rating Procedures for Steel Girder Bridges." University of Missouri Columbia: Missouri Department of Transportation.
- Barth, K. E. (1996). Moment-Rotation Characteristics for Inelastic Design of Steel Bridge Beams and Girders. <u>School of Civil Engineering</u>. West Lafayette, IN, Purdue University. Doctor of Philosophy.
- Barth, K. E. and H. Wu (2006). "Efficient Nonlinear Finite Element Modeling of Slab on Steel Stringer Bridges." <u>Finite Elements in Analysis and Design</u> 42(14): 10.
- Beer, F., E. R. Johnston, et al. (2012). <u>Mechanics of Materials</u>. New York, NY, McGraw-Hill Higher Education.
- Bentley Systems, Inc. (2008). LEAP CONSYS. Tampa, FL, Bentley Systems, Inc.
- Boresi, A. P. and R. J. Schmidt (2003). <u>Advanced Mechanics of Materials</u>. Hoboken, NJ, John Wiley & Sons, Inc.
- Bridge Diagnostics, Inc. (n.d.). STS-WiFi Operations Manual. Boulder, CO.
- Burgueño, R. and B. S. Pavlich (2008). <u>Evaluation of Prefabricated Composite Steel Box Girder Systems for Rapid Bridge Construction</u>. East Lansing, MI, Michigan State University.
- Burner, K. A. (2010). Experimental Investigation of Folded Plate Girders and Slab Joints Used in Modular Construction. <u>Department of Civil Engineering</u>. Lincoln, NE, University of Nebraska-Lincoln. Master of Science.
- Chandar, G., M. D. Hyzak, et al. (2010). Rapid Economical Bridge Replacement. <u>Modern Steel</u>

 <u>Construction</u>. Chicago, IL, National Steel Bridge Alliance. 2010.
- Chen, W. F. and D. J. Han (1988). <u>Plasticity for Structural Engineers</u>. New York, NY, Springer-Verlag.
- Dassault-Systèmes (2010). Abaqus/CAE. Providence, RI, Dassault Systèmes Simulia Corp.
- Egilmez, O. O., T. A. Helwig, et al. (2007). "Stiffness and Strength of Metal Bridge Deck Forms." ASCE Journal of Bridge Engineering 12(4): 8.

- Eom, J., and Nowak, A. S. (2001). "Live Load Distribution for Steel Girder Bridges." <u>ASCE</u> Journal of Bridge Engineering 489-497.
- Galambos, T. V. (1968). <u>Structural Members and Frames</u>. Englewood Cliffs, NJ, Prentice-Hall, Inc.
- Galindez, N. Y. (2009). Levels of Lateral Flange Bending in Straight, Skewed and Curved Steel I-Girder Bridges During Deck Placement. <u>Department of Civil & Environmental</u> Engineering. Morgantown, WV, West Virginia University. Doctor of Philosophy.
- Garrell, C. (2011). Steel Plate Availability for Highway Bridges. <u>Modern Steel Construction</u>. Chicago, IL, National Steel Bridge Alliance. 2011.
- Glaser, L. A. (2010). Constructability Testing of Folded Plate Girders. <u>Department of Civil Engineering</u>. Lincoln, NE, University of Nebraska-Lincoln. Master of Science.
- Graybeal, B. A. (2010). <u>Behavior of Field-Cast Ultra-High Performance Concrete Bridge Deck</u>
 <u>Connections Under Cyclic and Static Structural Loading</u>. McLean, VA, Federal Highway Administration.
- Helwig, T. A. and K. H. Frank (1999). "Bending Behavior of Composite Girders with Cold Formed Steel U Section." ASCE Journal of Structural Engineering 125(11):
- ITD (2014). <u>ITD Bridge Design LRFD Manual</u>. Boise, ID, Idaho Transportation Department.
- Jackson, J. J. (2013). Evaluation of Deck Casting on the Construction Performance of Straight and Skewed Steel I-Girder Bridges. <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Master of Science.
- Kala, Z. (2013). Elastic Lateral-Torsional Buckling of Simply Supported Hot-Rolled Steel I-Beams with Random Imperfections. <a href="https://doi.org/10.1016/j.com/10.1016
- Lay, M., Adams, P., and Galambos, T. "Experiments on High Strength Steel Members," Fritz Engineering Laboratory Report No. 297.8, Fritz Engineering Laboratory, Lehigh University, Bethlehem, PA. 1964.
- MDX Software, Inc. (2009). MDX Version 6.5.910. MDX Software, Inc., Columbia, MO, 2009.
- Michaelson, G. K. (2010). Live Load Distribution Factors for Exterior Girders in Steel I-Girder Bridges. <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Master of Science.
- Micro-Measurements, Inc. (2010). StrainSmart. Raliegh, NC, Micro-Measurements, Inc.

- Morgan, S. A. (2010). Towards the Development of Efficient and Economical Short Span Modular Bridges. <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Master of Science.
- Nagy, G. (2008). Development of an optimized Short-Span Steel Bridge Design Package.

 <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia
 University. Master of Science.
- Nakamura, S. (2002). "Bending Behavior of Composite Girders with Cold Formed Steel U Section." ASCE Journal of Structural Engineering 128(9): 8.
- NSAB (2012). Design Example 1: Three-Span Continuous Straight Composite Steel I-Girder Bridge. <u>Steel Bridge Design Handbook</u>. Washington, DC, National Steel Bridge Alliance.
- NSBA (2012). Design Example 2A: Two-Span Continuous Straight Composite Steel I-Girder Bridge. <u>Steel Bridge Design Handbook</u>. Washington, DC, National Steel Bridge Alliance.
- Nutt, R. V., Schamber, R. A., and Zokaie, T. (1988). NCHRP 12-26: Distribution of Wheel Loads on Highway Bridges. <u>Final Report for National Cooperative Highway Research Program</u>.
- Righman, J. E. (2005). Rotation Compatibility Approach to Moment Redistribution for Design and Rating of Steel I-Girders. <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Doctor of Philosophy.
- Roberts, N. R. (2004). Evaluation of the Ductility of Composite Steel I-Girders in Positive Bending. <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Master of Science.
- Schafer, B. W. and S. Ádány (2006). Buckling analysis of cold-formed steel members using CUFSM: conventional and constrained finite strip methods 18th International Specialty Conference on Cold-Formed Steel Structures. Orlando, FL.
- Schilling, C. and S. Morcos. Moment-Rotation Tests of Steel Girders with Ultra-Compact Flanges. Project 188 Autostress Design of Highway Bridges. American Iron and Steel Institute, 1988.
- Snyder, D. and Bennett, D. (2014). Case Study: Buchanan County's eSPAN140 Demonstration Project Sets Stage for New Era in Short Span Steel Bridge Design. Short Span Steel Bridge Alliance.

- Stallings, J. M., and Yoo, C. H. (1993). Tests and Ratings of Short-Span Steel Bridges. <u>ASCE</u> Journal of Structural Engineering 2150-2168.
- Systemes, D. (2014). <u>Abaqus/CAE Users Manual (Version 6.14)</u>. Providence, RI: Dassault Systemes Simulia Corp.
- Taly, N. and H. Gangarao (1979). "Prefabricated Press-Formed Steel T-Box Girder Bridge System." <u>AISC Engineering Journal</u> 16(3): 9.
- The Mathworks, Inc. (2010). MATLAB. Natick, MA, The Mathworks, Inc.
- Tricon Precast, Con-Struct Prefabricated Bridge System. Standard plans. Tricon Engineering Group, Ltd. 2008.
- Yang, L. (2004). Evaluation of Moment Redistribution for Hybrid HPS 70W Bridge Girders.
 <u>Department of Civil & Environmental Engineering</u>. Morgantown, WV, West Virginia University. Master of Science.
- Ziemian, R. D. (2010). <u>Guide to Stability Design Criteria for Metal Structures</u>, John Wiley & Sons, Inc.

Appendix A: eSPAN140 Output

The following appendix includes the eSPAN140 output for the V-65 Jesup South Bridge. It should be noted that some of the final design parameters were altered from the eSPAN140 output and verified by the authors.



Steel Bridge Solutions

Jesup Bridge

Brian Keierleber

Buchanan County Iowa

5/31/2013 3:08 PM

www.ShortSpanSteelBridges.org | www.eSPAN140.com



Table of Contents

I. Introduction	3
i. About Short Span Steel Bridge Alliance / Design Support.	3
ii. Project Input Details.	4
II. Standard Design and Details of Short Span Steel Bridges.	5
i. General Notes.	6
ii. Plate Girder Sizing Recommendation	7
iii. Rolled Beam Sizing Recommendation.	8
iv. Rolled Beam Sizing Recommendation.	10
v. Fabrication Details	11
vi. Elastomeric Bearing Details	16
III. Standard Design Details of Corrugated Steel Pipe and Structural Plate Solutions.	19
IV. Manufacturers' Steel Solutions - Customized Solutions from Members of the Short Span Steel Bridge Alliance	23
V. Durability Solutions.	30
i. Galvanized	31
ii. Painted	32
iii. Weathering Steel.	33
VI. Short Span Steel Bridge Alliance Member Contact Information.	34

Introduction

About Short Span Steel Bridge Alliance

The Short Span Steel Bridge Alliance (SSSBA) is a group of bridge and culvert industry leaders - including steel manufacturers, fabricators, service centers, coaters, researchers, and representatives of related associations and government organizations - who have joined together to provide educational information on the design and construction of short span steel bridges in installations up to 140 feet in length.



For more information about the SSSBA, please contact:

Daniel R. Snyder

Manager, Business Development
Steel Market Development Institute, a Business Unit of AISI
25 Massachusetts Ave, NW
Suite 800
Washington, DC 20001
Work Phone: (301) 387-8179
Email: dsnyder@steel.org

For media related information, please contact:

Dianne Newton-Shaw

The Placemaking Group 299 Third Street Oakland, CA 94607 Work Phone: (510) 496-2352 ext 206 Fax: (510) 238-0589

Email: dnshaw@placemakinggroup.com

Design Support

The Short Span Steel Bridge Alliance offers complimentary design support for questions relating to bridge and culvert design. Design support is offered by the following organizations (to submit an inquiry, please visit www.ShortSpanSteelBridges.org and click on the "Bridge Technology Center" link on the homepage):

Standard Design and Details of Short Span Bridges (Plate Girder & Rolled Beam Bridges)

The Bridge Technology Center is a complimentary resource available for questions specific to standard design and detail solutions of short span steel bridges (refer to the section of this Solutions Book on plate girder and rolled beam standards, if applicable). It is a resource provided by West Virginia University and the University of Wyoming.





Standard Design and Details of Corrugated Steel Pipe and Structural Plate

The National Corrugated Steel Pipe Association provides complimentary design support for questions pertaining specifically to standard design and detail solutions of corrugated steel pipe and corrugated structural plate (refer to the section of this Solutions Book on corrugated steel pipe and corrugated structural plate standards, if applicable).



Manufactured Steel Solutions

For questions pertaining to a specific manufacturer's solution (refer to section on Manufacturer's Steel Solutions of this Solutions Book), it is recommended that you directly contact the manufacturer by utilizing the contact information listed with the solution.



Project Input Details

User Name:	Brian Keierleber
User Company:	Buchanan County Iowa
User Input Date:	05/31/2013
Project Name:	Jesup Bridge
City:	Buchanan County
State/Province:	IA
Roadway:	V-65 Benson Shady Grove
Span Length:	65'
Number of Striped Traffic Lanes:	2
Roadway Width:	40'
Total Parapet Width:	3.5"
Total Deck Overhang Width:	2' 7.2"
Pedestrian Access:	No
Number of Sidewalks:	Not provided
Total Width of Each Sidewalk:	Not provided
Skew Angle:	0 degrees
Average Daily Traffic (ADT):	Over 2,000
Design Speed:	46+ mph
Waterway Area:	500 ft²
Height of Cover:	Not provided

Disclaimer

This document has been prepared in accordance with information made available to the Short Span Steel Bridge Alliance (SSSBA) at the time of its preparation. While it is believed to reasonably reflect the present state of knowledge as to the subject, it has not been prepared for conventional use as an engineering or construction document and should not be used or relied upon for any specific application without competent professional examination and verification of its accuracy, suitability, and applicability by a licensed engineer, architect or other professional. SSSBA disclaims any liability arising from information provided by others or from the unauthorized use of the information contained in this document, and does not accept any obligation to issue supplements or corrections in the event of errors being discovered or advances being made in the techniques discussed in the document.

Notes

- Short span standards for rolled beam solutions are only available for input lengths between 40 and 100 feet and skew angles under 20 degrees."
- Short span standards for homogeneous plate girder solutions are only available for input lengths between 60 and 140 feet and skew angles under 20 degrees."
- Short span standards for hybrid plate girder solutions are only available for input lengths between 80 and 140 feet and skew angles under 20 degrees.*
- Design standards for rolled beam and plate girder solutions are rounded in five (5) foot increments.
- Corrugated steel pipe and structural plate standards are only available for input lengths under 85 feet.
- · Customized prefabricated manufacture solutions are available for all lengths and skew angles.
- * For bridges/culverts outside of this range, standard designs will not appear in your solutions book.

Pricing Inquiries

To obtain budget estimates or pricing information, contact a Short Span Steel Bridge Alliance Fabricator (see sections IV and VI in the Solutions Book for contact information).



Standard Design and Details of Short Span Steel Bridge Solutions

General Notes

General

These plans are intended to serve as a guide to state, county, and local highway departments in the development of suitable and economical steel bridge superstructure designs. The plans should be particularly valuable to the smaller highway departments with limited engineering staff.

Specifications

Specifications for design, materials, and construction are included in the following:

- AASHTO LRFD bridge design specifications, fifth edition with 2010 interim revisions. 2010.
 Adopted and published by the American Association of State Highway and Transportation Officials. Washington, DC
- AASHTO/NSBA Collaboration Standard S2.1. Steel Bridge Fabrication Guide Specifications, 2008. Developed by the AASHTO/NSBA Steel Bridge Collaboration. Washington, DC
- AASHTO/NSBA Collaboration Standard G1.4. Guidelines for design details. 2006. Developed by the AASHTO/NSBA Steel Bridge Collaboration, Washington, DC
- ASTM Standards. Published by the American Society for Testing and Materials. ASTM International, 100 Barr Harbor Drive, P.O. Box C700, West Conshohocken, PA 19428-2959 USA.

Design Loading

AASHTO HL-93 Vehicular Live Loading was used throughout.

Design Method

Load and Resistance Factor Design (LRFD) method was employed throughout. Designs were originated using 5 girders with equal spacing. However, plate sizes and beam selections are adequate for any increment of girder layout. Designs will accommodate skews up to 20° from perpendicular, and are intended to be parallel.

Three options are available for steel superstructure composite I-girders. These options are as follows:

 Homogenous plate girders comprised of ASTM A709-50W steel. These designs are available for a span range of 80'-140'.

- Hybrid plate girders comprised of ASTM A709-50W and A709-70W steel. A709-50W steel is utilized for the top flange and web. A709-70W steel is utilized for the bottom flange. These designs are available for a span range of 80'-140'.
- Rolled beams comprised of ASTM A709-50W steel. These designs are available for a span range of 40'-100'.

Structural Steel

All structural steel shall conform to AASHTO M270 (ASTM A709) grade 50, 50W, or 70W, as applicable. Refer to "Design Method."

Concrete

Concrete for deck and parapet shall have a minimum 28-day compressive strength (f'c) of 4,000 PSI.

Concrete Deck

The deck thickness employed for design was 8". This includes a 1/4" integral wearing surface which is not considered part of the structural depth. The owner shall specify the required deck cross slope and grade.

Reinforcing Steel

Reinforcing steel shall conform to ASTM A615 grade 60.

Shear Connectors

Welded stud shear connectors shall conform to the requirements of ASTM A108.

Elastomeric Bearings

See Elastomeric Bearing Details.



COMPOSITE PLATE GIRDER WITH PARTIALLY STIFFENED WEB - 5 GIRDERS AT 8' 10.15" GIRDER SPACING, HOMOGENEOUS

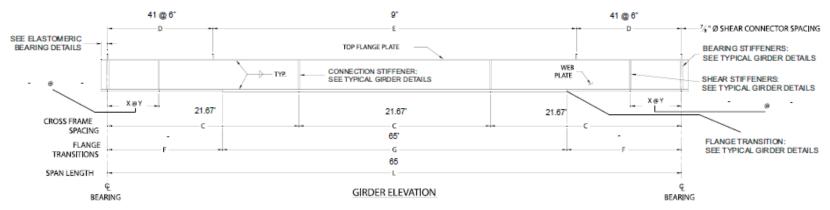
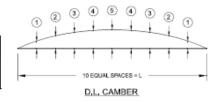


	PLATE GIRDER SIZE							SHEAR STIFFENERS		SHEAR CONNECTOR MAX. SPAC-		
SPAN (L) - ft	TOP FLANGE - In	BOTTOM FLANGE (F)		BOTTOM FLANGE (G)			DIAPHRAGM		IFFENERS	ING		INDIVIDUAL GIRDER
		PLATE - In	LENGTH - In	PLATE - In	LENGTH - In	WEB PLATE- In			Y - IT. (SPACING)	D	E	WEIGHT
65	14 x 3/4"	-	-	14 x 1 1/2"	65'	24 x 1/2"	21.67"	-	-	41 @ 6"	9"	9,621 lbs

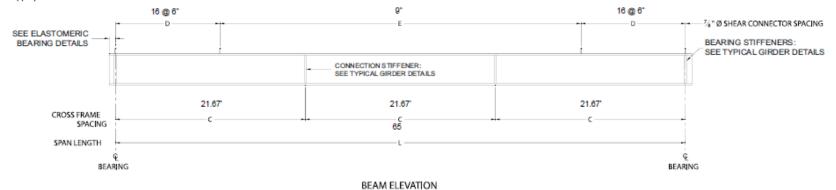
STEEL D.L. CAMBER - In						TO	TAL D.L. CAMBER	- in	
1	2	3	4	5	1	2	3	4	5
0.147"	0.277"	0.379"	0.444"	0.467*	1.159"	2.190"	2.998"	3.511"	3.687*





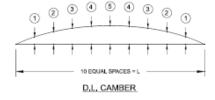
COMPOSITE ROLLED BEAM WITH PARTIALLY STIFFENED WEB - 5 GIRDERS AT 8' 10.15" GIRDER SPACING, LIGHTEST WEIGHT

The selected rolled beam section is based on the widest (10'-6") girder spacing used in the development of the standards. The steel industry generally recommends the use of the widest girder spacing possible to reduce the potential number of girder lines for optimum economy. If you use additional beam lines and/or desire a beam spacing less than 10'-6", a rolled beam with a lighter foot-weight or less depth may be appropriate. See tables in this section of the Solutions Book for additional size recommendations.



SPAN (L) - ft	DAMAIN #	SELECTED SECTIONS	DIAPHRAGM SPACING (C)	SHEAR CONNECT	WEIGHT	
	SELECTED SECTIONS	-ft	D	E	WEIGHT	
	65	W40x149	21.67'	16 @ 6"	9"	10,855 lbs

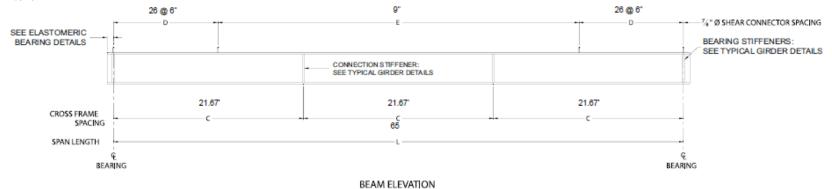
STEEL D.L. CAMBER - In					TOTAL D.L. CAMBER - In					
1	2	3	4	5	1	2	3	4	5	
0.081"	0.154"	0.210"	0.246"	0.258"	0.623"	1.178"	1.612"	1.889"	1.983"	





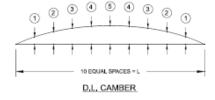
COMPOSITE ROLLED BEAM WITH PARTIALLY STIFFENED WEB - 5 GIRDERS AT 8' 10.15" GIRDER SPACING, LIMITED DEPTH

The selected rolled beam section is based on the widest (10'-6") girder spacing used in the development of the standards. The steel industry generally recommends the use of the widest girder spacing possible to reduce the potential number of girder lines for optimum economy. If you use additional beam lines and/or desire a beam spacing less than 10'-6", a rolled beam with a lighter foot-weight or less depth may be appropriate. See tables in this section of the Solutions Book for additional size recommendations.



	enana) #	SELECTED SECTIONS	DIAPHRAGM SPACING (C)	SHEAR CONNECT	OR MAX. SPACING	WEIGHT
SPAN (L) - ft		SELECTED SECTIONS	-ft	D	E	WEIGHT
	65	W24x192	21.67'	26 @ 6"	9"	12,610 lbs

	STI	EEL D.L. CAMBER	-in			TO'	TAL D.L. CAMBER	-In	
1	2	3	4	5	1	2	3	4	5
0.122"	0.230"	0.315"	0.369"	0.387"	0.785"	1.485"	2.034"	2.382"	2.501"





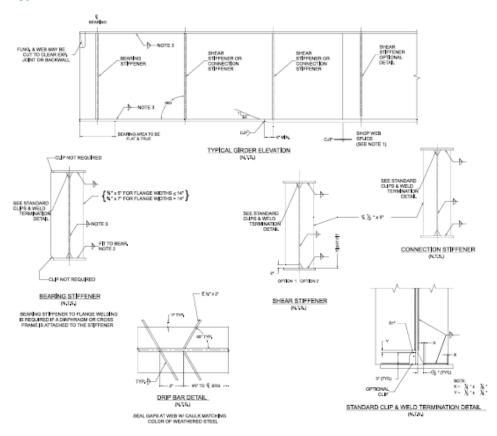
Rolled Beam Selected Sections Recommendations

As noted on the Rolled Beam Sizing Recommendation sheets the selected rolled beam section is based on the widest girder spacing used in these standards, 10°-6°. If you use additional beam lines and/or desire a beam spacing less than 10°-6° the following tables may be used to select an appropriate section. To use these tables given a desired span length and girder spacing select the section by rounding your span length up to the nearest 5 ft. increment equal to or greater than your span length and round your girder spacing up to the nearest column equal to or greater than your girder spacing. For example, using the table for the Limited Depth Designs, if you have a span length of 62 ft. and a girder spacing of 8′-6″ you would select the table entry for a 65 ft. span length and 9 ft. girder spacing which yields a W24 x 176. (Note: recalculate cambers, shown on previous Rolled Beam Sizing Recommendation sheets, to suit revised beam size / spacing)

	COMPOSITE ROLLED BEAM WITH PARTIALLY STIFFENED WEB - LIMITED DEPTH DESIGNS								
SPAN (L) - ft.		GIRDER S	PACING		SELECTED DIAPHRAGM SECTIONS SPACING RECOMMENDED (C) - ft.				
	6'-0"	7'-6"	9'-0"	10'-6"		20 22.5 25 27.5			
40	W21x62	W21x73	W21x83	W21x93	W21x93	20			
45	W21x83	W21x101	W21x101	W21x111	W21x111	22.5			
50	W21x111	W21x111	W21x122	W21x132	W21x132	25			
55	W24x117	W24x117	W24x131	W24x146	W24x146	27.5			
60	W24x162	W27x129	W24x146	W24x162	W24x162	20			
65	W24x192	W30x132	W24x176	W24x192	W24x192	21.67			
70	W27x194	W30x148	W27x178	W27x194	W27x194	23.33			
75	W27x217	W36x150	W27x194	W27x217	W30x235	25			
80	W30x211	W36x160	W30x211	W30x235	W30X233	20			
85	W33x221	W36x182	W33x221	W33x241	W33x291	21.25			
90	W33x241	W40x183	W33x241	W33x291	W33X231	22.5			
95	W36x247	W40x199	W36x247	W36x282	W36x302	23.75			
100	W36x282	W40x211	W36x262	W36x302	14363302	25			

C	COMPOSITE ROLLED BEAM WITH PARTIALLY STIFFENED WEB - LIGHTEST WEIGHT DESIGNS									
SPAN (L) - ft.	5'-0"	GIRDER S	SELECTED DIAPHRAGM SECTIONS SPACING RECOMMENDED (C) - ft.							
40	W21x62	W21x73	9'-0" W24x76	10'-6" W24x84	W24x84	20				
45	W24x68	W21x101	W27x84	W30x90	W30x90	22.5				
50	W27x84	W21x111	W30x99	W30x108	W30x108	25				
55	W30x90	W24x117	W30x116	W33x118	W33x118	27.5				
60	W30x108	W27x129	W33x118	W36x135	W36x135	20				
65	W33x118	W30x132	W36x135	W40x149	W40x149	21.67				
70	W33x130	W30x148	W40x149	W40x167	W40x167	23.33				
75	W36x135	W36x150	W40x167	W36x182	W36x210	25				
80	W40x149	W36x160	W36x182	W36x210	W36X210	20				
85	W40x167	W36x182	W36x210	W36x231	14100-017	21.25				
90	W40x183	W40x183	W40x211	W36x247	W36x247	22.5				
95	W40x211	W40x199	W40x235	W40x249	W44x262	23.75				
100	W44x230	W40x211	W40x249	W44x262	11443262	25				

Typical Girder Details

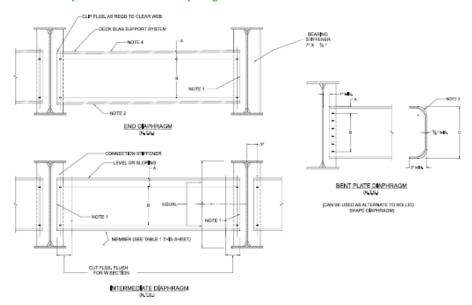


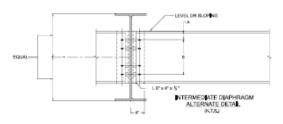
NOTES:

- All CJP welds to be ground and tested per state specifications.
- Fit to bearing is to be 50% in contact with flange and within 1/16" for remainder.
- MT 1' of every 10' (extents of mag particle inspection for fillet welds) -OR- see state specs.

Fabrication Details

Rolled Shape and Bent Plate Diaphragm Details





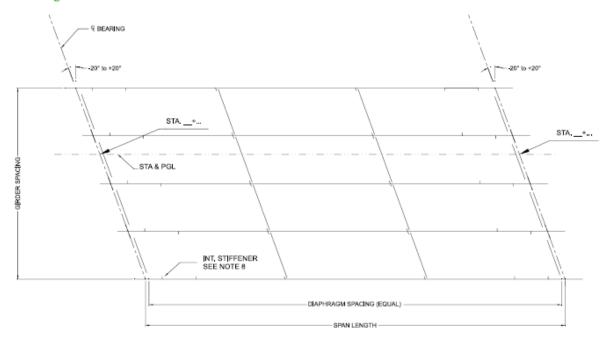
	TAB	LE 1		
DEPTH OF STRENDER OR GIRDOR	DIAPHRASM		DIMENSIONS	0 10 10 10 10 10 10
WEB		Α.	8	
s 80°	015450,9	F	100	107
80" = X × 80"	MORNARY	F	407	187
+ 56"	W90w00	- 60	104	901

NOTES:

- Slope diaphragm and keep holes vertical in stiffener at constant dimensions (to keep all stiffeners the same) and cut ends of diaphragm square.
- At expansion joint, orient channel flanges away from joint opening.
- Minimum radius as per AASHTO/NSBA fabrication S2.1 table 4.3.2-1. Per section 4.3.2, if the bend is parallel to direction of rolling, multiply the minimum radii by 1.5.
- All holes to be 15/16" ø for 7/8" ø HS bolts, ASTM A325 type 3 w/ F438-3 washers (RCT).
- 5. Threads excluded from shear plane.
- Application of the Intermediate Diaphragm Alternate Detail is limited to rolled beams in straight bridges with composite reinforced decks whose supports are normal or skewed not more than 10 degrees from normal and when the intermediate diaphragms are placed in contiguous lines parallel to the supports.



Framing Plan

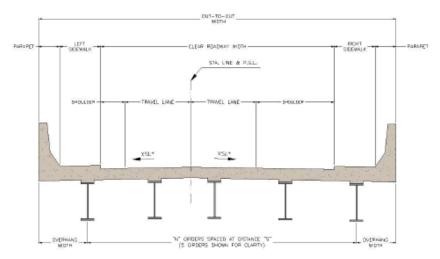


NOTES:

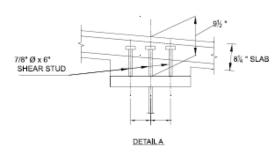
- Superstructure may sit on existing bridge seats. Contractor to verify spacing in field.
- Design will accommodate skews up to 20° from ¹, but are intended to be parallel.
- Station line is intended to be on a tangent alignment.
- 4. Max grade at bearing is ± 5%.
- 5. Orient toes of channel diaphragm down grade.
- Diaphragms may be placed on either side of connection plate at the contractor's discretion.
- 7. Keep diaphragm lines parallel to bearing lines.
- Int. stiffeners are required on one side of web only.
 On fascia girders, orient stiffeners to the inside of the girder. On interior girders, stiffeners should alternate sides. See Girder Elevations for spacing.

eSPAN140

Typical Section



"NOTE: XSL - Cross slope can vary from -.06% to +.06%.

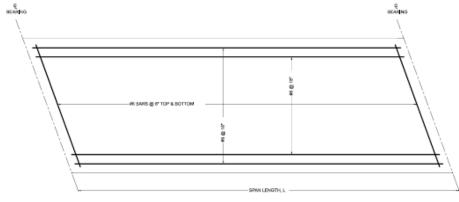


NOTES:

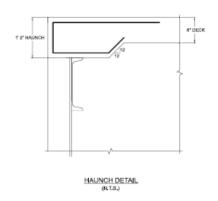
- 1. For shear stud spacing, see Girder Elevations.
- 2. Parapets per state DOT requirements, if cast in place, provide 2'-0" lap with transverse bars.



Deck Design



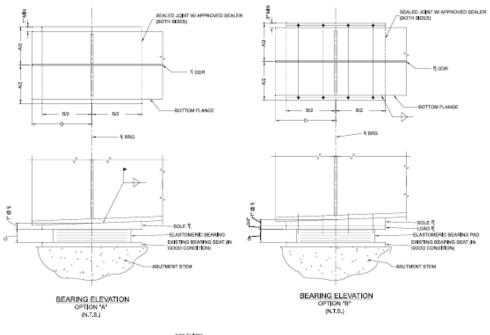
REINFORCING PLAN (N.T.S.)



NOTES:

1. Forming brackets must extend to bottom flange.

COMPOSITE PLATE GIRDERS - 8' 10.15" GIRDER SPACING, HOMOGENEOUS

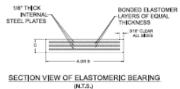


NOTES:

- Bevel sole P if grade exceeds ± 1%.
- Max Grade is ± 5%.
- 4. Holes to be 1 1/16" Ø in sole ₽ for 7/8" Ø bolt.
- 5. All elastomeric cover layers are 1/4" thick.

COMMENTARY:

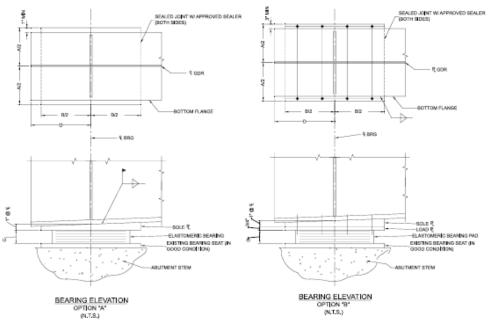
 Care must be exercised with the field welding. The temperature of the steel adjacent to the bearing must be kept below 250°F (120°C). Temperature crayons should be used to monitor the steel temperature during welding.



	ELASTOMETRIC BEARING DETAILS - In							
	,		,	INTERNAL ELAS	STOMER LAYERS			
A	В	C	ь	NO. OF LAYERS	THICKNESS - In			
14"	16"	3.125"	12"	4	0.5"			

eSPAN140

COMPOSITE ROLLED BEAM - 8' 10.15" GIRDER SPACING, LIGHTEST WEIGHT

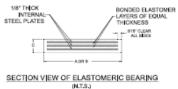


NOTES:

- 1. Bevel sole ₹ if grade exceeds ± 1%.
- Max Grade is ± 5%.
- 3. Sole ₽ to be factory vulcanized to elastomeric bearing pad.
- 5. All elastomeric cover layers are 1/4" thick.

COMMENTARY:

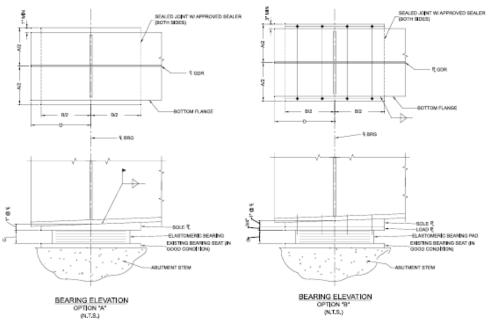
1. Care must be exercised with the field welding. The temperature of the steel adjacent to the bearing must be kept below 250°F (120°C). Temperature crayons should be used to monitor the steel temperature during welding.



	ELASTOMETRIC BEARING DETAILS - In							
				INTERNAL ELAS	STOMER LAYERS			
A	В	С	D	NO. OF LAYERS	THICKNESS - In			
14"	16"	3.125"	12"	4	0.5"			



COMPOSITE ROLLED BEAM - 8' 10.15" GIRDER SPACING, LIMITED DEPTH

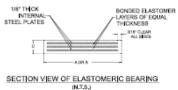


NOTES:

- 1. Bevel sole ₹ if grade exceeds ± 1%.
- Max Grade is ± 5%.
- 3. Sole ₽ to be factory vulcanized to elastomeric bearing pad.
- 5. All elastomeric cover layers are 1/4" thick.

COMMENTARY:

1. Care must be exercised with the field welding. The temperature of the steel adjacent to the bearing must be kept below 250°F (120°C). Temperature crayons should be used to monitor the steel temperature during welding.



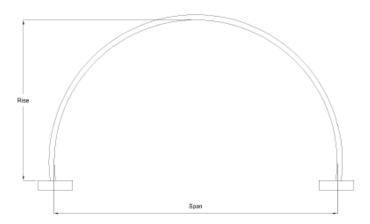
	ELASTOMETRIC BEARING DETAILS - In							
				INTERNAL ELAS	STOMER LAYERS			
A	В	С	D	NO. OF LAYERS	STOMER LAYERS THICKNESS - In			
14"	16"	3.125"	12"	4	0.5"			

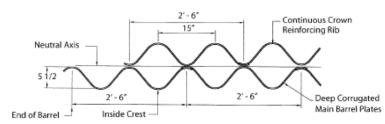


Standard Design and Details of Corrugated Steel Pipe and Structural Plate Solutions



Single-Radius Arch 15x5.5





	SPAN - ft - in	RISE - ft - In	WATERWAY	RADIL	JS -In
ı	SPAN - IL - III	Mac-II-III	AREA - ft²	Rt	Rs
	66' 3"	33' 1"	1722	33' 2"	78

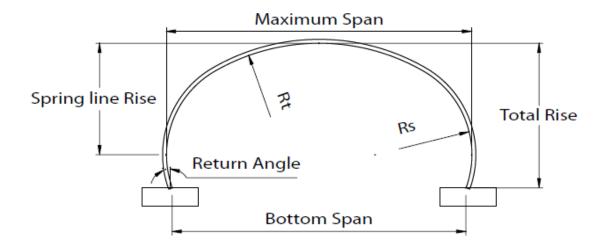
MINIMUM COVER

For specific details on minimum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.

For specific details on maximum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.



Multi-Radius Arch 15x5.5 - Solution 1



MINIMUM COVER

For specific details on minimum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.

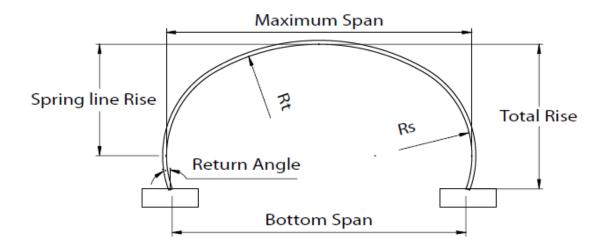
MAXIMUM COVER

For specific details on maximum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.

SPAN - ft - In	RISE - ft - In	BOTTOM SPAN -		RADIL	JS - in	RETURN ANGLE
SPAN-IL-III	NISE - IC-III	rt - in	AREA - ft ^a	Rt	Rc	RETURN ANGLE
65' 7"	20' 6"	65' 4"	1055.9'	548"	135"	8.6



Multi-Radius Arch 15x5.5 - Solution 2



MINIMUM COVER

For specific details on minimum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.

MAXIMUM COVER

For specific details on maximum height of cover requirements for this gauge, profile, and shape, please contact the NCSPA.

SPAN - ft - in	RISE - ft - In	BOTTOM SPAN -		RADII	JS - in	RETURN ANGLE
SPAN-IL-III	NISE - IC-III	rt - in	AREA - ft ^a	Rt	Rc	RETURN ANGLE
65' 7"	24' 4"	65' 4"	1293.5'	548"	214"	7



Manufacturer's Steel Solutions Customized Solutions from Members of the Short Span Steel Bridge Alliance

To obtain budget estimates or pricing information, contact a Short Span Steel Bridge Alliance Fabricator (see sections IV and VI in the Solutions Book for contact information).





Big R Bridge Rick Saurer Vice President, Sales & Marketing http://www.bigrbridge.com/ PO Box 1290 Greeley, CO 80832 770-315-3248 rsauer@bigrbridge.com Big R Bridge is a world leader in developing innovative engineered solutions in Prefabricated Bridges, Structural Plate, MSE Wall Systems and Corrugated Pipe for the transportation, public works, railway, mining, forestry and development sectors. By design, our custom infrastructure solutions are easy to ship and install with minimal equipment and labor requirements, making them ideal even in remote locations. Big R's Technical Sales Representatives and Engineers are well-positioned to ensure your project's success through every phase. With product innovation, in-house engineering strength

Vehicular Modular Bridges

Vehicular Modular Bridges

As the name suggests, these bridges are manufactured and shipped in modular sections that allow for rapid installation. Using equipment on hand, local crews can typically place the superstructure in one day – reducing costs and road closure time. Superstructures can be fabricated with both square and skewed ends to suit any site conditions. We also offer Portable Detour Bridges.

- Strong: able to withstand heavy-duty loading
- 8' wide modules are typical
- 4.25" corrugated steel deck (galvanized) is standard
- Decking options poured or precast concrete, asphalt, grating, wood or gravel
- Weathering, galvanized or painted structural steel
- Curb or rail system
- Sidewalks and utility corridors can be added to enhance use







Big R Bridge Rick Saurer Vice President, Sales & Marketing http://www.bigrbridge.com/ PO Box 1290 Greeley, CO 80832 770-315-3248 rsauer@bigrbridge.com Big R Bridge is a world leader in developing innovative engineered solutions in Prefabricated Bridges, Structural Plate, MSE Wall Systems and Corrugated Pipe for the transportation, public works, railway, mining, forestry and development sectors. By design, our custom infrastructure solutions are easy to ship and install with minimal equipment and labor requirements, making them ideal even in remote locations. Big R's Technical Sales Representatives and Engineers are well-positioned to ensure your project's success through every phase. With product innovation, in-house engineering strength

Vehicular Modular Bridges







TrueNorth Steel
Jamie Holzberger
Area Manager, Bridge
http://www.truenorthsteel.com/

5405 Momont Road Missoula, MT 59808 406-532-7126 Jamie.Holzberger@TrueNorthSteel.com TrueNorth Steel designs reliable steel Structures, Tanks, Corrugated Pipe and Bridges you can count on to always be on time and delivered to the highest quality standards.

TrueNorth Steel Bridges & Corrugated Steel Pipe

Built to AASHTO specifications TrueNorth Steel Bridge provides safe passage for pedestrians and all types of vehicles. With decades of bridge building experience, we've developed a design-build, bolt-together system that blends flexibility with standardization, so we can design a bridge for each unique application, while delivering safety, durability and easy installation. In addition to the bridges we offer pre-engineered and pre-fabricated SuperSill's and Back-Walls to simplify and reduce abutment construction and design costs.

TrueNorth Steel Corrugated Pipe has been a critical part of north America's evolving infrastructure for more than six decades. Our corrugated steel pipe offers tremendous durability and stability for casing, architecture and nearly and drainage and water flow application.







TrueNorth Steel
Jamie Holzberger
Area Manager, Bridge
http://www.truenorthsteel.com/

5405 Momont Road Missoula, MT 59808 406-532-7126 Jamie.Holzberger@TrueNorthSteel.com TrueNorth Steel designs reliable steel Structures, Tanks, Corrugated Pipe and Bridges you can count on to always be on time and delivered to the highest quality standards.

TrueNorth Steel Bridges & Corrugated Steel Pipe









Wheeler David Clemens Sales Manager, Highway www.wheeler-con.com 9330 James Avenue South Bloomington, MN 55431 952-929-7854 dclemens@wheeler-con.com Wheeler's Steel Fabrication Division is an extension of the experience gained by 100+ years of designing & supplying bridge materials. We have a staff of Professional Engineers & drafters who provide detailed plans specific to each project. Wheeler maintains AISC certification for Simple and Major Steel Bridges. Prefabricated bridge kits provide rapid construction for recreation & vehicular applications. The bridges are shop manufactured, detailed & shipped to site ready for installation.

Steel Stringer Vehicle Bridges Utilizing Transverse Treated Timber Deck Panels

Treated timber deck panels provide a versatile option as prefabricated bridge components. The deck panels are a good compliment to steel stringer superstructures. The combination results in a complete bridge kit. All components are shop fabricated ready for installation.

The deck panels can be designed for all loading conditions (ie. HS20, HS25, HL93, U80, U102). The panel thickness is based on loading condition and stringer spacing.

The deck panels are custom detailed to the specific application. Individual deck laminae are fabricated and pressure treated before being assembled into the panels. This enhances the long term durability of the deck system. Multiple attachment systems can be used to connect the panels to the steel stringers. As they are installed the panels are interconnected to provide load transfer improving the performance of an asphalt overlay wear surface.

Crash-tested timber railing kits attach directly to the deck panels. Pedestrian railings are available.

Advantages: Shipped as a kit

Components are largely preassembled and sized for easy handling

Shop fabricated to control quality

Speeds installation at the site

Accepts traffic immediately after installation

Not temperature sensitive, no curing time

Ideal for remote sites

Treatment is water resistant, not susceptible to damage from road salt

Multiple wear surface options including asphalt

Compatible with crash-tested railing system

Wheeler provides complete superstructure plans for all projects supplied. All hardware is included. Foundation designs are available depending on site conditions.

Contact us for project specific pricing and application advice.

Set your project apart with a bridge from Wheeler.



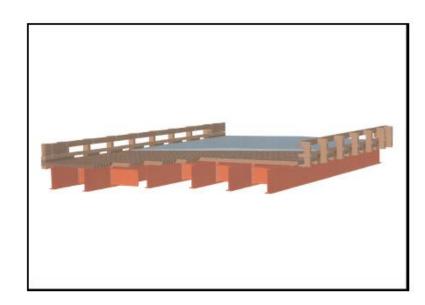




Wheeler David Clemens Sales Manager, Highway www.wheeler-con.com 9330 James Avenue South Bloomington, MN 55431 952-929-7854 dclemens@wheeler-con.com Wheeler's Steel Fabrication Division is an extension of the experience gained by 100+ years of designing & supplying bridge materials. We have a staff of Professional Engineers & drafters who provide detailed plans specific to each project. Wheeler maintains AISC certification for Simple and Major Steel Bridges. Prefabricated bridge kits provide rapid construction for recreation & vehicular applications. The bridges are shop manufactured, detailed & shipped to site ready for installation.

Steel Stringer Vehicle Bridges Utilizing Transverse Treated Timber Deck Panels











American Galvanizers Association Philip G. Rahrig Executive Director www.galvanizeit.org

6881 South Holly Circle, Ste. 108 Centennial, CO 80112 720.554.0900 x 12 prahrio@galvanizeit.org Founded in 1935, the American Galvanizers Association (AGA) is a non-profit trade association dedicated to serving the needs of fabricators, architects, specifiers, and engineers, providing technical support on today's innovative applications and state-of-the-art technical developments in hot-dip galvanizing for corrosion control. The AGA maintains a large technical library, provides multimedia seminars, and offers a toil-free technical support hotline to assist specifiers in North America.

Hot-Dip Galvanizing

The Process

Hot-dip galvanizing (HDG) is the process whereby fabricated steel, structural steel, or small parts, including fasteners, are immersed in a kettle or vat of molten zinc, resulting in a metallurgically bonded alloy coating that protects the steel from corrosion. Galvanizing forms a metallurgical bond between the zinc and the underlying steel or iron, creating a barrier that is part of the metal itself. During galvanizing, the molten zinc reacts with the surface of the steel or iron article to form a series of zinc/iron alloy layers actually harder than the substrate steel it is protecting. The galvanizing process naturally produces coatings that are at least as thick at the corners and edges as the coating on the rest of the article. Because the galvanizing process involves total immersion of the material, all surfaces are coated.

How Hot-Dip Galvanizing Works

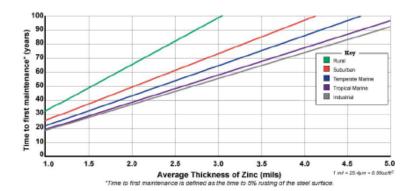
Galvanizing takes place in a factory regardless of weather or humidity conditions and is available 24/7/365 in close proximity to most new bridge locations. Freshly galvanized steel progresses through a natural weathering process to develop a corrosion resistant patina made up of zinc-oxide, zinc-hydroxide, and zinc carbonate. Typically, it takes approximately 6-12 months to fully develop. Because the corrosion rate of zinc is approximately 20 times less than that for black steel, the HDG coating has durability beyond the intended life of most steel structures. The chart below shows the typical time to first maintenance for bridges located in five different environmental exposures.

Economics and Life-cycle Cost

HDG is typically very similar and often lower in initial cost than most other corrosion protection systems considered for steel bridges and because it requires zero maintenance for 75 years or more, the life-cycle cost is typically 4 to 8 times less.

Natural and Sustainable Zinc

Zinc is found everywhere in daily life: in every cell of the human body, in the earth, in food and in products consumer products (sunblock, automobiles, cosmetics, airplanes, appliances, surgical tools, zinc lozenges). Children need zinc for growth and adults need zinc for reproduction and good health.



The U.S. Recommended Daily Allowance is 15 milligrams of zinc.Zinc is 100% recyclable and over 80% of the zinc available for recycling is currently recycled. For more information, click on http://www.galvanizeit.org/about-hot-dip-galvanizing/is-hdg-sustainable/

Bridge Projects

HDG is commonly used on short-span bridges, especially when the bridge will be located in relatively corrosive environments such as above rivers and streams and in humid climates. To view examples of bridges utilizing HDG steel, click on http://galvanizeit.org/project-gallery/gallery (and select "sector" and then "Bridge & Highway)





KTA-Tator, Inc. Eric S. Kline Executive Vice President www.kta.com 115 Technology Drive Pittsburgh, Pa. 15275 412.788.1300, x 206 ekline@kta.com

Paint

Overview

Constructing bridges extends back thousands of years. In a relative sense steel bridge construction is in its infancy. The first iron bridge was built in 1779, while the first steel was used in a bridge in 1828. Coated bridges from the 19th century survive today.

Corrosion protection via coatings is also an interrelated subject; i.e., in order to lower longer term costs, coatings can be efficiently applied when new steel is in the fabrication shop.

Design Phase

A comprehensive plan for successful corrosion protection and mitigation is needed from the inception of the project and consists of actions which continue throughout the life of the bridge. A plan is needed which includes decisions made during the bridge design process. During this time, the site for the structure is identified. The extent of exposure to any detrimental environmental conditions should drive certain corrosion prevention design choices, such as: type of bridge, type of steel used; the details utilized in developing the shape of members, types of secondary members, and their connections are but a few. The clearance and exposure beneath the structures must be carefully planned. In this process, a corrosion protection plan which provides long-term protection is devised.

Corrosion mitigation choices may vary somewhat; however, for exposure in corrosion prone areas of the country, the use of zinc on bare steel should be considered. American Galvanizers Association (AGA) at 75 years in a severe environment with no paint topcoat. SSPC: The Society For protective Coatings (www.sspc.org) publishes and maintains standards for surface preparation of steel and for the various zinc rich coatings. The American Galvanizers Association (AGA.galvaniteit.org) has information about the uses of galvanizing.

Appropriately selected and applied layers or coats of paint over the hot dip galvanize or thermal spray applied zinc or zinc-rich paint will extend the service life of the corrosion protection. The AGA refers to these as duplex systems.

Since the first use of zinc rich primer coated steel in the late 1960's thousands of zinc-rich primer coated steel bridges have survived for almost 50 years. These bridges are distributed across the country and are examples of permanently installed corrosion protection.

Installation

Even with a properly selected system to address the most challenging exposure, a system must still be correctly installed, and the bridge must be built and maintained! SSPC has detailed information about installation practices, specification and conducts training classes.

Maintenance Completes the Process

The corrosion control effort begins with a comprehensive "corrosion review and planning" prior to and during the bridge design process. Implementation of the plan during detailing and fabrication of the steel, application of the selected coating system, shipping, erection, field painting, touch-up, and performing critical steps identified in a proper maintenance plan are the necessary items in the corrosion protection and mitigation plan. If the planning or maintenance are skipped, we are choosing to save resources in the short term, but in doing so we are consigning ourselves to pay more later on in earlier repairs.

As a reference, please see the included photo of untopcoated Zinc rich paint on the Golden Gate Bridge after 45+ years. (Photo used with permission from Golden Gate Bridge, www.goldengate.org)







National Steel Bridge Alliance Calvin Schrage Regional Director www.steelbridges.org 5620 Harding Drive Lincoln, NE 68521 402-468-1007 schrage@steelbridges.org

Weathering Steel

The following information is an excerpt from the National Steel Bridge Alliance's Steel Bridge Design Book. Please visit http://www.aisc.org/content/NSBA.aspx?id=20244 for the complete book.

Weathering steel is an important option for the bridge designer. The FHWA Technical Advisory T5140.22 "Uncoated Weathering Steel in Structures" - http://www.fhwa.dot.gov/bridgetf514022.cfm provides guidance to the states for development of their own policies regarding the use of weathering steel. This document contains a digest of the primary benefits and concerns regarding weathering steel and provides specific guidance on its appropriate use. Written in 1989, the document is undergoing a review and rewrite; however, the majority of its content remains useful as a starting point.

Weathering grade steels have been available for several decades. They have been produced in various proprietary chemistries; but essentially small amounts of copper, chromium, nickel and silicon are added to carbon steel to achieve an alloy with enhanced weathering properties. These steels will form a rust patina when exposed to the environment providing a barrier between the bare steel and the corrosive elements of the environment. When properly detailed and exposed to environments that include cyclic wet/dry exposures and do not introduce significant amounts of corrosive contaminants to the steel surface, this tightly adherent patina provides a weathering steel structure with its own protective coating that slows the self-corrosion rate of the steel to a very low rate.

Although highway bridges were not the first industrial application of weathering grade steels, they have been the primary market for the material since the first weathering steel bridges were built in the mid 1960's.

The primary benefit of weathering steel is the promise of long-term corrosion protection without the need for either initial or maintenance painting. The steel industry has made the point that weathering steel, when properly applied, results in a structure that provides first cost and life cycle cost savings. However, due to the assumption that all bridge expansion joints will eventually leak, current guidelines require weathering steel bridge elements to be painted at non-integral beam ends to a length of 1.5 times the girder depth. In addition, weathering steel girders are shop blasted to remove millscale so that the initial protective oxide layer is uniform. These requirements offset some of the potential cost savings associated with weathering steel versus painted or galvanized steel.

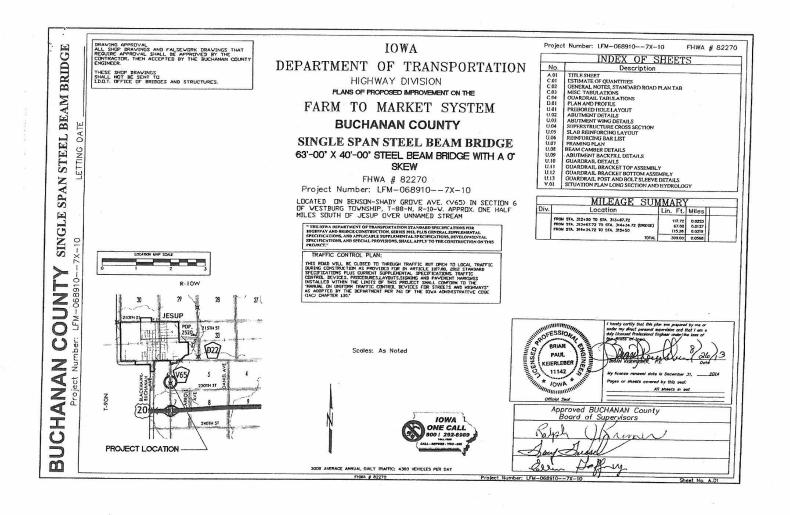
Extensive data exists regarding the corrosion performance of weathering steels. The following highlights conclusions taken from the pertinent data:

- Weathering steel requires some amount of moisture and a wet/dry weathering cycle over a
 period of time to develop a tightly adherent, protective oxide layer. However, excessive moisture
 or the presence of salt will disrupt this process and result in a structure that corrodes at an
 unacceptable (much higher) rate.
- Nearly all of the reported failures of weathering steel on bridges have occurred in applications
 where the steel is wet for a significant portion of time or the steel is exposed to salt from the
 ocean or deicing operations.
- Properly functioning weathering steel will corrode at a steady-state rate less than 0.3 mils per year (7.5 microns per year). Corrosion in excess of this rate indicates that weathering steel should not be used bare at that location.



Appendix B: V-65 Jesup South Bridge Plans

The following appendix includes the plans for the V-65 Jesup South Bridge. It should be noted that the plans have been scaled down from their original 11×17 format to $8\frac{1}{2}\times11$.



-		ESTIMATED PROJECT QUANTITIES		
-		PROJECT NUMBER:		
REF.#	T ITTES CONS	Single Span Steel Beam Bridge	VA	
1			UNIT	TOTAL
2	2104-2/13020	EXCAVATION CLASS 13, CHANNEL	C.Y.	449.1
3	2121-7425010	GRANULAR SHLD TYPE A	TON	48.9
4	2401-6745625	REMOVAL OF EXISTING BRIDGE	L.S.	1.0
5	2402-2723000	EXCAVATION CLASS 23	C.Y.	115.5
	2403-0100000	STRUCT CONC (MISCELLANEOUS)	C.Y.	11.1
6	2403-0100010	STRUCTURAL CONCRETE (BRIDGE)	C.Y.	128.5
7	2404-7775007	REINFORC STEEL, GALVANIZED	LB.	33203.0
8	2408-7800000	STRUCTURAL STEEL	L.B.	46835.5
9	2501-0201057	PILE, STEEL, HP 10X57	LF	272.0
10	2501-6335010	PREBORED HOLE	L.F.	240.0
11	2505-4008300	STEEL BEAM G'RAIL	L.F.	67.00
12	2505-4021700	STEEL SEAM GRAIL END TERMINAL	EACH	4.00
13	2507-3250005	ENGINEER FABRIC	S.Y	142.23
14	2507-6800061	REVETMENT, CLASS E	TON	397.4
15	2518-6910000	SAFETY CLOSURE	EACH	4.00
16	2527-9263109	PAINTED PAYT MARK, WATERBORNE/SOLVENT	STA	0.60
17	2528-8445110	TRAFFIC CONTROL	LS.	1.00
18	2533-4980005	MOBILIZATION	LS.	1.00
19	2601-2634100	MULCH	ACRE	0.28
20	2601-2636015	NATIVE GRASS SEEDING	ACRE	
21	2602-0000020	SILT FENCE	L.F.	0.28
22		SILT FENCE-DITCH CHECKS	L.F.	428.00
23	2602-0000071	RMVL OF SILT FENCE/SILT FENC-DITCH CHECK		60.00
24	2602-0000101	MAINT OF SILT FENC/SILT FENC-DITCH CHECK	L.F.	488.00
	The same of the sa	THE PROPERTY OF THE PROPERTY OF THE CALL O	L,F,	488.00

PRE-	T West	ESTIMATED REFERENCE INFORMATION
PEF-	ITEM CO	DE DESCRIPTION
	1	1
1	2104-2713	KDD EXCAVATION CLASS 13, CHANNEL
-	-	The Ben includes cleaning the channel upstream and downstream to the R.O.
-	-	potable material to be used by guardral grading
2	A101 5 000	
- 4	2121-1429	OND GRANULAR SHED TYPE A
-	+	Shoulder in to be constructed with class "A" grusted stone.
3	200 0000	
-1	2452/7799	SES REMOVAL OF EXISTING RINGGE
	Same Sa	PAN EXCAVA NON GLASS 23
	-	Suitable material short be used for questiont grading.
- 8	2403,00000	TO STRUCT CONCIMENTALISM
-	5000000	CO STRUCT CONC MISCELLANEGUS
-	1	Glass C mile concrete is to be powered around set HP piting to the top of bedrook
*	2400 50000	NO STRUCTURAL CONCRETE (BRADGE)
	- economico	TO STRUCTURAL CONCRETE (BRADGE)
	-	Bid fem is to include all materials readed for backfilling the observerts. Concept
	-	used in bridge shall corolist of a class C mix.
7	Sens Trace	7 REINFORG STEEL, GALVANIZED
-	D-0777000	F IREINFORG STEEL, GALVANIZED
	-	All self-forcing sheel shelf consist of A.S.TM grade (i) steel
	2475,750000	STATUS TURKLE STEEL
	2 100 10000	O ID MILE OPEN STEEL
		All efructured sheet for this project shall be galleratized. All structural sized shall
-	-	conform to AASHTO M270 (ASTM A700) grade 50.
9	2501-020106	PLE, STEEL, HP 1067
10	2501-6205016	PREBORED HOLE
		All pretered holes are in the defined to 15 feet below the grade elevation of the
		bollom of the abutinesis
11	2005-4000000	
100		Shed bear granded to to consist after said many that a
		associated with the construction of the grandral shall be included in this bid farm.
12	25025-40217(0)	STEEL BEAM GRAIL END TERMINAL
		End serveral shall consist of a standard long DOT and terrinal, please extents
		Claridate BA-205.
*	-	
13	2507-3250005	
-		Engineering basic is to be placed along the face of the berns around the bridge.
-		
14	2507-6600061	ME VETWENT, CLASS E
		Place on the beens around the abutment.
-	- W. C.	
15 (2	518-6910000	SAFETY CLOSURE
18 2	527-9263109	PAINTED PAYT MARK, WINTERBORNE/SOLVENT
17 12	528-8445110	TRAFFIC CONTROL
18 2	523-4980005	MOREIZATION
19 2	901-2634100	MUCH
0 2	901-2636615	MATINE GRASS SEEDING
1 2	602-0000020	SALTPENCE
2 2	000000099	SILT FENCE DITCH CHECKS
3 (2	9072-00000074	PMALOF SET FEW FORD FRENCH CORNER CLEEN
4 2	000 0000046d	MAINT OF SET FENDICIET FENDICISCH CHECK

63' 00" x 40' 00" Steel Bridge
Located on WS over Unnormed Creek
es or stree
ESTIMATED QUANTITIES
STATION, SHARD 22
RACHANON COUNTY, IONA. 1999 4 922229

ADI BUCHANAN COUNTY

PROJECT NO. UFM-068910--7X-10

C.01

GENERAL NOTES & INFORMATION

CONTINUE OF IS IN THE THE CHATTEN IN MONORM DIVER AND MODIFIED ALL TILL EINES. IMMANG IN THE FILE LINE THE FOR THE CHATTENCE CARDLESPIES AND IT IS ENDIAGED AT THEIR ESPENSE WITHOUT COST TO DUCHNAMA CIDARY. ANY TILE BROKEN ON SISTURBED BY US OF LINES VILL IS ENDIAGRES BY SIGNORIES BY THE EMBRAGE.

UTILITY EXPRESSATION SHALL BE PER ARTICLE DOTAS OF THE STANDARD SPECIFICATIONS.

FRANC CLEANER IF THE CONSTRUCTORN NEW STALL IS, IN ACCORDANCE WITH SECTION HOUSE OF LDGT. STANDARD

A PRE CONSTRUCTION COMPERENCE WITH THE SUCCESSFULL BIBLER VILL BE HELD AD LESS THAN THREE WEEKS BEFORE STARTING THE PRELECT AND SHALL PROLUDE THE CONTRACTOR'S JUB SUPERINFERDOM'S.

CONTRACTOR IS TO USE DUE CAUTION WHEN VERKING AROUND ROW PINS AND SURVEY CONTROL FORMS VAIGH ARE HARRICD ENTERNAL FOR CROSSING LATTEL. ANY PINS DISTURBED BY THE CONTRACTOR VILL WE REPLACED AT THE CONTRACTORS.

CENTRACTOR IS TO FURNISH, ERECT, AND MAINTAIN M.L. RECESSARY SBAFFIX CONTROL DEVICES DH A 24 HEUR FER DAY, 7
LEFERENCES AFTER HARMS. CONSTRUCTION WILL RESURFACE OF DEMONSTER A 24 HEUR CALL MARISE FUR REPAIR DE
LEFERENCES AFTER HARMS. CONSTRUCTION WILL RESURFACE DE THE EVENT HART MY OF THE PROSPECE TRAFFIX CONTROL
LEVELS ARE NOT LEGIFLE AND DEPARTMENT, AND SHALL REDAIN SUSPENSED UNTIL SUCH SPETEMBRY IS CONSCIOUS.

HIS TEMPRICATY CONSTRUCTION EXECUTION SAME NOT BEEN BEEN DO HIS PROJECT, CONTRACTOR IS TO RESPECT PRIVATE PROBESTY. REMAINED CONTRACTOR IS TO RESPECT PRIVATE CONTRACTOR AS THE PROMET TO RESPECT PRIVATE PROPERTY CAUSES AN THE CONTRACTOR AND PRIVATE PROPERTY CAUSES AND THE CONTRACTOR AND PRIVATE PROPERTY CAUSES AND THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BECAUSE UNDERSIDED BY THE CONTRACTOR SAME IN CONTRACTOR TO BE ADMINISTRATION OF THE CONTRACTOR OF THE PROPERTY CAUSES.

THE ROAD WELL BE CLOSED IN THE AREA OF THE BRIDGE FOR ALL THROUGH TRAFFEC.

CONSTRUCTION STAKING TO BE DONE BY BUCHANAM COUNTY

CERTIFIES PLANT INSPECTION VILL BE REQUIRED ON THIS PROJECT

		Sublimate and	STANDARD ROAD PLANS
NUMBER.	DATE	SHEETS	TITLE
BA-200	10/10/2011	2	STEEL BEAM GUARDRAIL COMPONENTS
BA-201	10/19/2010	2	STEEL BEAM OUNTERONE COMPONENTS
BA-206	10/18/2011	4	STEEL BEAM GUARDRAIL BARRIER TRANSITION SECTION
EC-201	4/20/2010	3	STEEL BEAM GUARDRAIL END TERMINAL
	4/19/2011	2	BILTFENCE
		5	GUARDRAIL GRADING
	10/15/2013	1	BRIDGE APPROACH DETAILS (SECONDARY ROADS)
RL-16	4/19/2011	1	TEMPORARY STREAM CROSSING, CAUSWAY, OR EQUIPMENT PAD
TG-252	4/17/2012	3	ROUTES CLOSED TO TRAFFIC

CERTIFIED PLANT INSPECTION

CERTIFIED PLANT INSPECTION SHALL APPLY TO ALL ITEMS INVOLVING CONCRETE ON THIS PROJECT.

63" 00" x 40" 00" STEEL BRIDGE
Located on V65 over Unnomed Crack
od 05" SPIN
GENERAL NOTES, STD. ROAD PLAN TAB,
STATION, 374-90,22
STATION, 374-90,22
STATION, 374-90,22
STATION, 374-90,22
STATION, 374-90,22
STATION, 374-90,22

PROJECT NO. LFM-068910--7X-10

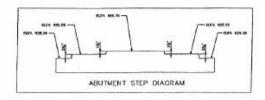
(C.02

AD

BUCHANAN COUNTY

TABULATION	OF SAF	ETY CL	DSURES	108-13A 10-28-97
Refer to Sect	tion 2518 of	the Stand	and Specifica	tions
20000000000000	CLOSURE TYPE		Kennyan was	
STATION	Road Oty.	Hazard Oty.	REMARKS	
312+50	1	_	South End o	of Project
313+50	-	1	South End	of Bridge
314+50	_	1	North End	of Bridge
315+50	1	_	North End o	f Project

TABULATION OF SILT FENCES FOR DITCH CHECKS				
		LENGTH		4-20-10
LOCATION STATION	ON SIDE	LF	REMARK	
313+60	LEFT	15	DITCH	CHECK
313+60	RIGHT	15	DITCH	CHECK
314+40	LEFT	15	DITCH	CHECK
314+40	RIGHT	15	DITCH	CHECK



REMOVAL	OF EXISTING BRID	GE 110-2
LOCATION	DESCRIPTION	DISPOSAL
313+96.5	36'x24' Concrete Bridge	Contractor

Removal of concrete bridge with full abutments and one pier shall be removed in accordance to lawa DDT standard specifications. All debris naterial removed by the contractor shall become property of the contractor and removed from the project area.

TABULATION OF SILT FENCES				
STATION TO STATION	21DE	LIN. FT.	RE	MARKS
312+50 to 313+66.5	LEFT	117	AT	R.D.W
312+79.5 to 313+66.5	RIGHT	87	AT	R.O.W
314+37.9 to 315+50	LEFT	112	AT	R.D.W
314+37.9 to 315+50	RIGHT	112	AT	RALV

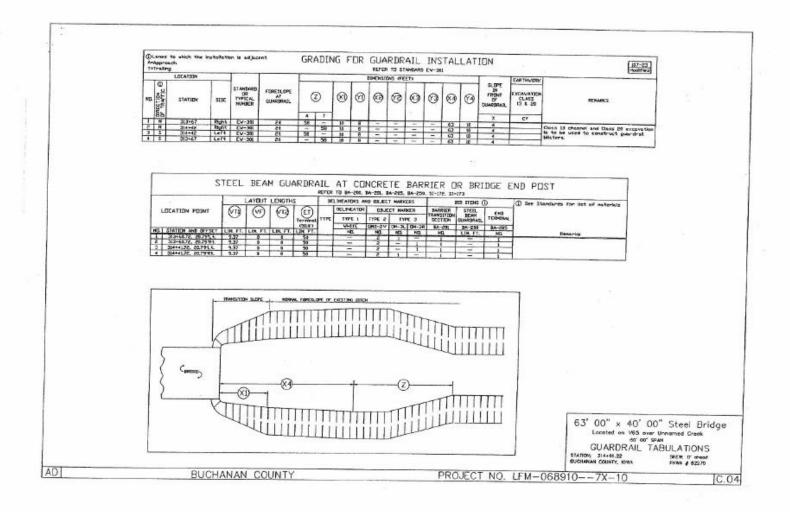
63' 00" x 40' 00" Steel Bridge
Located on v65 over Unnamed Creek
e0' 00" 59 AN
MISC. TABULATIONS BLOCKS
STATION: 314-01.22 5000 0" o' decod
GUSHAMAN COUNTY, KTMA FINA / 82270

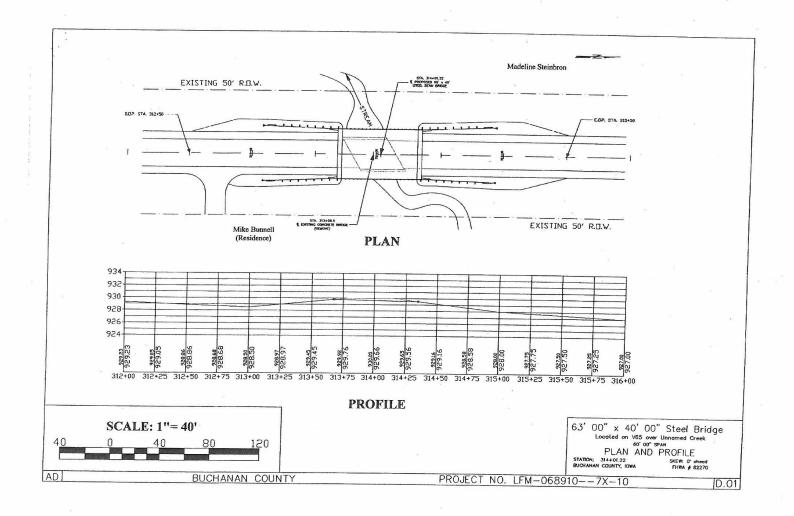
PROJECT NO. LFM-068910--7X-10

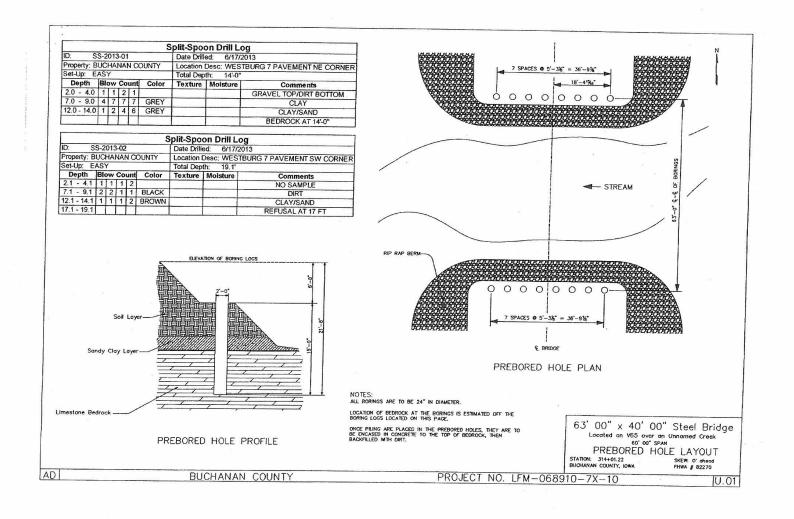
C.03

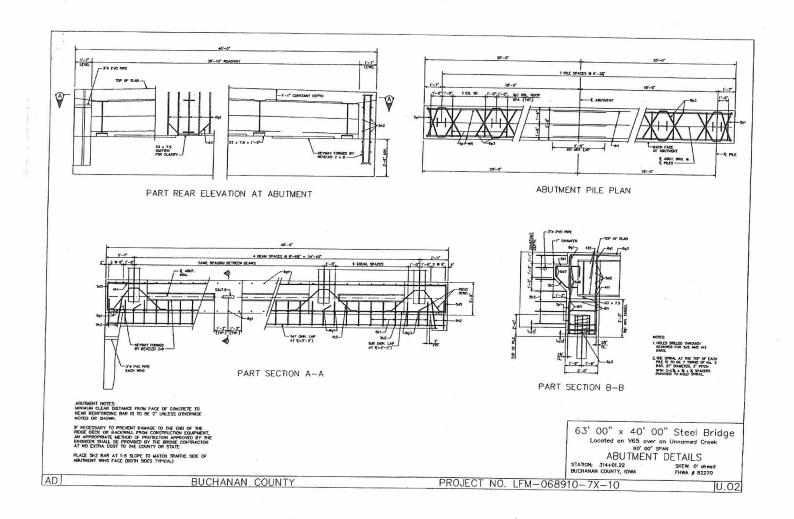
BUCHANAN COUNTY

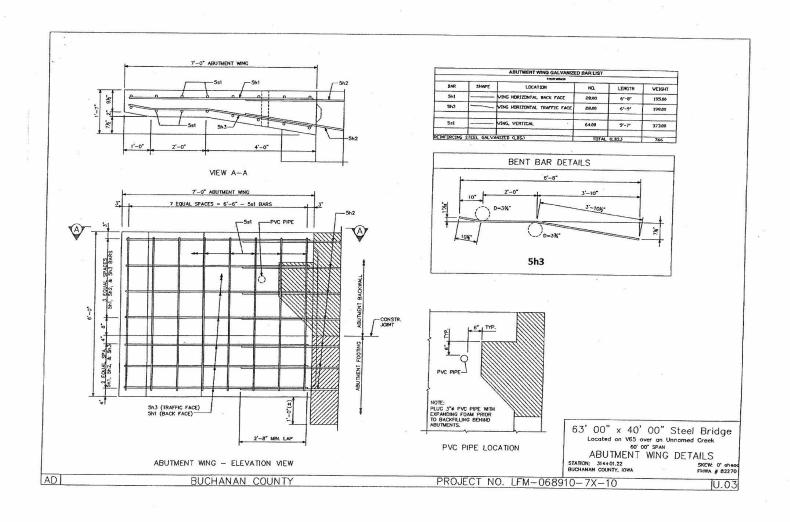
AD

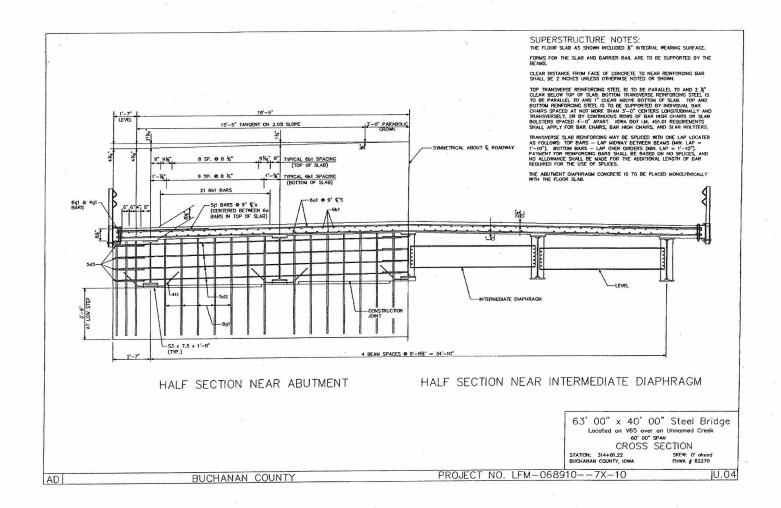


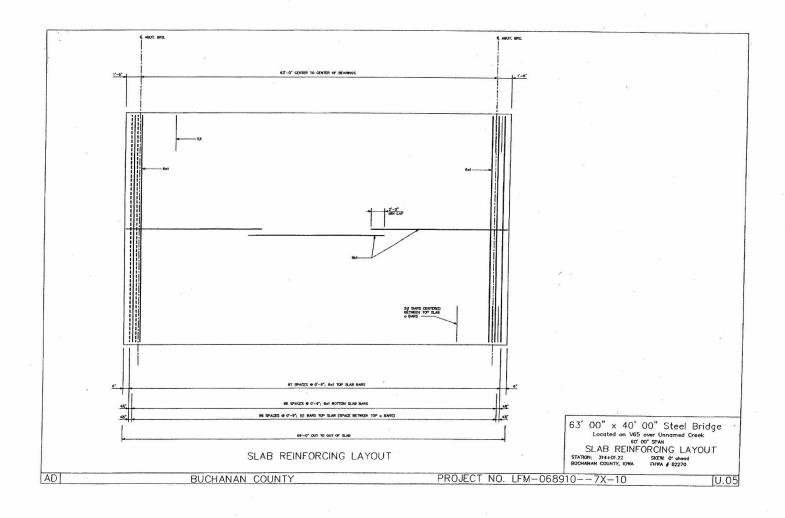


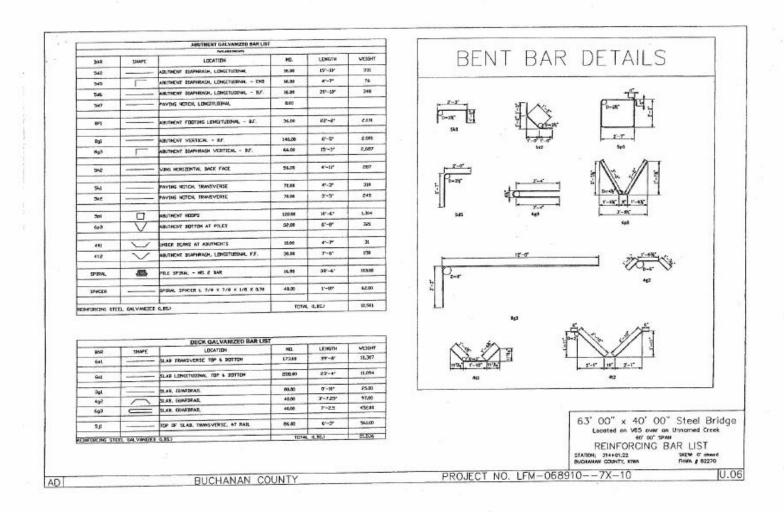


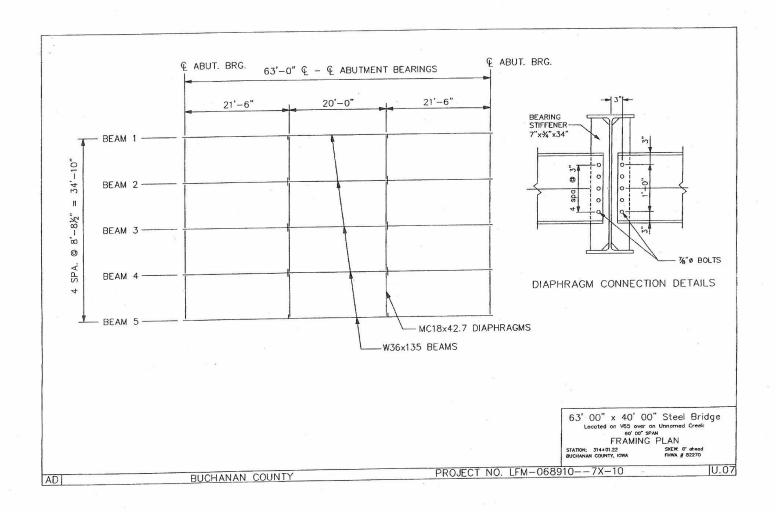


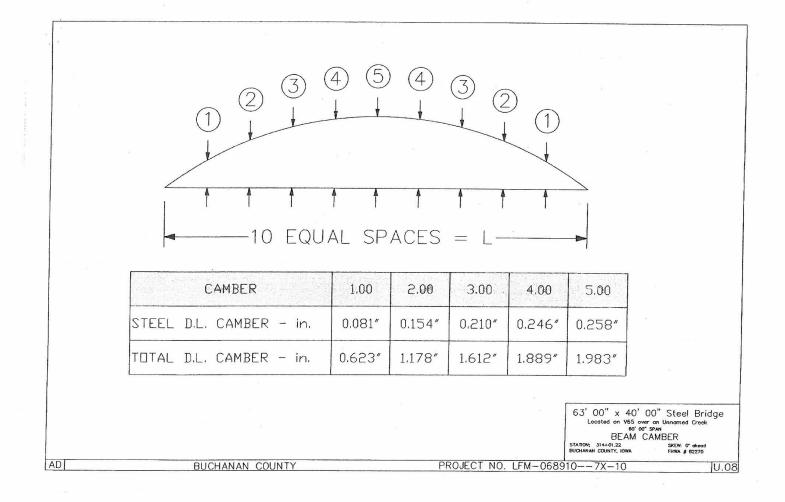


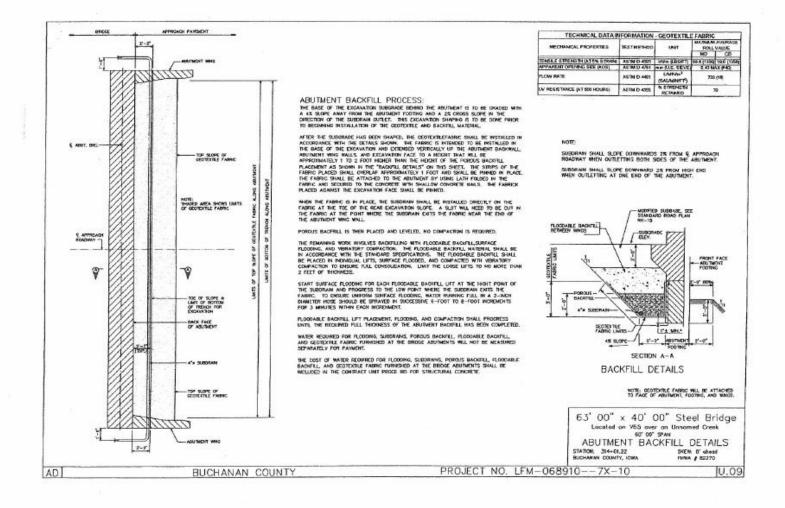


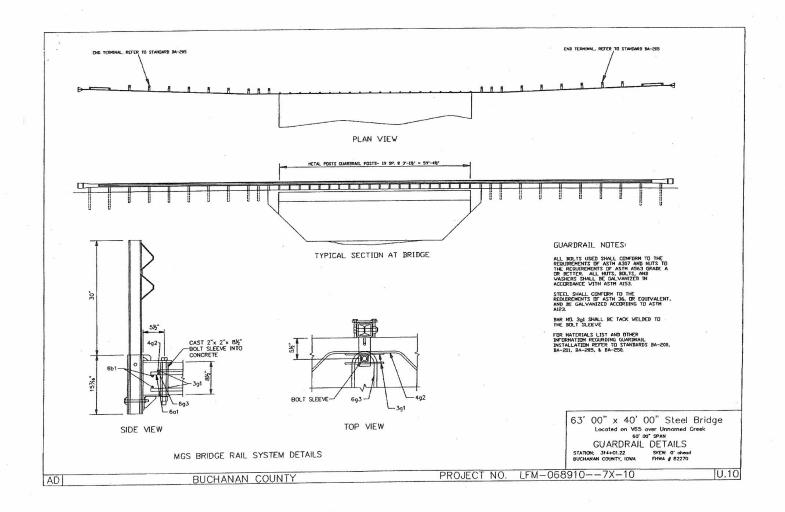


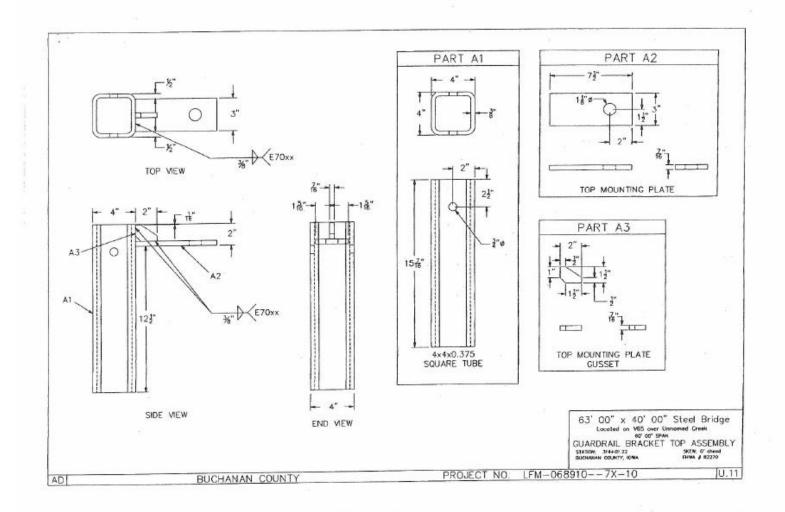


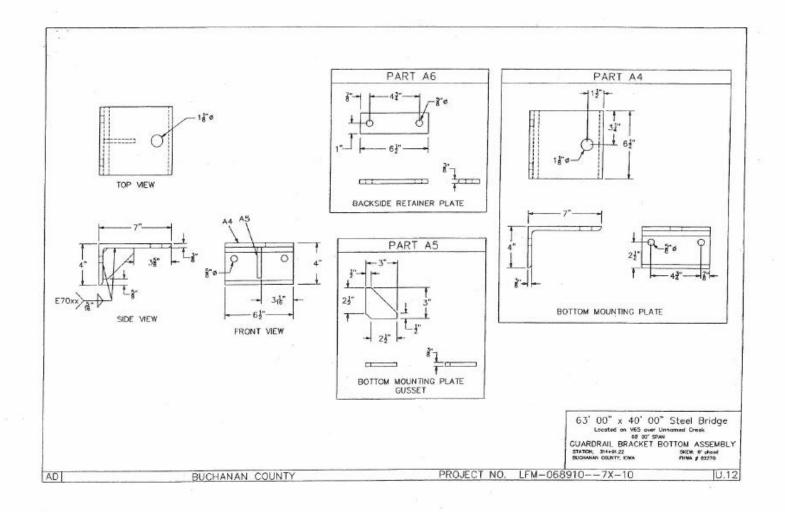


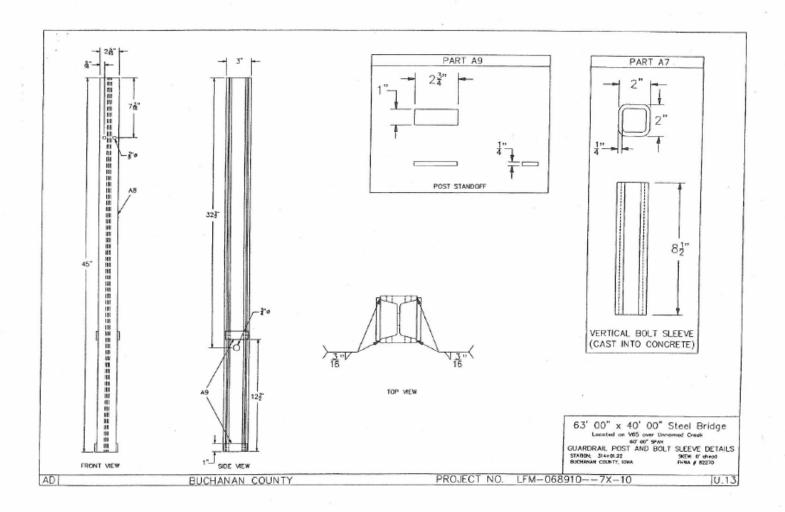


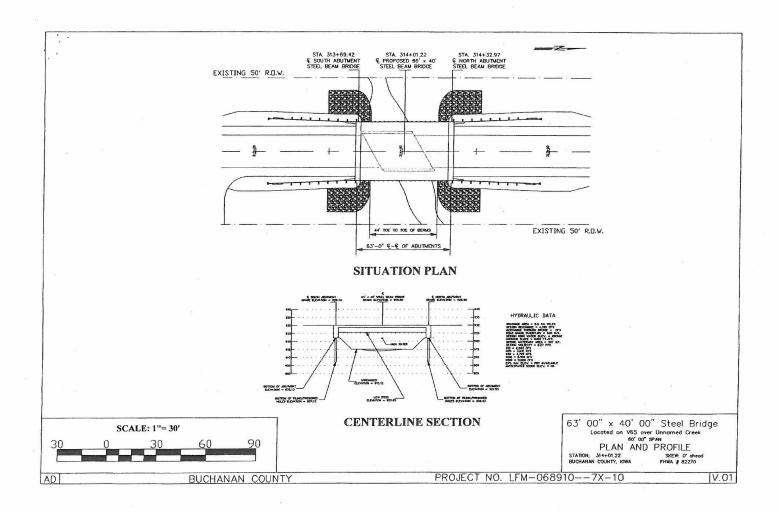












Appendix C: AASHTO Design Calculations

The following appendix includes the AASHTO Design Calculations for the V-65 Jesup South Bridge.

Section C1: Design Parameters

C1.1 Introduction

Contained in this chapter is an overview of the layout of the V-65 Jesup South Bridge assessed in this design evaluation. In addition, a comprehensive overview of loads, load combinations, and limit states employed are included. Finally, a discussion of parameters and calculations are presented.

C1.2 Bridge Layout

As shown in the figure below, the bridge in this design evaluation is designed for two 12 foot travel lanes and two 7.5 foot shoulders. The bridge has two guardrails that are mounted to the edges of the deck. To accommodate the lanes and shoulders, the bridge consists of 5 girders spaced at 8.71 feet with 2.58-foot-wide overhangs. An 8.5-inch-thick concrete deck is employed, which includes a ½ inch sacrificial wearing surface (also referred to as an integral wearing surface, or IWS) and 2-inch haunch (measured from the bottom of the top flange to the bottom of the deck). In addition, this bridge is designed for a simple span of 63 feet with diaphragms spaced at 21.5 feet from each end. No skew is present in this girder layout.

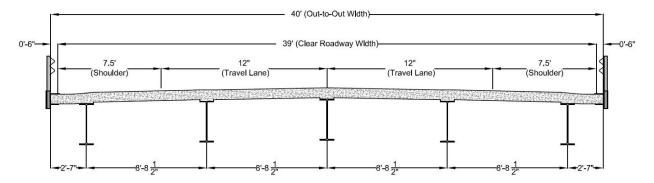


Figure C1.1: V-65 Jesup South Bridge Cross Section

C1.3 DESIGN PARAMETERS

The V-65 Jesup South Bridge has been designed according to the fifth edition of the AASHTO LRFD Bridge Design Specifications (2010). All Articles referred to hereafter will refer directly to the AASHTO Specifications. Contained in this section is a description of the loads and load combinations employed, the limits states assessed in this design evaluation, and the loads used throughout this design process.

C1.3.1 Loads & Load Combinations

For this set of design evaluations, the following permanent and transient loads are evaluated:

- DC = dead load of structural components and nonstructural attachments
 - Divided into two components: DC₁ (applied to the noncomposite section)
 and DC₂ (applied to the composite section)
- DW = dead load of wearing surface and utilities
- IM = vehicular dynamic load allowance
 - Serves to amplify the vehicular components of the HL-93 live load (i.e. the truck and tandem)
 - \circ For the fatigue limit state, IM = 15% (Article 3.6.2)
 - \circ For all other limit states, IM = 33% (Article 3.6.2)
- LL = vehicular live load
 - o The HL-93 vehicular live load as defined in Article 3.6.1.2.
 - Combination of either design truck + design lane or the design tandem + design lane (whichever yields the largest force effect).
 - Note that for the fatigue limit state, the fatigue load consists of only one design truck with a fixed rear axle spacing of 30 feet (Article 3.6.1.4.1)

Using these specified loads, the following load combinations are assessed (values for load factors were derived from Tables 3.4.1-1 and 3.4.1-2 unless otherwise specified). For this set of design calculations, η_D (ductility factor), η_R (redundancy factor), and η_I (operational importance factor) are all taken to be 1.00.

- Strength I: basic load combination relating to the normal vehicular use of the bridge without wind
 - \circ 1.25 DC + 1.50 DW + 1.75 (LL + IM)
 - o In addition, for evaluating the constructability requirements of Article 6.10.3, according to Article 3.4.2, all load factors associated with construction loads were taken to be 1.50.
- Strength IV: load combination relating to very high dead to live load force effect ratios
 - \circ 1.50 DC + 1.50 DW
- Service I: load combination associated with evaluation of live load deflections (Article 3.4.2.2)
 - \circ 1.00 (LL + IM)
- Service II: load combination intended to control yielding of steel structures
 - \circ 1.00 DC + 1.00 DW + 1.30 (LL + IM)
- Fatigue I: fatigue load combination related to infinite load-induced fatigue life (see 2.4.3 for evaluation)
 - \circ 1.50 (LL + IM)

The following loads were taken for all of the calculations in this design evaluation:

- Unit weight of concrete = 150 pcf
- Compressive strength of concrete = 4000 psi
 - o These values correspond to normal weight concrete. For normal weight concrete, according to the provisions of Article C6.10.1.1.1b, this yields a modular ratio, n, of 8.
- Unit weight of steel = 490 pcf
- Steel stay-in-place formwork (SIP) unit weight = 15 psf
- Future wearing surface = 25 psf

- To account for miscellaneous steel details, such as diaphragms and connection stiffeners, the weight of the steel girders was increased by 5%.
- Construction loads:
 - Overhang deck forms = 40 lb/ft
 - Screed rail = 85 lb/ft
 - o Railing = 25 lb/ft
 - \circ Walkway = 125 lb/ft
 - o Finishing machine = 3000 lb

C1.3.2 Limit States Evaluated

The limit states that pertain to the performance of the girders are discussed in this section. It should be noted that, for all limit states, according to Article 6.5.4.2, the resistance factor for flexure, ϕ_f , and for shear, ϕ_v , are both taken to be 1.00. In addition, since both girders are fully comprised of 50-ksi steel, the hybrid factor, R_h , is taken as 1.0.

C1.3.2.1 Cross-Section Proportion Limits (Article 6.10.2)

The girders in this design evaluation were evaluated to meet the cross-section proportion limits of Article 6.10.2. These limits are divided into two main categories: flange proportions and web proportions.

For webs without longitudinal stiffeners, the following limit is employed from Article 6.10.2.1.1.

$$\frac{D}{t_w} \le 150$$
 Eq. 6.10.2.1.1-1

The following limits are employed for flange proportions. In addition to the limits set forth in Article 6.10.2.2, Article C6.10.3.4 specifies an additional limit to prevent out-of-plane distortions of the girder compression flanges and web during construction, which is also employed throughout this design evaluation.

$$\frac{b_f}{2t_f} \le 12.0$$
 Eq. 6.10.2.2-1
$$b_f \ge \frac{D}{6}$$
 Eq. 6.10.2.2-2
$$t_f \ge 1.1 t_w$$
 Eq. 6.10.2.2-3
$$0.1 \le \frac{I_{yc}}{I_{yt}} \le 10$$
 Eq. 6.10.2.2-4
$$b_{fc} \ge \frac{L}{85}$$
 Eq. C6.10.3.4-1

C1.3.2.2 Constructibility (Article 6.10.3)

Article 2.5.3 requires that bridges should be designed in a manner such that fabrication/erection can be performed without undue difficulty or distress and that locked-in construction force effects are within tolerable limits. To meet this requirement, the provisions of Article 6.10.3 are employed. Article 6.10.3 outlines several provisions for limiting stress in discretely-braced compression and tension flanges related to yielding of the flanges, flexural resistance of the compression flange, and web bend-buckling resistance, and are as follows. Details regarding the computation of the flexural resistance of the compression flange, F_{nc} , and the web bend-buckling resistance, F_{crw} , are reserved for Section C2.

$$f_{bu} + f_{l} \leq \phi_{f} R_{h} F_{yc}$$
 Eq. 6.10.3.2.1-1
$$f_{bu} + \frac{1}{3} f_{l} \leq \phi_{f} F_{nc}$$
 Eq. 6.10.3.2.1-2
$$f_{bu} \leq \phi_{f} F_{crw}$$
 Eq. 6.10.3.2.1-3
$$f_{bu} + f_{l} \leq \phi_{f} R_{h} F_{yt}$$
 Eq. 6.10.3.2.2-1

To determine the stresses resulting from lateral loads during construction, an approximation for lateral moments is specified Article C6.10.3.4, which idealizes the girder as a fixed beam between lateral bracing elements. Lateral bending moments are approximated as shown for statically equivalent uniform loads, F_l , and concentrated loads, P_l . For this bridge, constructibility requirements are evaluated at the middle unbraced segment, which has an unbraced length, L_b , of 20 feet.

$$M_{l} = \frac{F_{l} L_{b}^{2}}{12}$$

$$M_{l} = \frac{P_{l} L_{b}}{8}$$
Eq. C6.10.3.4-2

In addition to this approximation, Article 6.10.1.6 specifies that a second-order analysis must be performed for lateral flange bending stresses in the compression flange if the unbraced length violates the limit set forth in Eq. 6.10.1.6-3. If this limit is not satisfied, an approximation is provided which amplifies first-order lateral flange bending stresses, f_{ll} , as a function of the major-axis bending stress and the elastic lateral torsional buckling stress, F_{cr} .

$$L_b \le 1.2 L_p \sqrt{\frac{C_b R_b}{M_u / M_{yc}}}$$
 Eq. 6.10.1.6-3

$$f_{l} \le \left(\frac{0.85}{1 - \frac{M_{u}}{F_{cr} S_{xc}}}\right) f_{l1} \ge f_{l1}$$
 Eq. 6.10.1.6-5

In lieu of performing a deck casting sequence analysis, since this bridge layout is a simple span, the deck is conservatively assumed to be cast in one pour. Therefore, the major-axis bending stress, f_{bu} , is that from the total noncomposite dead load, or DC₁. Also, when checking constructibility, the web load-shedding factor, R_b , is taken as 1.0, according to Article 6.10.1.10.2.

It should be noted that Article 6.10.3 also specifies that the webs shall satisfy a capacity requirement during construction. However, as the construction shear loads in this design evaluation are lower than the shear loads the girder must withstand at the strength limit state, this requirement is not explicitly evaluated here; instead, this is evaluated at the strength limit state (see C1.3.2.5).

C1.3.2.3 Service Limit State (Article 6.10.4)

The intent of the service limit state is to limit stresses and deformations under regular operating conditions. This is accomplished by limiting the levels of stress that the member experiences in order to prevent localized yielding. This is shown in the equations below. Note that for the girders in the design evaluation, no lateral stresses are considered at service conditions.

FOR THE TOP STEEL FLANGE OF COMPOSITE SECTIONS

$$f_f \le 0.95 R_h F_{yf}$$
 Eq. 6.10.4.2.2-1

FOR THE BOTTOM STEEL FLANGE OF COMPOSITE SECTIONS

$$f_f + \frac{f_l}{2} \le 0.95 R_h F_{yf}$$
 Eq. 6.10.4.2.2-2

In addition to the limit set forth for permanent deformations, many state DOTs and owner agencies choose to invoke optional live load deflection criteria which are meant to ensure user comfort. This optional limit is also evaluated. Article 2.5.2.6.2 specifies deflection criteria that may be used; for bridges subjected to vehicular loads only, a limit of L/800 is specified. Therefore, for a span length of 63 ft, this equates to a live load deflection limit of 0.945 inches.

C1.3.2.4 Fatigue Limit State (Article 6.10.5)

The intent of the fatigue limit state is to control crack growth under cyclic loading conditions by limiting the range of live load stress, Δf , that steel members are subjected to. Specifically, load induced fatigue categories must satisfy the limit below. For the limit state, the load factor, γ , and the nominal fatigue resistance, $(\Delta F)_n$, associated with the fatigue limit state are a function of the number of stress cycles the girder is subjected to. This is discussed explicitly in C1.4.3.

$$\gamma(\Delta f) \leq (\Delta F)_N$$
 Eq. 6.6.1.2.2-1

Article 6.10.5 also specifies a special fatigue requirement for webs with interior transverse shear stiffeners. For this bridge, the webs are unstiffened by transverse shear stiffeners. Therefore, the special web fatigue requirement specified in Article 6.10.5.3 does not need to be evaluated for this design.

C1.3.2.5 Strength Limit State (Article 6.10.6)

The intent of the strength limit state is to ensure that the structure has adequate strength and stability when subjected to maximum factored loads. For composite sections in positive flexure, sections must meet flexural resistance requirements as well as a ductility requirement as specified in Article 6.10.7.3. In addition, the section must also have adequate shear capacity under maximum factored loads. The computation of the girders' flexural resistance, shear resistance, and ductility are discussed in the next section, along with the factored loads and force effects that the girder must withstand.

C1.4 COMMON PARAMETERS & CALCULATIONS

Contained herein is a brief description of parameters and values that are used for the rolled beam solution used for this design evaluation.

C1.4.1 Section Properties

As stated in Article 6.10.1.1.1, stresses in a composite section due to applied loads shall be the sum of stresses applied separately to the noncomposite (or steel) section, the short-term composite section, and the long-term composite section. For calculating flexural stresses, the concrete deck is transformed to an equivalent area of steel through the use of the modular ratio, n. As stated in C1.3.1, for these bridges, n = 8. For loads applied to the short-term composite section (i.e. LL + IM), the concrete is transformed by dividing the concrete's effective flange width by n; for loads applied to the long-term composite section (i.e. DC₂ and DW), the concrete is transformed by dividing the concrete's effective flange width by 3n.

To compute the effective flange width, Article 4.6.2.6 states that the effective flange width of a concrete deck shall be taken as the tributary width. Therefore, for the bridge layout in this evaluation, for interior and exterior girders, the effective flange width is 104.5 inches and 83.25 inches, respectively.

C1.4.2 Multiple Presence Factors & Live Load Distribution Factors

Multiple presence factors account for the probability of coincident live loadings, and are listed in Article 3.6.1.1.2. These factors have already been included in the empirical equations listed in Article 4.6.2.2. However, when employing the lever rule or special analysis, the engineer must apply these factors. For the reader's convenience, these factors are listed in Table C1.1. It should be noted that multiple presence factors are not applied when evaluating the fatigue limit state.

Table C1.1: Multiple Presence Factors

Number of Lanes Loaded	m
One Lane Loaded	1.20
Two Lanes Loaded	1.00
Three Lanes Loaded	0.85
More Than Three Lanes Loaded	0.65

In lieu of a complex three-dimensional analysis, live load distribution factors were employed to determine live loads on individual girders. As stated in Article 4.6.2.2, these factors are only applicable if the bridge falls within a certain range of parameters.

Parameters for this set of bridges as well as their specified limits in Article 4.6.2.2 are listed. As shown, all parameters are within the specified limits. Note that the limit for K_g is not explicitly evaluated here and will be discussed later.

- 3.5 < S < 16.0
 - o S = girder spacing (ft) = 8.67
- $4.5 \le t_s \le 16$
 - o t_s = structural slab thickness (in) = 8.00
- $20 \le L \le 240$
 - \circ L = span length (ft) = 63
- $N_b \ge 4$
 - o N_b = number of bridge girders = 5
- $-1.0 \le d_e \le 5.5$
 - o d_e = distance from the centerline of the exterior girder's web to the edge of the deck (ft) = 2.58
- $10,000 \le K_g \le 7,000,000$

As previously stated, any of the distribution factors in Article 4.6.2.2 are a function of a longitudinal stiffness parameter, K_g , which is found as follows.

$$K_{g} = n \left(I + A e_{g}^{2} \right)$$
 Eq. 4.6.2.2.1-1

Once the longitudinal stiffness parameter is found, the distribution factors used in these analyses are found as follows:

BENDING MOMENT FOR AN INTERIOR GIRDER, ONE LANE LOADED

$$g = 0.06 + \left(\frac{S}{14}\right)^{0.4} \left(\frac{S}{L}\right)^{0.3} \left(\frac{K_g}{12.0Lt_s^3}\right)^{0.1}$$
 Tab. 4.6.2.2.2b-1

BENDING MOMENT FOR AN INTERIOR GIRDER, MULTIPLE LANES LOADED

$$g = 0.075 + \left(\frac{S}{9.5}\right)^{0.6} \left(\frac{S}{L}\right)^{0.2} \left(\frac{K_g}{12.0Lt_s^3}\right)^{0.1}$$
 Tab. 4.6.2.2.2b-1

SHEAR FOR AN INTERIOR GIRDER, ONE LANE LOADED

$$g = 0.36 + \frac{S}{25.0}$$
 Tab. 4.6.2.2.3a-1

SHEAR FOR AN INTERIOR GIRDER, MULTIPLE LANES LOADED

$$g = 0.2 + \frac{S}{12} - \left(\frac{S}{35}\right)^{2.0}$$
 Tab. 4.6.2.2.2d-1

BENDING MOMENT FOR AN EXTERIOR GIRDER, ONE LANE LOADED Use of the Lever Rule is employed (Tab. 4.6.2.2.2d-1)

BENDING MOMENT FOR AN EXTERIOR GIRDER, MULTIPLE LANES LOADED

$$g = \left(0.77 + \frac{d_e}{9.1}\right) g_{\text{interior}}$$
 Tab. 4.6.2.2.2d-1

SHEAR FOR AN EXTERIOR GIRDER, ONE LANE LOADED Use of the Lever Rule is employed (Tab. 4.6.2.2.3b-1)

SHEAR FOR AN EXTERIOR GIRDER, MULTIPLE LANES LOADED

$$g = \left(0.6 + \frac{d_e}{10}\right) g_{\text{interior}}$$
 Tab. 4.6.2.2.3b-1

According to Article C4.6.2.2.2d, an additional investigation is required for steel slab-on-beam bridges, which assumes the entire cross-section rotates as a rigid body about the longitudinal centerline of the bridge. Additional distribution factors for bending moment and shear for exterior girders are computed according to the following formula.

$$R = \frac{N_L}{N_b} + \frac{X_{ext} \sum_{N_L} e}{\sum_{N_b} x^2}$$
 Eq. C4.6.2.2.2d-1

To determine the distribution of live load deflections, according to Article 2.5.5.6.2, all design lanes should be loaded, and all supporting components should be assumed to deflect equally. In addition, it is stated that the appropriate multiple presence factor shall be applied. This is described mathematically in the formula below.

$$g = m \frac{N_L}{N_b}$$
 Art. 2.5.2.6.2

C1.4.2.1 Lever Rule Analysis

To determine the live load distribution of moment and shear in exterior beams for one lane loaded scenarios, the Specifications state that the lever rule shall be employed. A diagram showing the placement of the truck for the Lever Rule is shown in the Figure C1.2. According to Article 3.6.1.3.1, for the design of all bridge components other than the deck overhang, the design vehicle is to be positioned transversely such that the center of any wheel load is not closer than 2.0 feet from the edge of the design lane. Therefore, to produce the extreme force effect in the exterior girder, the truck is placed as close to the edge of the bridge as possible, i.e. 2 feet from the barrier or curb. To determine the distribution factor, moments are summed at the assumed hinge at the adjacent interior girder to determine the percentage of load resisted by the exterior girder.

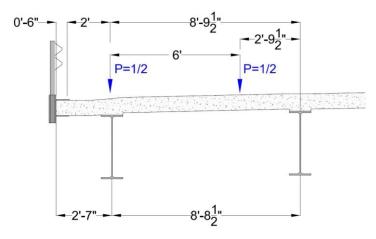


Figure C1.2: Lever Rule Truck Placement

Therefore, the lever rule analysis is as follows:

Lever Rule Analysis =
$$\frac{0.5(8.79) + 0.5(2.79)}{8.71} = 0.665$$

To obtain the resulting distribution factor, this value is simply multiplied by the appropriate multiple presence factor for one-lane-loaded scenarios, or 1.20.

$$g = 1.20(0.665) = 0.798$$

C1.4.2.2 Special Analysis (Article C4.6.2.2.2d)

As stated, an additional investigation is required which assumes the entire cross-section rotates as a rigid body about the longitudinal centerline of the bridge. When applying Special Analysis, the process is iterated for as many design vehicles that can fit onto the bridge cross-section. Also, it is the responsibility of the designer or analyst to apply the appropriate multiple presence factors to the derived reactions.

The first step is determining the eccentricities of the girders from the center-of-gravity of the girder group (x values) and the squares of those values. These values are listed in the table below.

Table C1.2: Girder Eccentricities

Girder	x (ft)	x² (ft²)
1	-17.42	303.34
2	-8.71	75.84
3	0	0
4	8.71	75.84
5	17.42	303.34
	$\Sigma =$	758.64

Therefore,
$$\sum_{N_b} x^2 = 758.64 \text{ ft}^2$$
.

The next step is to determine the placement of trucks and the eccentricity of these trucks from the center-of-gravity of the girder group (*e* values). This step is shown graphically in the figure below.

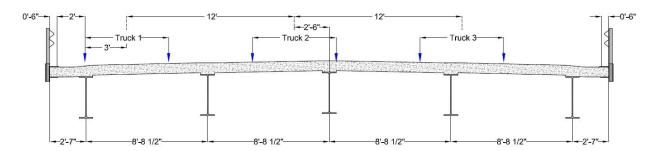


Figure C1.3: Special Analysis Truck Placement

Therefore, for this truck placement scheme, the eccentricities, and their sums are as follows:

$$e_1 = 14.5 \text{ ft},$$
 $\sum_{N_L} e = 14.5 \text{ ft}$
 $e_2 = 2.5 \text{ ft},$ $\sum_{N_L} e = 14.5 \text{ ft} + 2.5 \text{ ft} = 17 \text{ ft}$
 $e_2 = -9.5 \text{ ft},$ $\sum_{N_L} e = 14.5 \text{ ft} + 2.5 \text{ ft} + (-9.5 \text{ ft}) = 7.5 \text{ ft}$

Employing these values and the appropriate multiple presence factors (Article 3.6.1.1.2), special analysis distribution factors can then be calculated. For these calculations, X_{ext} is simply the distance from the center-of-gravity of the girder group to the exterior girder, or 17.42 feet.

$$R_1 = 1.20 \left[\frac{1}{5} + \frac{(17.42 \text{ ft})(14.5 \text{ ft})}{758.64 \text{ ft}^2} \right] = 0.640$$

$$R_2 = 1.00 \left[\frac{2}{5} + \frac{(17.42 \text{ ft})(17 \text{ ft})}{758.64 \text{ ft}^2} \right] = 0.790$$

$$R_3 = 0.85 \left[\frac{3}{5} + \frac{(17.42 \text{ ft})(7.5 \text{ ft})}{758.64 \text{ ft}^2} \right] = 0.656$$

C1.4.2.3 Distribution Factor for Live Load Deflection (Article 2.5.2.6.2)

To determine the distribution factor for live load deflections, all girders are assumed to deflect equally as previously stated, and the appropriate multiple presence factor shall be applied. For this bridge, with a clear roadway width of 39 feet, this equates to three design lanes (Article 3.6.1.1.1). Therefore, with a multiple presence factor of 0.85 for three loaded lanes (Article 3.6.1.1.2), the distribution factor is as follows:

$$g = 0.85 \left(\frac{3}{5}\right) = 0.51$$

C1.4.3 Nominal Fatigue Resistance

Article 6.10.5.1 requires that fatigue be investigated in accordance with Article 6.6.1, which states that the live load stress range be less than the fatigue resistance. The fatigue resistance $(\Delta F)_n$ varies based on the fatigue category to which a particular member or detail belongs. The nominal fatigue resistance is taken as follows:

For the Fatigue I load combination (infinite life):

$$(\Delta F)_n = (\Delta F)_{TH}$$
 Eq. 6.6.1.2.5-1

For the Fatigue II load combination (finite life):

$$(\Delta F)_n = \left(\frac{A}{N}\right)^{\frac{1}{3}}$$
 Eq. 6.6.1.2.5-2

$$N = (365)(75)n(ADTT)_{SL}$$
 Eq. 6.6.1.2.5-3

For this design evaluation, the detail chosen for evaluation is the base metal at the weld joining the lateral bracing connection plates at interior diaphragms. According to Table 6.6.1.2.3-1, this detail is listed with a fatigue category C'. For a C' fatigue category, a constant amplitude fatigue threshold, $(\Delta F)_{TH} = 12$ ksi (Table 6.6.1.2.5-3) is obtained.

Values for n, or the cycles per truck passage, are listed in Table 6.6.1.2.5-2. For a simple-span girder with a span length larger than 40 feet, n is taken as 1.0.

To determine the single-lane average daily truck traffic, $(ADTT)_{SL}$, a value of the average daily truck traffic, ADTT, must be assumed. For this example, an ADTT of 4000 trucks per day was assumed. Table 3.6.1.4.2-1 list p values, which are fractions of ADTT that can be expected in a single lane. For a two-lane bridge, p = 0.85. Therefore, according to Equation 3.6.1.4.2-1, $(ADTT)_{SL}$ can be easily evaluated.

$$(ADTT)_{SL} = p(ADTT) = 0.85(4000 \text{ trucks/day}) = 3400 \text{ trucks/day}$$

Table 6.6.1.2.3-2 lists average daily truck traffic values which are equivalent to infinite life. Specifically, Article 6.6.1.2.3 states that when the actual $(ADTT)_{SL}$ value is larger than that listed in the Table, the detail in question shall be designed for the Fatigue I load combination for infinite life. For a fatigue category C', a value of 745 trucks/day is listed. Therefore, the detail chosen for this design evaluation is evaluated for the Fatigue I load combination for infinite life.

C1.5 SUMMARY

This section contained an overview of the layout of the V-65 Jesup South Bridge assessed in this design evaluation. In addition, a comprehensive overview of loads, load combinations, and limit states employed were included. Finally, a discussion of parameters and calculations was presented. These parameters will be used to evaluate the girder solution in the following section.

Section C2: Design Assessment

C2.1 Introduction

Contained in this section is a design assessment according to current AASHTO LRFD Specifications of a rolled beam selected from the V-65 Jesup South Bridge. In this design assessment, an evaluation of the girder at the strength, service, and fatigue limit states is conducted. Additionally, an analysis is conducted to determine whether the girder meets constructibility requirements under typical construction loads as specified in Article 6.10.3.

C2.2 GIRDER GEOMETRY

The rolled beams used in the V-65 Jesup South Bridge were comprised of ASTM A709 Grade 50 steel ($F_y = 50$ ksi). The properties of this selection, a W36×135, were obtained from the current edition of the AISC Steel Construction Manual, and are listed below:

$$A_g = 39.9 \text{ in}^2$$
 $d = 35.6 \text{ in}$
 $t_w = 0.600 \text{ in}$ $b_f = 12.0 \text{ in}$
 $t_f = 0.790 \text{ in}$ $\frac{b_f}{2t_f} = 7.56$
 $I_x = 7800 \text{ in}^4$ $S_x = 439 \text{ in}^3$
 $Z_x = 509 \text{ in}^3$ $r_{ts} = 2.99 \text{ in}$
 $h_o = 34.8 \text{ in}$ $J = 7.00 \text{ in}^4$

C2.2.1 Section Properties

Section properties for the girder are listed on the following pages. For these calculations, all "y" distances are taken from the bottom of the bottom flange. Section properties are calculated for short-term composite sections (dividing the effective flange width by n) and long-term composite sections (dividing the effective flange width by 3n). As stated in Section C1, the modular ratio, n, for this bridge is taken as 8, and the effective flange widths are as follows.

- For interior girders, 104.5 inches
- For exterior girders, 83.25 inches

Long Term Composite Section (Exterior Girder)						
Shape	A (in²)	y (in)	Ay (in³)	I_0 (in ⁴)	d (in)	I (in ⁴)
Girder	39.9	17.80	710.2	7800.0	9.44	11354.6
Slab	27.8	40.81	1132.5	148.0	-13.57	5259.0
Σ	67.7		1842.7			16613.7
	Short To	erm Comp	osite Sectio	n (Exterior	Girder)	
Shape	A (in²)	y (in)	Ay (in³)	I_0 (in ⁴)	d (in)	I (in ⁴)
Girder	39.9	17.80	710.2	7800.0	15.55	17454.0
Slab	83.3	40.81	3397.4	444.0	-7.46	5070.9
Σ	123.2		4107.7			22524.9
	Long Term Composite Section (Interior Girder)					
Shape	A (in²)	y (in)	Ay (in³)	I_0 (in ⁴)	d (in)	I (in ⁴)
Girder	39.9	17.80	710.2	7800.0	10.73	12389.5
Slab	34.8	40.81	1421.5	185.8	-12.29	5442.9
Σ	74.7		2131.8			17832.4
Short Term Composite Section (Interior Girder)						
Shape	A (in²)	y (in)	Ay (in³)	I_0 (in ⁴)	d (in)	I (in ⁴)
Girder	39.9	17.80	710.2	7800.0	16.65	18863.8
Slab	104.5	40.81	4264.6	557.3	-6.36	4781.7
Σ	144.4		4974.9			23645.5

C2.2.2 Cross-Section Proportion Limits

The girder in this design evaluation was evaluated to meet the cross-section proportion limits of Article 6.10.2. For webs without longitudinal stiffeners, the following limit is employed from Article 6.10.2.1.1.

$$\frac{D}{t_w} \le 150$$
 Eq. 6.10.2.1.1-1

$$\frac{35.6 - 2(0.79)}{0.600} \le 150$$

56.7 ≤ 150 ∴ *OK*

As previously stated, the following limits are employed for flange proportions. In addition to the limits set forth in Article 6.10.2.2, Article C6.10.3.4 specifies an additional limit for the compression flange, and is presented below. For this evaluation, the results show that the girder meets all applicable cross-section proportion limits.

$$\frac{b_f}{2t_f} \le 12.0$$
 Eq. 6.10.2.2-1

 $7.56 \le 12.0 : OK$

$$b_f \ge \frac{D}{6}$$

$$12.0 \ge \frac{35.6 - 2(0.79)}{6}$$

 $12.0 \ge 5.67$ ∴ *OK*

$$t_f \ge 1.1 t_w$$
 Eq. 6.10.2.2-3

 $0.79 \ge 1.1(0.600)$

 $0.79 \ge 0.66 :: OK$

$$0.1 \le \frac{I_{yc}}{I_{yt}} \le 10$$
 Eq. 6.10.2.2-3

$$0.1 \le \frac{\left(0.79\right)\left(12.0^3\right)/12}{\left(0.79\right)\left(12.0^3\right)/12} \le 10$$

$$0.1 \le 1.0 \le 10 :: OK$$

$$b_{fc} \ge \frac{L}{85}$$
 Eq. C6.10.3.4-1

$$12.0 \ge \frac{63(12)}{85}$$

$$12.0 \ge 8.89 :: OK$$

C2.3 DEAD LOADS

The dead loads computed for this girder consist of the component and attachment dead load (DC) and the wearing surface dead load (DW) and are described herein.

C2.3.1 Component and Attachment Dead Load (DC)

The dead load of structural components and nonstructural attachments are computed as follows. As previously stated, the DC load is divided into two components, the load applied to the noncomposite section (DC₁) and the load applied to the long-term composite section (DC₂). Loads such as the slab, overhang tapers, the guardrail, and the SIP formwork are assumed to be equally distributed to all of the girders.

NONCOMPOSITE DEAD LOAD (DC_1):

$$\begin{aligned} & \text{Slab} = \frac{0.150}{5} \Bigg[\bigg(\frac{8.5}{12} \bigg) (40) \Bigg] & 0.850 \text{ kip/ft} \\ & \text{Haunch} = 0.150 \Bigg[\bigg(\frac{12}{12} \bigg) \bigg(\frac{2.0 - 0.79}{12} \bigg) \Bigg] & 0.015 \text{ kip/ft} \\ & \text{Taper} = 0.150 \bigg(\frac{2}{5} \bigg) \Bigg[\bigg(\frac{2.0 - 0.79}{12} \bigg) \bigg(\frac{31 - 12/2}{12} \bigg) \Bigg] & 0.013 \text{ kip/ft} \\ & \text{SIP} = \frac{0.015}{5} 4 \Bigg[8.71 - \frac{12}{12} \Bigg] & 0.093 \text{ kip/ft} \\ & \text{Girder} = \text{W36} \times 135 & 0.135 \text{ kip/ft} \\ & \text{Misc. Details} = 5\% & 0.007 \text{ kip/ft} \\ & \hline & \textbf{1.113 \text{ kip/ft}} \end{aligned}$$

C2.3.2 Wearing Surface Dead Load (DW)

The dead load of the future wearing surface is applied across the clear roadway width of 39 feet. Like DC_1 and DC_2 , loads are assumed to be equally distributed to all of the girders.

WEARING SURFACE DEAD LOAD (DW):

Wearing Surface =
$$\frac{0.025}{5}$$
 (39)
$$0.195 \text{ kip/ft}$$

$$0.195 \text{ kip/ft}$$

C2.4 STRUCTURAL ANALYSIS

For this design evaluation, an approximate analysis is conducted which employs a linegirder analysis model. Dead loads, as stated earlier, are assumed to be evenly distributed to all girders. For live loads, live load distribution factors are used to distribute the vehicular live load to the line-girder model.

C2.4.1 Live Load Distribution Factors (Article 4.6.2.2)

As previously stated, many of the bending moment distribution factors specified in Article 4.6.2.2 are a function of K_g , a longitudinal stiffness parameter. K_g is computed according to Eq. 4.6.2.2.1-1, and is shown below for an interior girder. Note that K_g does not need to be calculated for exterior girders since the lever rule, special analysis, and modified interior distribution factors serve as the exterior girder moment distribution factors. In addition, as previously stated, K_g must lie between 10,000 in⁴ and 7,000,000 in⁴ for the application of these distribution factors to be valid; as shown, this limit is clearly met.

$$K_g = n \left(I + A e_g^2 \right)$$

$$K_g = 8 \left[7800 + (39.9) \left(\frac{35.6}{2} + (2.0 - 0.79) + \frac{8.0}{2} \right)^2 \right]$$

$$K_g = 231,404 \text{ in}^4$$

C2.4.1.1 General Live Load Distribution Factors

Using the formulas and methods discussed in C1.4.2, moment and shear distribution factors for the strength and service limit states are calculated and listed as follows. Note that many of the values are repeated as the lever rule and special analysis apply to both moment and shear distribution.

STRENGTH AND SERVICE LIMIT STATE

Bending Moment - Interior Girder	
One Lane Loaded	0.494
Multiple Lanes Loaded	0.682
Shear - Interior Girder	
One Lane Loaded	0.708
Multiple Lanes Loaded	0.864
Bending Moment - Exterior Girder	
One Lane Loaded	0.798
Multiple Lanes Loaded	0.716
Special Analysis (1 Lane)	0.64
Special Analysis (2 Lanes)	0.79
Special Analysis (3 Lanes)	0.659
Shear - Exterior Girder	
Shear - Exterior Girder One Lane Loaded	0.798
	0.798 0.682
One Lane Loaded	
One Lane Loaded Multiple Lanes Loaded	0.682

C2.4.1.2 Fatigue Live Load Distribution Factors

Using the formulas and methods discussed in C1.4.2, live load distribution factors for the fatigue limit state are calculated and listed below. To obtain these values, the previously computed distribution factors for one-lane-loaded scenarios (chosen since the fatigue loading consists of only one design truck) are divided by 1.20, the multiple presence factor for one lane loaded (as previously stated, multiple presence factors are not applied at the fatigue limit state).

FATIGUE LIMIT STATE

Bending Moment - Interior Girder

One Lane Loaded 0.412

Bending Moment - Exterior Girder

One Lane Loaded 0.665

Special Analysis (1 Lane) 0.533

C2.4.1.3 Live Load Distribution Factor Summary

Governing distribution factors are listed below for interior and exterior girders. As shown, distribution factors for exterior girders, on average, exceed those for interior girders. Also, the distribution factor for deflection (computed earlier) is also presented.

SUMMARY	<u>Interior</u>	<u>Exterior</u>
Moment	0.682	0.798
Shear	0.864	0.798
Fatigue Moment	0.412	0.665
Deflection	0.510	0.510

C2.5 ANALYSIS RESULTS

The tables in this section contain the moments, shears, and deflections resulting from structural analysis of the girder. Analyses were generated using the commercial software package LEAP CONSYS (2008), which idealizes the structure as a continuous line-girder. For these analyses, properties from the exterior girder were utilized for the stiffness of the line-girder model. This was due to the reduced section properties (due to a smaller effective flange width) and the increased live load distribution factors. An exception to this, however, is the set of distributed shears, which are distributed according to the interior girder (chosen for its high live load distribution factor).

	Unfactored/Undistributed Moments (ft-kip)											
x/L	DC_1	DC_2	DW	Truc	ck Lane		ie	Tandem		Fatigue Truck		
				(+)	(-)	(+)	(-)	(+)	(-)	(+)	(-)	
0	0.0	0.0	0.0	0	0	0	0	0	0	0	0	
0.1	199.7	7.1	34.8	341.0	0	114.3	0	273.5	0	277.0	0	
0.2	355.0	12.7	61.9	591.4	0	203.2	0	484	0	463.4	0	
0.3	465.9	16.7	81.3	751.0	0	266.7	0	631.5	0	586.2	0	
0.4	532.5	19.1	92.9	842.2	0	304.8	0	716	0	637.4	0	
0.5	554.7	19.8	96.7	854.0	0	317.5	0	737.5	0	598.0	0	
0.6	532.5	19.1	92.9	842.2	0	304.8	0	716	0	637.4	0	
0.7	465.9	16.7	81.3	751.0	0	266.7	0	631.5	0	586.2	0	
8.0	355.0	12.7	61.9	591.4	0	203.2	0	484	0	463.4	0	
0.9	199.7	7.1	34.8	341.0	0	114.3	0	273.5	0	277.0	0	
1	0.0	0.0	0.0	0	0	0	0	0	0	0	0	

Unfactored/Undistributed Shears (kip)											
x/L	DC_1	DC_2	DW	Tr	uck	La	Lane		Tandem		
				(+)	(-)	(+)	(-)	(+)	(-)		
0	35.2	1.3	6.1	61.3	0.0	20.2	0	48.4	0		
0.1	28.2	1.0	4.9	54.1	-3.2	16.3	-0.2	43.4	-3.4		
0.2	21.1	8.0	3.7	46.9	-6.4	12.9	-0.8	38.4	-8.4		
0.3	14.1	0.5	2.5	39.7	-12.1	9.9	-1.8	33.4	-13.4		
0.4	7.0	0.3	1.2	32.5	-18.5	7.3	-3.2	28.4	-18.4		
0.5	0.0	0.0	0.0	25.3	-25.3	5.0	-5.0	23.4	-23.4		
0.6	-7.0	-0.3	-1.2	18.5	-32.5	3.2	-7.3	18.4	-28.4		
0.7	-14.1	-0.5	-2.5	12.1	-39.7	1.8	-9.9	13.4	-33.4		
0.8	-21.1	-0.8	-3.7	6.4	-46.9	0.8	-12.9	8.4	-38.4		
0.9	-28.2	-1.0	-4.9	3.2	-54.1	0.2	-16.3	3.4	-43.4		
1	-35.2	-1.3	-6.1	0	-61.3	0.0	-20.2	0	-48.4		

Unf	Unfactored/Undistributed Deflections (in)									
x/L	Tr	uck	La	Lane						
	(+)	(-)	(+)	(-)						
0	0	0	0	0						
0.1	0.21	0	0.11	0						
0.2	0.4	0	0.21	0						
0.3	0.55	0	0.28	0						
0.4	0.65	0	0.33	0						
0.5	0.68	0	0.35	0						
0.6	0.65	0	0.33	0						
0.7	0.55	0	0.28	0						
8.0	0.4	0	0.21	0						
0.9	0.21	0	0.11	0						
1_	0	0	0	0						

	Unfactored/Distributed Moments (ft-kip)										
x/L	1.33 Truck + Lane		1.33 Tandem + Lane		DF	LL + IM					
	(+)	(-)	(+)	(-)		(+)	(-)				
0	0	0	0	0	0.798	0	0				
0.1	568	0	478	0	0.798	453.2	0				
0.2	990	0	847	0	0.798	789.8	0				
0.3	1265	0	1107	0	0.798	1009.9	0				
0.4	1425	0	1257	0	0.798	1137.1	0				
0.5	1453	0	1298	0	0.798	1159.8	0				
0.6	1425	0	1257	0	0.798	1137.1	0				
0.7	1265	0	1107	0	0.798	1009.9	0				
0.8	990	0	847	0	0.798	789.8	0				
0.9	568	0	478	0	0.798	453.2	0				
1	0	0	0	0	0.798	0	0				

Unfactored/Distributed Shears (kip)											
x/L	1.33 Truck + Lane		1.33 Tandem + Lane		DF	LL + IM					
	(+)	(-)	(+)	(-)		(+)	(-)				
0	101.6	0.0	84.5	0.0	0.864	87.8	0				
0.1	88.3	-4.5	74.1	-4.7	0.864	76.3	-4.1				
0.2	75.3	-9.3	64.0	-12.0	0.864	65.1	-10.4				
0.3	62.7	-17.9	54.3	-19.7	0.864	54.2	-17.0				
0.4	50.5	-27.8	45.0	-27.7	0.864	43.7	-24.0				
0.5	38.7	-38.7	36.2	-36.2	0.864	33.5	-33.5				
0.6	27.8	-50.5	27.7	-45.0	0.864	24.0	-43.7				
0.7	17.9	-62.7	19.7	-54.3	0.864	17.0	-54.2				
8.0	9.3	-75.3	12.0	-64.0	0.864	10.4	-65.1				
0.9	4.5	-88.3	4.7	-74.1	0.864	4.1	-76.3				
1	0.0	-101.6	0.0	-84.5	0.864	0	-87.8				

		Str	rength I Mom	ents (ft-kip)		
x/L	L 1.25 DC ₁ 1.25		1.50 DW	1.75 LL	+ IM	Stren	ngth I
				(+)	(-)	(+)	(-)
0	0	0	0	0	0	0	0
0.1	249.6	8.9	52.2	793.1	0	1103.8	310.8
0.2	443.7	15.9	92.9	1382.1	0	1934.6	552.5
0.3	582.4	20.8	121.9	1767.3	0	2492.4	725.1
0.4	665.6	23.8	139.3	1990.0	0	2818.7	828.7
0.5	693.3	24.8	145.1	2029.6	0	2892.8	863.3
0.6	665.6	23.8	139.3	1990.0	0	2818.7	828.7
0.7	582.4	20.8	121.9	1767.3	0	2492.4	725.1
0.8	443.7	15.9	92.9	1382.1	0	1934.6	552.5
0.9	249.6	8.9	52.2	793.1	0	1103.8	310.8
1	0	0	0	0	0	0	0

			Strength I S	hears (kip)		
x/L	1.25 DC₁	1.25 DC ₂	1.50 DW	1.75 I	LL + IM	Stre	ength I
				(+)	(-)	(+)	(-)
0	44.0	1.6	9.2	153.7	0	208.5	54.8
0.1	35.2	1.3	7.4	133.6	-7.2	177.4	36.7
0.2	26.4	0.9	5.5	113.9	-18.1	146.8	14.7
0.3	17.6	0.6	3.7	94.8	-29.7	116.8	-7.8
0.4	8.8	0.3	1.8	76.4	-42.1	87.4	-31.1
0.5	0	0	0	58.6	-58.6	58.6	-58.6
0.6	-8.8	-0.3	-1.8	42.1	-76.4	31.1	-87.4
0.7	-17.6	-0.6	-3.7	29.7	-94.8	7.8	-116.8
0.8	-26.4	-0.9	-5.5	18.1	-113.9	-14.7	-146.8
0.9	-35.2	-1.3	-7.4	7.2	-133.6	-36.7	-177.4
1	-44.0	-1.6	-9.2	0	-153.7	-54.8	-208.5

	Service II Moments (ft-kip)										
x/L	1.00 DC ₁	DC ₁ 1.00 DC ₂ 1.		1.30 LL	+ IM	Service II					
				(+)	(-)	(+)	(-)				
0	0	0	0	0	0	0	0				
0.1	199.7	7.1	34.8	589.1	0	830.8	241.7				
0.2	355.0	12.7	61.9	1026.7	0	1456.3	429.6				
0.3	465.9	16.7	81.3	1312.8	0	1876.7	563.9				
0.4	532.5	19.1	92.9	1478.3	0	2122.7	644.4				
0.5	554.7	19.8	96.7	1507.7	0	2179.0	671.3				
0.6	532.5	19.1	92.9	1478.3	0	2122.7	644.4				
0.7	465.9	16.7	81.3	1312.8	0	1876.7	563.9				
0.8	355.0	12.7	61.9	1026.7	0	1456.3	429.6				
0.9	199.7	7.1	34.8	589.1	0	830.8	241.7				
1	0	0	0	0	0	0	0				

			Service I Deflections (in)							
x/L	x/L Truck		0.25 Tr	uck + Lane	DF	Serv	ice I			
	(+)	(-)	(+)	(-)		(+)	(-)			
0	0	0	0	0	0.510	0	0			
0.1	0.28	0	0.18	0	0.510	0.14	0			
0.2	0.53	0	0.34	0	0.510	0.27	0			
0.3	0.73	0	0.46	0	0.510	0.37	0			
0.4	0.86	0	0.55	0	0.510	0.44	0			
0.5	0.90	0	0.58	0	0.510	0.461	0			
0.6	0.86	0	0.55	0	0.510	0.44	0			
0.7	0.73	0	0.46	0	0.510	0.37	0			
0.8	0.53	0	0.34	0	0.510	0.27	0			
0.9	0.28	0	0.18	0	0.510	0.14	0			
1	0	0	0	0	0.510	0	0			

	Fatigue Moments (ft-kip)										
x/L	LL +	IM	DF	1.50 (LL + IM)							
	(+)	(-)		(+)	(-)						
0	0	0	0.665	0	0						
0.1	318.6	0	0.665	317.8	0						
0.2	532.9	0	0.665	531.5	0						
0.3	674.1	0	0.665	672.4	0						
0.4	733.1	0	0.665	731.2	0						
0.5	687.7	0	0.665	686.0	0						
0.6	733.1	0	0.665	731.2	0						
0.7	674.1	0	0.665	672.4	0						
8.0	532.9	0	0.665	531.5	0						
0.9	318.6	0	0.665	317.8	0						
1	0	0	0.665	0	0						

C2.6 LIMIT STATE EVALUATIONS

Presented in this section is an evaluation of an exterior girder for the V-65 Jesup South Bridge. The exterior girder was chosen due to the reduced section properties (due to a smaller effective flange width) and the increased live load distribution factors. In this evaluation, all of the aforementioned limit states, including strength, service, and fatigue are assessed. In addition, a constructibility evaluation is also performed.

C2.6.1 Constructibility

The provisions of Article 6.10.3 are employed to ensure adequate performance related to yielding of the flanges, flexural resistance of the compression flange, and web bend-buckling resistance during stages of construction. During construction, the noncomposite girder must have sufficient capacity to resist construction force effects. Therefore, the capacity of the noncomposite girder must be evaluated.

C2.6.1.1 Compression Flange Resistance

The first step is determining which Article is applicable in determining the flexural capacity of the noncomposite girder. Article 6.10.6.2.3 states that Appendix A6 may be employed if the girder meets certain limits. This is preferable, as Appendix A6 allows the girder's noncomposite capacity to exceed the yield moment. For Appendix A6 to be applicable, the flanges' yield strengths must not exceed 70.0 ksi (this limit is met since $F_y = 50$ ksi), the skew must not exceed 20° (no skew is present) and two additional limits must be met.

$$\frac{2D_c}{t_w} < 5.7 \sqrt{\frac{E}{F_{yc}}}$$
 Eq. 6.10.6.2.3-1

$$\frac{I_{yc}}{I_{yt}} \ge 0.3$$
 Eq. 6.10.6.2.3-2

The depth of the web in compression of the noncomposite girder in the elastic range, D_c , is the distance from the top of the web to the neutral axis of the girder. In addition, I_{yc} and I_{yt} have already been determined for this girder (see C2.2.2). Therefore, the evaluation of these limits is as follows.

$$D_c = \frac{35.6 - 2(0.79)}{2} = 17.01 \text{ in}$$

$$\frac{2D_c}{t_w} < 5.7 \sqrt{\frac{E}{F_{yc}}}$$

$$\frac{2(17.01)}{0.600} < 5.7 \sqrt{\frac{29000}{50}}$$

$$\frac{I_{yc}}{I_{yt}} \ge 0.3$$

1.0 > 0.3 :: OK

56.7 < 137.27 :: OK

Therefore, Appendix A6 may be employed. To employ Appendix A6, the yield moment, M_y , and the plastic moment, M_p , of the noncomposite girder must be computed. The yield moment of the girder is simply the yield stress, F_y , multiplied by the section modulus, S_x . The plastic moment of the girder is simply the yield stress, F_y , multiplied by the plastic section modulus, Z_x .

$$M_y = F_y S_x$$

$$M_y = \frac{(50)(439)}{12}$$
 $M_y = 1829.2 \text{ ft-kip}$

$$M_p = F_y Z_x$$

$$M_p = \frac{(50)(509)}{12}$$

$$M_p = 2120.8 \text{ ft-kip}$$

The first step in employing Appendix A6 is to determine whether the section is a compact web section or a noncompact web section. Compact web sections are those that meet the following requirements.

$$\frac{2D_{cp}}{t_w} \le \lambda_{pw(D_{cp})}$$
 Eq. A6.2.1-1

 D_{cp} is the depth of the web in compression at the plastic moment. Since the plastic neutral axis of a rolled beam is at the same location as the elastic neutral axis, this value is the same as D_c , or 17.01 inches. $\lambda_{pw(D_m)}$ is then computed as follows.

$$\lambda_{rw} = 5.7 \sqrt{\frac{E}{F_{yc}}}$$
 Eq. A6.2.1-3
$$\lambda_{rw} = 5.7 \sqrt{\frac{29000}{50}}$$

$$\lambda_{rw} = 137.27$$

$$\lambda_{pw(D_{cp})} = \frac{\sqrt{\frac{E}{F_{yc}}}}{\left(0.54 \frac{M_p}{R_h M_y} - 0.09\right)^2} \le \lambda_{rw} \left(\frac{D_{cp}}{D_c}\right)$$

$$\lambda_{pw(D_{cp})} = \frac{\sqrt{\frac{29000}{50}}}{\left[0.54 \frac{2120.8}{(1.0)(1829.2)} - 0.09\right]^2} \le 137.27 \left(\frac{17.01}{17.01}\right)$$

$$\lambda_{pw(D_{cp})} = 83.8 < 137.24$$

$$\lambda_{pw(D_{cp})} = 83.8$$

Therefore, as shown below, the girder qualifies as a compact web section.

$$\frac{2D_{cp}}{t_{w}} \le \lambda_{pw(D_{cp})}$$

$$\frac{2(17.01)}{0.600} \le 83.8$$

56.7 < 83.8: Web is compact

To determine the flexural capacity of the compression flange for a compact web section, a web plastification factor for the compression flange, R_{pc} , must be determined. This essentially determines how much the girder's flexural capacity can exceed M_y . In addition, they can account for the influence of web slenderness on the maximum potential flexural resistance. The web plastification factor is computed as follows.

$$R_{pc} = \frac{M_p}{M_{yc}}$$
 Eq. A6.2.1-4

$$R_{pc} = \frac{2120.8}{1829.2}$$

$$R_{pc} = 1.159$$

The flexural capacity of the compression flange is a function of the slenderness ratio of the flange and whether or not the flange is classified as compact. The web plastification factor computed earlier is then used to compute the section's flexural capacity. For flanges to be classified as compact, the slenderness ratio for the flange, λ_f , must be less than a limiting value, λ_{pf} . As shown, the flange meets the requirements for compactness.

$$\lambda_f = \frac{b_{fc}}{2t_{fc}}$$
 Eq. A6.3.2-3
$$\lambda_f = 7.56$$

$$\lambda_{pf} = 0.38 \sqrt{\frac{E}{F_y}}$$
 Eq. A6.3.2-4
$$\lambda_{pf} = 0.38 \sqrt{\frac{29000}{50}}$$

$$\lambda_{pf} = 9.15$$

 $\lambda_f < \lambda_{pf}$: Flange is compact

Therefore, the flexural capacity of the compression flange is computed as follows. Equation A6.3.2-1 yields the flexural capacity in terms of the girder's overall capacity, not the flange's capacity. To obtain the capacity of the flange, in accordance with Article 6.10.3.2.1, the flange's capacity can be computed by dividing the girder's capacity by S_{xc} .

$$M_{nc} = R_{pc} M_{yc}$$
 Eq. A6.3.2-1
$$M_{nc} = (1.159)(1829.2)$$

$$M_{nc} = 2120 \text{ ft-kip}$$

$$F_{nc} = \frac{M_{nc}}{S_{xc}}$$

$$F_{nc} = \frac{2120(12)}{439}$$

$$F_{nc} = 57.95 \text{ ksi}$$

C2.6.1.2 Major Axis and Lateral Flange Bending Stresses

The next step in performing this constructability analysis is to determine the major axis and lateral flange bending stresses that the girder will be subjected to during construction. First, major-axis bending stresses will be computed. As previously stated, the deck is assumed to be cast in one pour; therefore, major axis bending stresses will be computed according to DC₁. From analysis results, the unfactored DC₁ moment was found to be 554.7 ft-kip. Therefore, major axis bending stresses are as follows. For this computation, the Strength IV load combination is employed in addition to Strength I. This is because, during construction, the bridge is subjected to very high dead to live load force effect ratios. In addition, since this section is a symmetric rolled beam, the top flange stresses during construction will be equal (in magnitude) to the bottom flange stresses.

STRENGTH I:

$$f_{bu} = \frac{1.25(554.7)(12)}{439} = 18.95 \text{ ksi}$$

STRENGTH IV:

$$f_{bu} = \frac{1.50(554.7)(12)}{439} = 22.74 \text{ ksi}$$

Next, stresses due to lateral flange bending forces from construction loads must be computed. Before calculating lateral flange bending stresses, a determination must be made regarding whether or not a second-order analysis must be carried out for compressive stresses. To make this determination, a number of variables must be computed, including the effective radius of gyration for lateral torsional buckling, r_t , and the limiting unbraced length to achieve the maximum flexural resistance, L_p . For rolled beams, the AISC Steel Construction Manual provides a value for r_t (or r_{ts} as it is listed); for a W36×135, the value is 2.99 inches.

$$L_p = 1.0r_t \sqrt{\frac{E}{F_{yc}}}$$
 Eq. 6.10.8.2.3-4
$$L_p = 1.0(2.99) \sqrt{\frac{29000}{50}}$$

$$L_p = 72.0 \text{ in}$$

A moment gradient modifier, C_b , must then be computed in order to determine whether or not a second-order analysis must be carried out. C_b is a coefficient which accounts for different moment gradients on lateral torsional buckling.

It was previously determined that Appendix A6 was applicable for this noncomposite girder. Therefore, to compute C_b , moments must be found at various lengths along the unbraced segment of interest. For this structure, the unbraced length, L_b , is simply the spacing of diaphragms, or 20 feet.

From analysis results (interpolating between tenth points), the following unfactored moments were obtained for the unbraced segment at midspan. It should be noted that since deck casting moments will result solely from DC_1 , this calculation for C_b will be valid for both Strength I and Strength IV load combinations.

 M_{mid} = major-axis bending moment at the middle of the unbraced length = 554.7 ft-kip M_0 = major-axis bending moment at one end of the unbraced segment = 493.4 ft-kip M_2 = major-axis bending moment at the other end of the unbraced segment = 493.4 ft-kip

$$C_b$$
 equals 1.0 (since M_{mid}/M_2 is greater than 1.0) Eq. A6.3.3-6

The limit for first-order elastic analyses can now be computed as follows.

$$L_b \le 1.2 L_p \sqrt{\frac{C_b R_b}{M_u / M_{yc}}}$$
 Eq. 6.10.1.6-3

STRENGTH I:

$$240 \le 1.2(72)\sqrt{\frac{(1.0)(1.0)}{1.25(554.7)/1829.2}}$$

240 > 140.33: Not Satisfied

STRENGTH IV:

$$240 \le 1.2(72)\sqrt{\frac{(1.0)(1.0)}{1.50(554.7)/1829.2}}$$

240 > 128.11 ∴ Not Satisfied

It should be noted that if the unbraced length was taken as 21.5 ft, a distance from one end of the bridge to the diaphragm, the limit would also not be met.

Therefore, a second-order analysis must be performed for the Strength I and Strength IV load combinations. Article 6.10.1.6 provides an approximate method for computing second-order compression-flange lateral bending stresses by multiplying first-order values by an amplification factor (this calculation is not required for tensile stresses). This amplification factor is a function of the compression flange's elastic lateral torsional buckling stress, F_{cr} . To compute F_{cr} , the height between the centerline of the flanges, h, and the St. Venant torsional constant, J, must be calculated. The AISC Steel Construction Manual provides these values for rolled shapes. For a W36×135:

- $h = h_o = 34.8$ in.
- $J = 7.0 \text{ in}^4$

 F_{cr} is then computed as follows according to the provisions for Appendix A6. It should be noted that, according to Article C6.10.1.6, F_{cr} is not limited to $R_bR_hF_{yc}$.

$$F_{cr} = \frac{C_b \pi^2 E}{\left(\frac{L_b}{r_t}\right)^2} \sqrt{1 + 0.078 \frac{J}{S_{xc} h} \left(\frac{L_b}{r_t}\right)^2}$$
Eq. A6.3.3-8
$$F_{cr} = \frac{(1.0)(\pi^2)(29000)}{\left(\frac{240}{2.99}\right)^2} \sqrt{1 + 0.078 \frac{7.0}{(439)(34.8)} \left(\frac{240}{2.99}\right)^2}$$

 $F_{cr} = 49.27 \text{ ksi}$

The amplification factor for first-order lateral flange bending stresses is as follows.

$$AF = \frac{0.85}{1 - \frac{M_u}{F_{cr}S_{xc}}}$$
 Eq. 6.10.1.6-5

STRENGTH I:
$$AF = \frac{0.85}{1 - \frac{1.25(554.7)(12)}{(49.27)(439)}} = 1.38$$

STRENGTH IV:
$$AF = \frac{0.85}{1 - \frac{1.50(554.7)(12)}{(49.27)(439)}} = 1.58$$

To compute deck overhang loads, lateral forces are computed by determining the force statically equivalent to the couple resulting from the eccentric vertical loads. This computation involves the angle, α , between the overhang bracket and the web of the girder. The bracket is assumed to extend from the end of the overhang to the web-bottom flange junction. The angle between the web of the girder and the bracket, along with the lateral force relation, are as follows.

$$F_l = F \tan(\alpha)$$

$$\alpha = \tan^{-1} \left[\frac{31.0}{35.6 - 2(0.79)} \right] = 42.34^{\circ}$$

In addition, half of the wet concrete overhang load is assumed to act on the overhang bracket, and is computed as follows.

$$\frac{150}{2} \left(\frac{1}{144} \right) \left[(8.5)(31.0) + \frac{1}{2} \left(31.0 - \frac{12}{2} \right) (2.0) + (2.0 - 0.79) \left(\frac{12}{2} \right) \right] = 154 \frac{\text{lb}}{\text{ft}}$$

The lateral forces, bending moments, and lateral stresses are summarized as follows. Lateral bending moments are computed according to the approximations discussed in C1.3.2.2. To compute lateral stresses from lateral bending moments, moments are divided by the major-axis section modulus of the flange, or $(t_f)(b_f)^2/6$.

Lateral Flange Bending Moments & First-Order Stresses										
Components $F/P = \tan(\alpha) = F_l/P_l = L_b \text{ (ft)} = M_l \text{ ("k)} = S_l \text{ (in}^3) = f_l \text{ (ksi)}$										
Deck Weight (lb/ft)	154	0.911	140.3	20	56.13	18.96	2.96			
Overhang Deck Forms (lb/ft)	40	0.911	36.4	20	14.58	18.96	0.77			
Screed Rail (lb/ft)	85	0.911	77.5	20	30.98	18.96	1.63			
Railing (lb/ft)	25	0.911	22.8	20	9.11	18.96	0.48			
Walkway (lb.ft)	125	0.911	113.9	20	45.56	18.96	2.40			
Finishing Machine (lb)	3000	0.911	2733.7	20	82.01	18.96	4.33			

Factored lateral flange bending stresses are computed below. Note that, for the Strength IV load combination, no live loads are considered; therefore the finishing machine load is neglected. Also, the limit specified in Equation 6.10.1.6-1, which limits lateral flange bending stresses to 60% of F_y , is also met.

Factored First-Order Lateral Flange Bending Stresses								
Companents	Stre	ength I	Stre	ngth IV				
Components	γ_i	f_l (ksi)	γ_i	f_l (ksi)				
Deck Weight (lb/ft)	1.25	3.70	1.50	4.44				
Overhang Deck Forms (lb/ft)	1.50	1.15	1.50	1.15				
Screed Rail (lb/ft)	1.50	2.45	1.50	2.45				
Railing (lb/ft)	1.50	0.72	1.50	0.72				
Walkway (lb.ft)	1.50	3.60	1.50	3.60				
Finishing Machine (lb)	1.50	6.49	-	-				
		18.12		12.37				

C2.6.1.3 Limit State Evaluation

 $F_{crw} = 50 \text{ ksi}$

The nominal bend-buckling resistance, F_{crw} , shall be calculated as follows. Note that F_{crw} shall not exceed the smaller of $R_h F_{yc}$ (50 ksi) or $F_{yw}/0.7$ (71.4 ksi).

$$k = \frac{9}{(D_c/D)^2}$$
Eq. 6.10.1.9.1-2
$$k = \frac{9}{(17.01/34.02)^2}$$

$$k = 36.0$$

$$F_{crw} = \frac{0.9Ek}{(D/t_w)^2}$$
 Eq. 6.10.1.9.1-1
$$F_{crw} = \frac{0.9(29000)(36.0)}{(34.02/0.600)^2}$$

$$F_{crw} = 292.3 \text{ ksi} > 50 \text{ ksi}$$

The limit states are evaluated as follows. As shown, the girder performs satisfactorily under all applicable constructibility limit states. Note that the second order amplification factor is not applied to tensile stresses.

COMPRESSION FLANGE YIELDING

$$f_{bu} + f_l \le \phi_f R_h F_{yc}$$

Strength I:
$$18.95 + 1.38(18.12) < (1.00)(1.0)(50) : OK \text{ (Ratio} = 0.879)$$

Strength IV:
$$22.74 + 1.58(12.37) < (1.00)(1.0)(50) : OK \text{ (Ratio} = 0.846)$$

COMPRESSION FLANGE FLEXURAL RESISTANCE

$$f_{bu} + \frac{1}{3} f_l \le \phi_f F_{nc}$$

Strength I:
$$18.95 + \frac{1.38(18.12)}{3} < (1.00)(57.97) : OK (Ratio = 0.471)$$

Strength IV:
$$22.74 + \frac{1.58(12.37)}{3} < (1.00)(57.97)$$
 $\therefore OK (Ratio = 0.505)$

WEB BEND-BUCKLING RESISTANCE

$$f_{bu} \le \phi_f F_{crw}$$

Strength I:
$$18.95 < (1.00)(50)$$
: OK (Ratio = 0.379)

Strength IV:
$$22.74 < (1.00)(50)$$
: OK (Ratio = 0.455)

TENSION FLANGE YIELDING

$$f_{bu} + f_l \le \phi_f R_h F_{yt}$$

Strength I:
$$18.95 + 18.12 < (1.00)(1.0)(50) :: OK \text{ (Ratio} = 0.741)$$

Strength IV:
$$22.74 + 12.37 < (1.00)(1.0)(50) : OK \text{ (Ratio} = 0.702)$$

C2.6.2 Service Limit State

The service limit state is evaluated according to the provisions of Articles 6.10.4.1 (governing elastic deformations) and 6.10.4.2 (governing permanent deformations).

C2.6.2.1 Elastic Deformations

The elastic deformation limit state, as previously stated, is evaluated against a maximum deformation of L/800, or 0.945 inches. From the analysis results, a maximum live load deflection of 0.461 inches was determined. Therefore, this meets elastic deformation requirements (Ratio = 0.488).

C2.6.2.2 Permanent Deformations

The first step in evaluating the girder's performance under permanent deformation limits is to determine the girder's service level stresses. This will be derived solely from gravity and vehicular loadings, as lateral loads are not being considered at the service limit state in this design evaluation.

From the analysis results, the following Service II moments were found.

 $1.00 M_{DC1} = 554.7 \text{ ft-kip}$

 $1.00 M_{DC2} = 19.8 \text{ ft-kip}$

 $1.00 M_{DW} = 96.7 \text{ ft-kip}$

 $1.30 M_{LL+IM} = 1507.7 \text{ft-kip}$

Using these moments, Service II stresses for the top and bottom flange are found as follows. Therefore, according to Equations 6.10.4.2.2-1 and 6.10.4.2.2-2, respectively, the flanges are shown to meet the requirements for permanent deformations at the service limit state.

TOP FLANGE:

$$f_f = \frac{(554.7)(12)}{439} + \frac{(19.8 + 96.7)(12)}{1986.97} + \frac{(1507.7)(12)}{10032.8} = 17.67 \text{ ksi}$$

$$f_f \le 0.95 R_h F_{yf}$$

$$17.67 < 0.95(1.0)(50) \therefore OK (\text{Ratio} = 0.372)$$

BOTTOM FLANGE:

$$f_f = \frac{(554.7)(12)}{439} + \frac{(19.8 + 96.7)(12)}{609.93} + \frac{(1507.7)(12)}{675.31} = 44.25 \text{ ksi}$$

$$f_f + \frac{f_l}{2} \le 0.95 R_h F_{yf}$$

$$44.25 + \frac{0}{2} < 0.95(1.0)(50) \therefore OK \text{ (Ratio} = 0.931)$$

C2.6.3 Fatigue Limit State

As previously discussed, the detail chosen for these design evaluations is the base metal at the weld joining the lateral bracing connection plates at interior diaphragms. These details are evaluated for the Fatigue I load combination for infinite life, with a nominal fatigue resistance of 12.0 ksi, previously determined as the constant amplitude fatigue threshold.

From the previously determined factored fatigue moments, a fatigue moment of 686.0 ft-kip was determined (see C2.5) at the diaphragm location at midspan. Since this is a simple-span bridge, a minimum fatigue moment of zero was found. Therefore, a fatigue stress range can be found for both the top flange and bottom flange by determining the stress resulting from the calculated moment. As shown, this detail performs satisfactorily.

TOP FLANGE

$$\gamma(\Delta f) = \frac{686.0(12)(1.46)}{22524.9} = 0.534 \text{ ksi}$$
$$0.534 \text{ ksi} < 12.0 \text{ ksi} : OK(\text{Ratio} = 0.045)$$

BOTTOM FLANGE

$$\gamma(\Delta f) = \frac{686.0(12)(32.56)}{22524.9} = 11.90 \text{ ksi}$$

11.90 ksi < 12.0 ksi : OK (Ratio = 0.992)

C2.6.4 Strength Limit State

At the strength limit state, as specified in Article 6.10.6, the girder must meet requirements for flexure and shear as well as a ductility requirement. Each of these criteria will be evaluated.

C2.6.4.1 Flexure

For flexure, in order to determine a section's capacity, a determination must be made regarding whether the section is classified as compact or noncompact. For this determination, the section's plastic moment capacity must be calculated. For this evaluation, the reinforcement in the concrete slab is conservatively neglected.

The first step in determining the section's plastic moment capacity is to determine the plastic forces in each of the section's components.

$$P_s = 0.85 f_c b_s t_s = 0.85(4)(83.25)(8.0) = 2264.4 \text{ kip}$$

$$P_t = P_c = F_v b_f t_f = (50)(12)(0.79) = 474 \text{ kip}$$

$$P_w = F_y A_g - 2(P_t) = (50)(39.9) - 2(474) = 1047 \text{ kip}$$

Next, the location of the plastic neutral axis (PNA) must be determined.

Case I

$$P_t + P_w \ge P_c + P_s$$

 $1521 \le 2738.4$: PNA is not in the web

Case II

$$P_t + P_w + P_c \ge P_s$$

 $1995 \le 2264.4$ ∴ PNA is not in the top flange

Therefore, the PNA is in the concrete deck (measured from the top of the concrete deck) and \overline{Y} is computed using the following equation derived from that provided in Table D6.1-1.

$$\overline{Y} = (t_s) \left[\frac{P_c + P_w + P_t}{P_s} \right]$$

$$\overline{Y} = (8.0) \left[\frac{1995}{2264.4} \right] = 7.05 \text{ in}$$

Next, the distances of the individual components from the location of PNA are computed.

$$d_{cf} = (8.0 - 7.05) + 2 - \frac{0.79}{2} = 2.56 \text{ in}$$

$$d_{w} = (8.0 - 7.05) + 2 + \frac{(35.6 - 2 \times 0.79)}{2} = 19.96 \text{ in}$$

$$d_{tf} = (8.0 - 7.05) + 2 + (35.6 - 2 \times 0.79) + \frac{0.79}{2} = 37.365 \text{ in}$$

The plastic moment of the composite section, M_p , can now be evaluated.

$$M_{p} = \left[\frac{\overline{Y}^{2} P_{s}}{2t_{s}}\right] + \left(P_{c} d_{c} + P_{w} d_{w} + P_{t} d_{t}\right)$$

$$M_p = \frac{\left[\frac{7.05^2 \times 2264.4}{2 \times 8}\right] + \left(474 \times 2.56 + 1047 \times 19.96 + 474 \times 37.365\right)}{12}$$

$$M_p = 3904.7 \text{ kip-ft}$$

For a composite section in positive flexure to be considered compact, according to Article 6.10.6.2.2, the section must meet three requirements. The first states that the minimum yield strengths of the flanges must not exceed 70.0 ksi, which is met since 50 ksi steel is used. The second is that the web satisfies the requirement of Article 6.10.2.1.1, which was evaluated earlier (see C2.2.2). The third is that the section satisfies the following web slenderness limit, where D_{cp} is the depth of the web in compression at the plastic moment.

$$\frac{2D_{cp}}{t_w} \le 3.76 \sqrt{\frac{E}{F_{yc}}}$$
 Eq. 6.10.6.2.2-1

It was previously determined that the plastic neutral axis was in the concrete deck. Therefore, $D_{cp} = 0$, and this third requirement is met. Since all of the aforementioned requirements have been met, this section is classified as compact.

For compact composite sections in positive flexure, Article 6.10.7.1.2 states that the nominal flexural resistance, M_n , is computed as follows.

If
$$D_p \le 0.1 D_t$$
, then:

$$M_n = M_p$$
 Eq. 6.10.7.1.2-1

Otherwise:

$$M_n = M_p \left(1.07 - 0.7 \frac{D_p}{D_t} \right)$$
 Eq. 6.10.7.1.2-2

 D_p , the distance from the top of the concrete deck to the plastic neutral axis, and D_t , the total depth of the composite section, are as follows:

$$D_p = 7.05 \text{ in}$$

 $D_t = 8.0 + (2.0 - 0.79) + 35.6 = 44.81 \text{ in}$
 $0.1D_t = 4.48 \text{ in}$
 $D_p > 0.1D_t$

Therefore:

$$M_n = 3904.7 \left(1.07 - 0.7 \frac{7.05}{44.81} \right) = 3748.0 \text{ ft-kip}$$

To satisfy strength limit state requirements, the section must satisfy the following relation.

$$M_u + \frac{1}{3} f_l S_{xt} \le \phi_f M_n$$
 Eq.A 6.1.2-1

For this relation, $f_l = 0$ as wind forces and other lateral loads are being neglected at the finished state. From the moments generated for this girder, a maximum Strength I bending moment of 2892.8 ft-kip was found (see C2.5), indicating that this girder meets strength limit state requirements for flexure.

$$M_u \le \phi_f M_n$$

2892.8 ft-kip < 1.00(3748.0 ft-kip) :: OK (Ratio = 0.772)

C2.6.4.2 Shear

The provisions of Article 6.10.9 are applied to determine whether sections meet strength limit state requirements for shear. As previously stated, the distributed shear forces were based on the interior girder distribution factor. Therefore, the shear capacity of an interior girder is computed. However, since the interior and exterior girders are the same, their shear capacities will be identical.

The first step is to determine the plastic shear capacity of the web, which is found as follows.

$$V_p = 0.58 F_{yw} Dt_w$$
 Eq. 6.10.9.2-2
 $V_p = 0.58(50)(34.02)(0.600) = 591.95 \text{ kip}$

The plastic shear capacity of the web is then modified by a value, C, to obtain the nominal shear resistance. C is simply the ratio of the shear-buckling resistance to the shear yield strength and is a function of the slenderness of the web. For this computation, a shear buckling coefficient, k, is introduced. However, as this web is unstiffened, the value of k is taken as a constant value of 5.0. Therefore, C is determined as follows.

$$\frac{D}{t_{w}} \le 1.12 \sqrt{\frac{Ek}{F_{yw}}}$$

$$\frac{34.02}{0.600} \le 1.12 \sqrt{\frac{(29000)(5.0)}{(50)}}$$

$$56.7 < 60.3$$

Therefore:

$$C = 1.0$$
 Eq. 6.10.9.3.2-4

The nominal shear capacity of the web can now be determined.

$$V_n = V_{cr} = CV_p$$
 Eq. 6.10.9.2-1
 $V_n = (1.0)(591.95) = 591.95 \text{ kip}$

From the shears generated for this girder, a maximum Strength I shear of 208.5 kip was found (see C2.5), indicating that this girder meets strength limit state requirements for shear.

$$V_u \le \phi_v V_n$$
 Eq. 6.10.9.1-1
208.5 kip $<$ (1.0)(591.95 kip) $\therefore OK$ (Ratio = 0.352)

C2.6.4.3 Ductility

An additional ductility requirement is placed on composite sections in positive flexure. Specifically, sections shall meet the requirements in the relation below. For this requirement, as shown, the section performs satisfactorily.

$$D_p \le 0.42 D_t$$
 Eq. 6.10.7.3-1
 $7.05 \le (0.42)(44.81)$
 $7.05 \text{ in } < 18.82 \text{ in } : OK (\text{Ratio} = 0.375)$

C2.7 PERFORMANCE SUMMARY

A tabulated summary of all of the girder's performance ratios is presented below. As shown, the girder performs satisfactorily under all evaluated design checks, with bottom flange base metal at connection plate weld at the fatigue limit state governing (Ratio = 0.992).

CONSTRUCTIBILITY

CONDINCCIDENT	
Compression Flange Yielding	
Strength I	0.879
Strength IV	0.846
Compression Flange Flexural Resistance	
Strength I	0.471
Strength IV	0.505
Web Bend Buckling	
Strength I	0.379
Strength IV	0.455
Tension Flange Yielding	
Strength I	0.741
Strength IV	0.702
SERVICE LIMIT STATE	
Elastic Deformations	0.488
Permanent Deformations	
Top Flange	0.372
Bottom Flange	0.931
FATIGUE LIMIT STATE	
Base Metal at Connection Plate Weld	
Top Flange	0.045
Bottom Flange	0.992
STRENGTH LIMIT STATE	
Moment	0.772
Shear	0.352
Ductility	0.375